

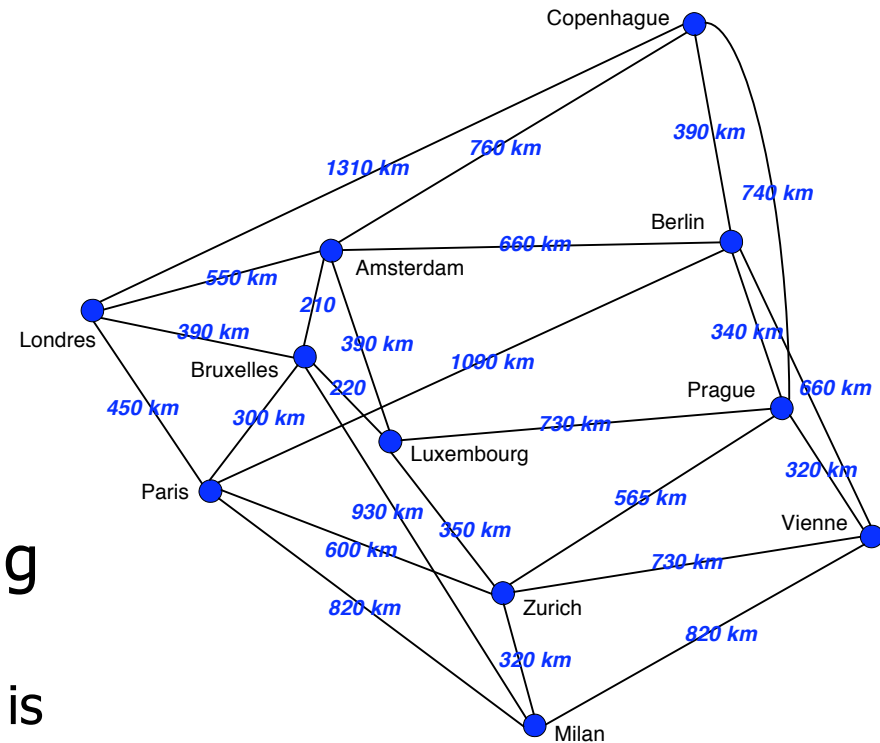


Planning and Design of WDM Networks: PORTO

RNRT PORTO: Alcatel CIT, France
Télécom R&D and Mascotte:
University of Nice / CNRS / INRIA
Sophia Antipolis France

Optical backbone (transport)

- Carrier network
- Transport « pipes »
STM-n, STM-16 : 2,5 Gbit/s (OC-192,...)
- Arbitrary topology
Mesh networks
- Routing and Grooming of traffic demands:
Assume cost of network is node equipment, not fibres (already existing)





Routing problem

- Problem input:

- Directed Graph $G=(V,E)$

- arcs associated to fibres with capacities (amount of λ multiplexed), length of fibres (km)

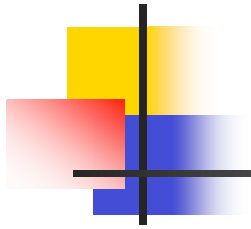
- Traffic: demands matrix $D [d_{i,j}]$

- $d_{i,j}$ is the amount of λ requested from i to j

- Almost static – May change daily

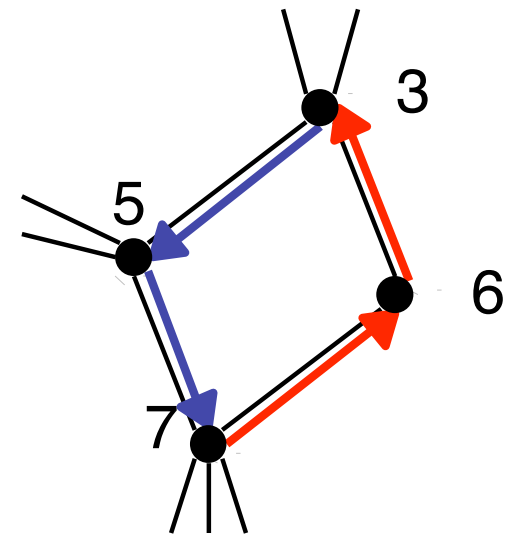
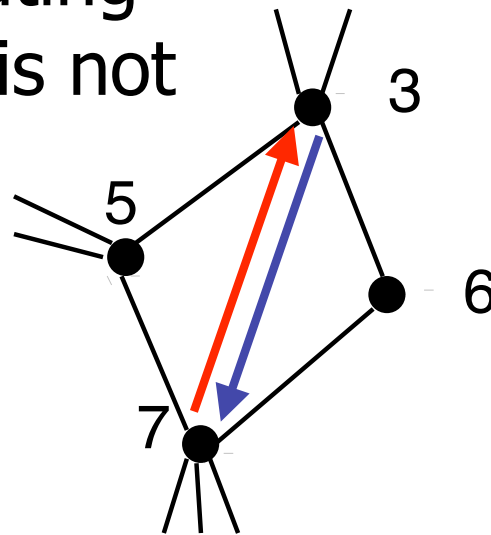
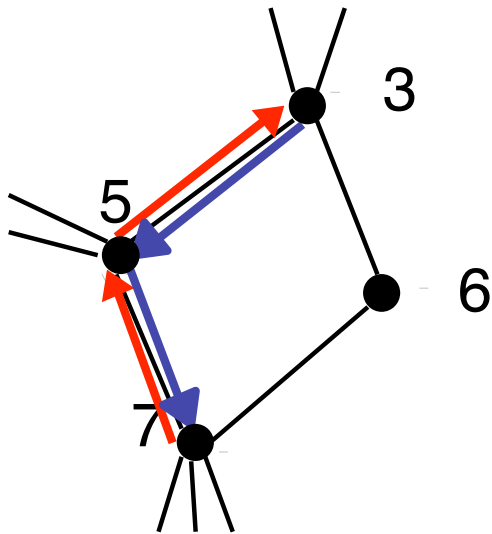
- ✓ Problem output: routing of D

- Each $d_{i,j}$ is assigned to some wavelength paths in G subject to capacity constraints: **routing of $d_{i,j}$**



Routing of demands

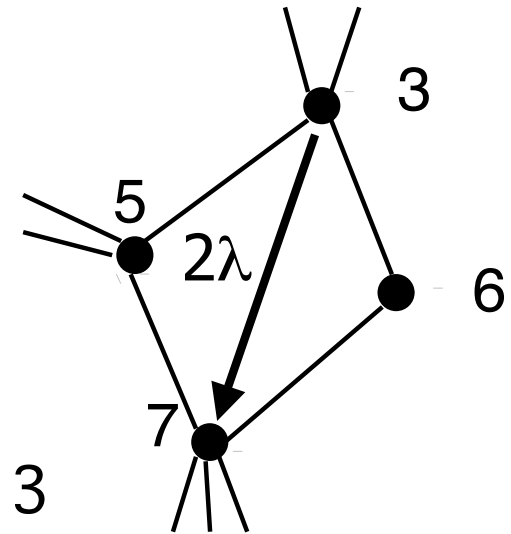
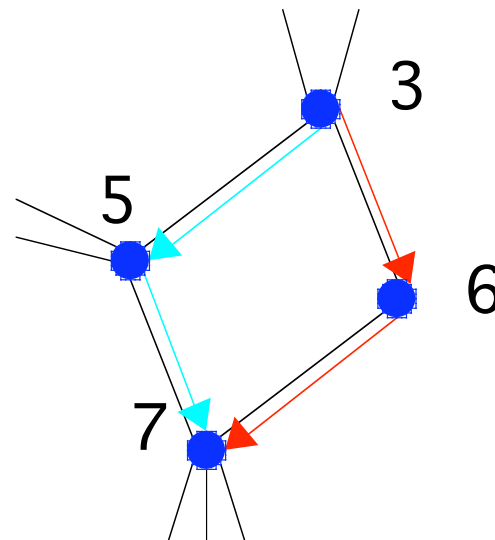
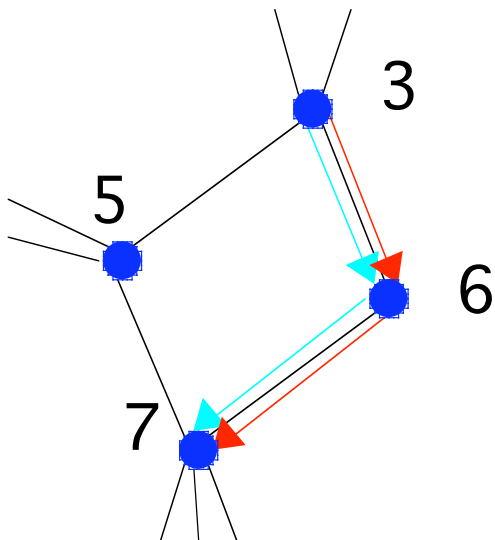
- *Symmetric* routing
or not: traffic is not
symmetric





Routing of demands

- *Unsplittable routing*
- *Splittable*





Multicommodity flow ILP

$$\forall d \in D, \forall e \in E, \lambda(e, d) \leq e_{size}$$

$$\forall d \in D, \forall v \in V$$

$$\sum_{e \in E, e \in v^-} \lambda(e, d) - \sum_{e \in E, e \in v^+} \lambda(e, d) = AddDrop(v, d)$$

$$\forall d \in D, \forall e \in E, \lambda(e, d) \in N$$

$$Obj : Min \left(\sum_{e \in E, d \in D} \lambda(e, d) \right)$$



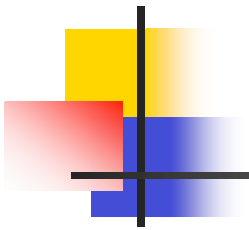
Survivability

- Protection

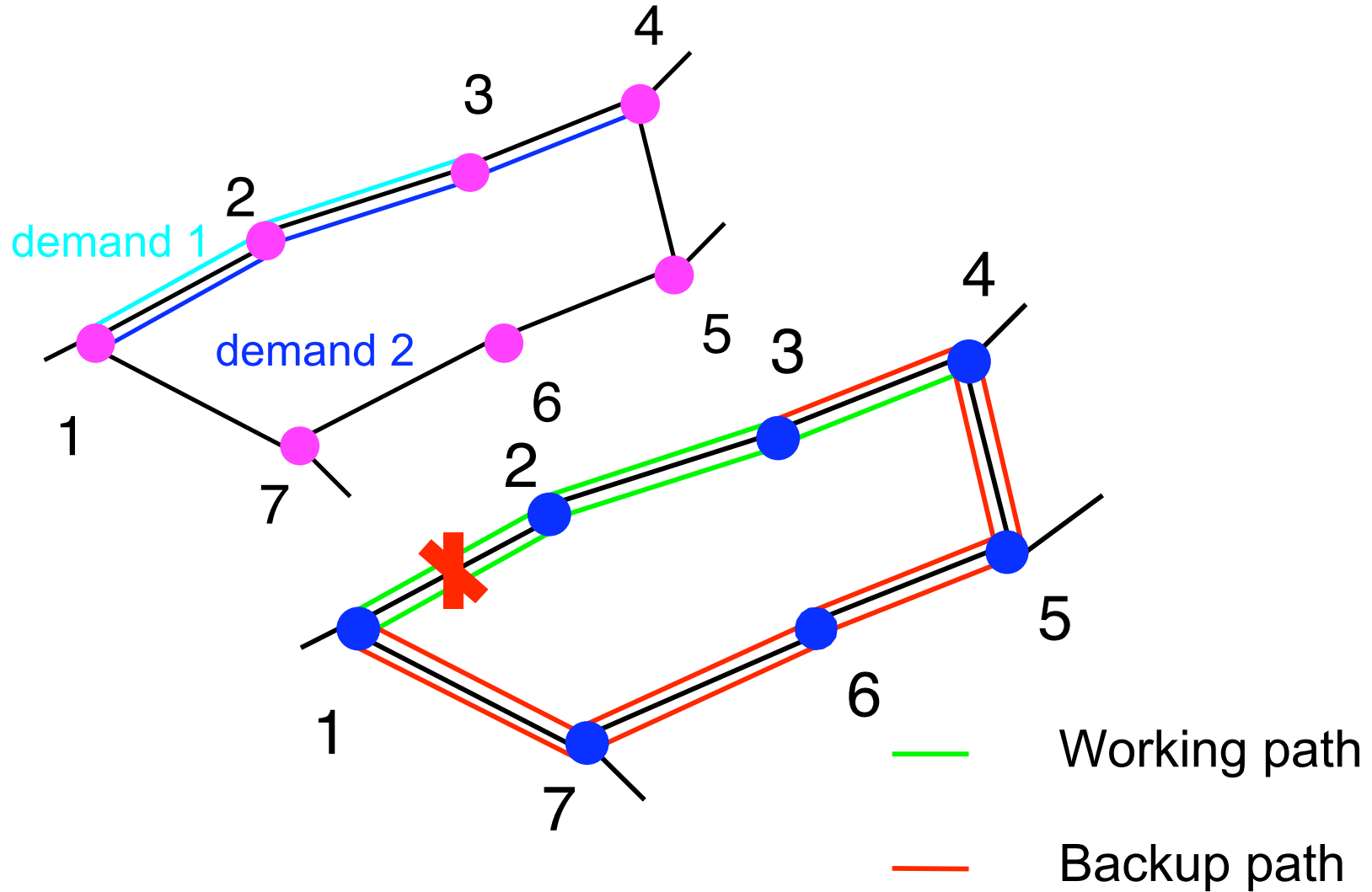
- 1+1 1 working path +1 backup path
- 1:1 1 working path :1 backup path
- M:N M working paths :N backup paths

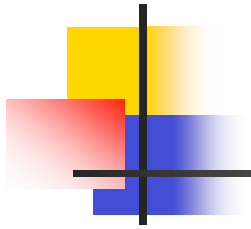
- Restoration

- Path Restoration
- Link Restoration

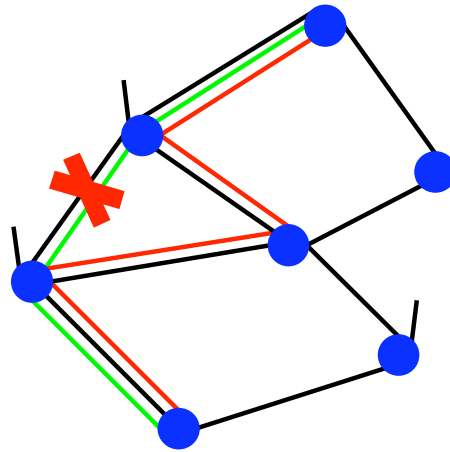
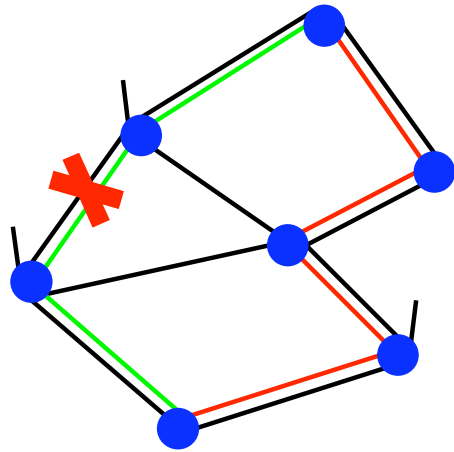


Path restoration



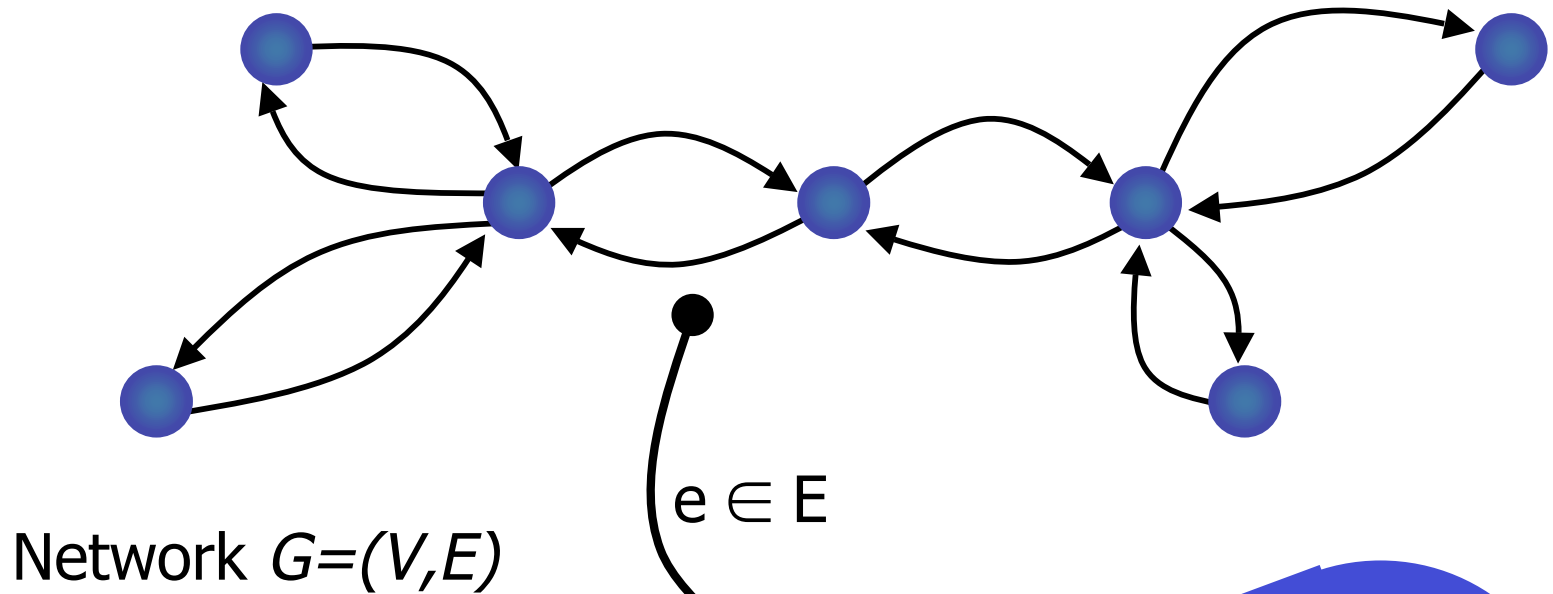


Link Restoration



— Working path
— Backup path

Grooming: WDM model



$e \in E$



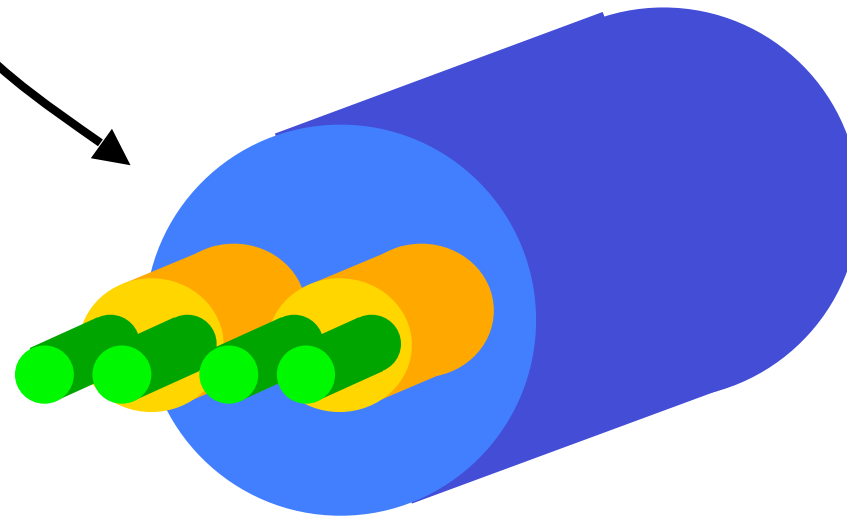
Fibre



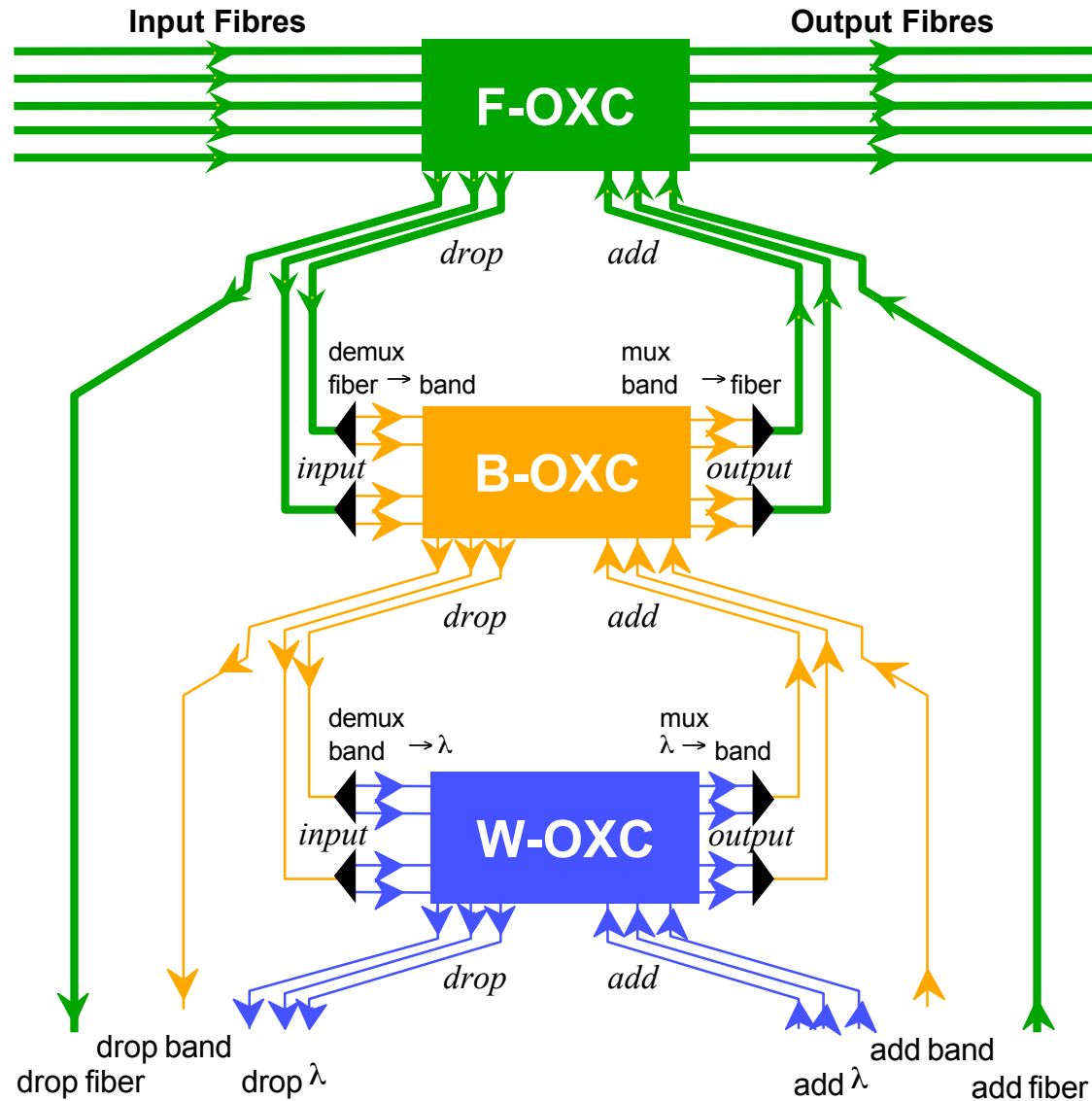
Waveband



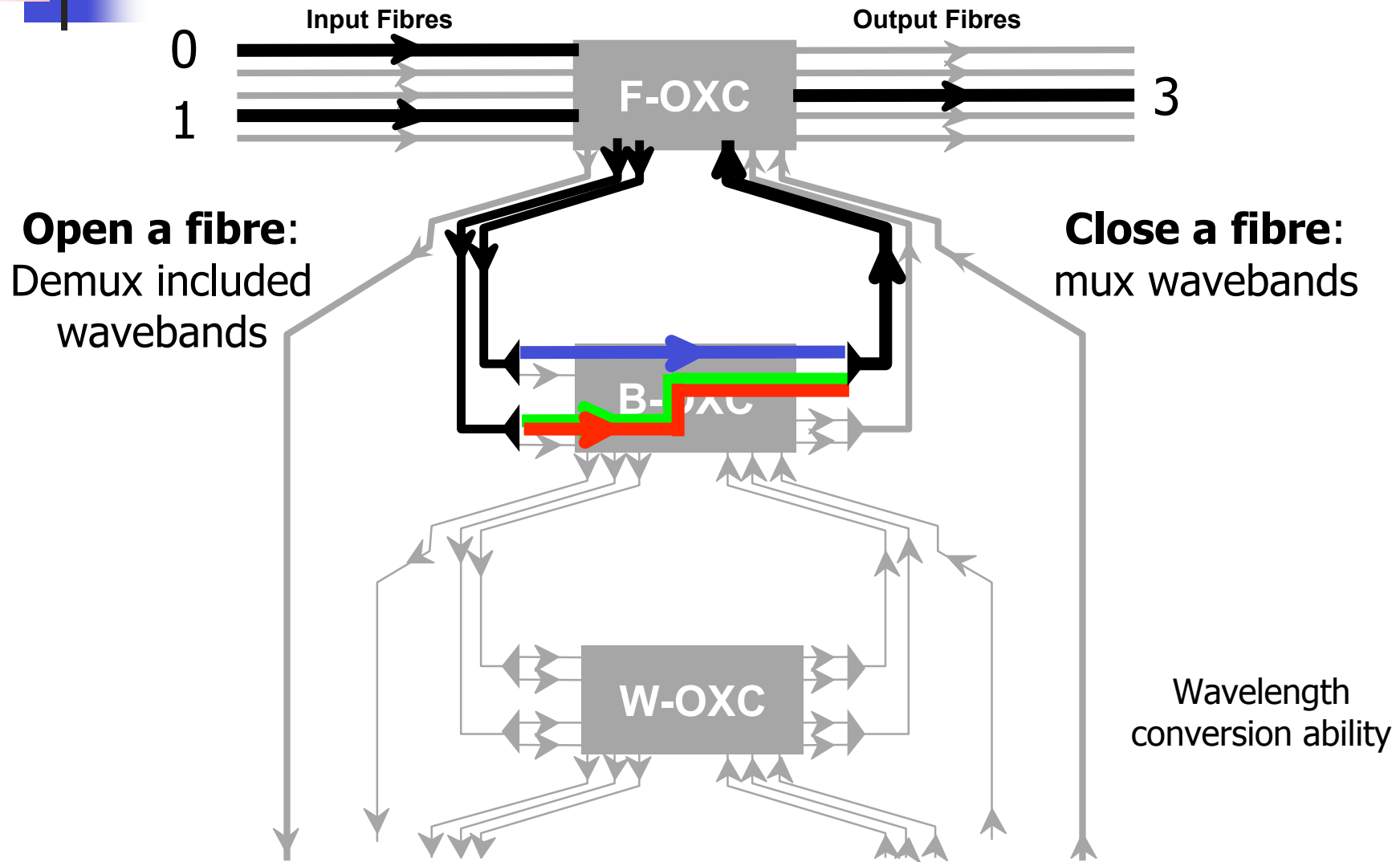
Wavelength



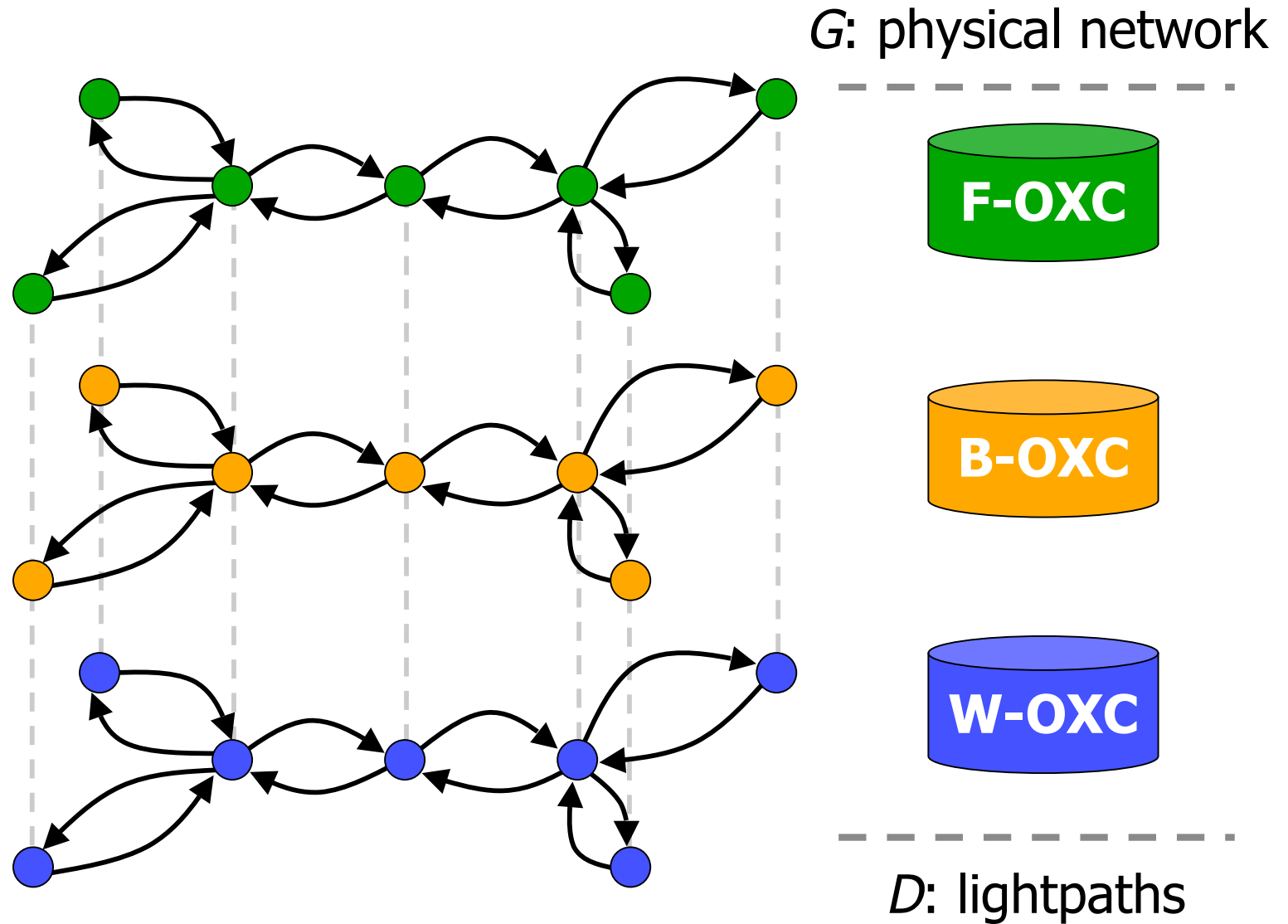
Functional model of nodes

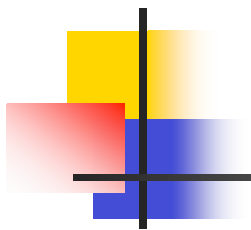


Functional model of nodes



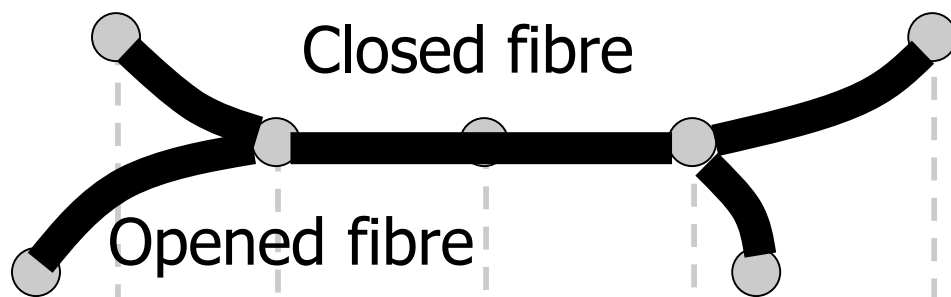
Layered WDM Network Model



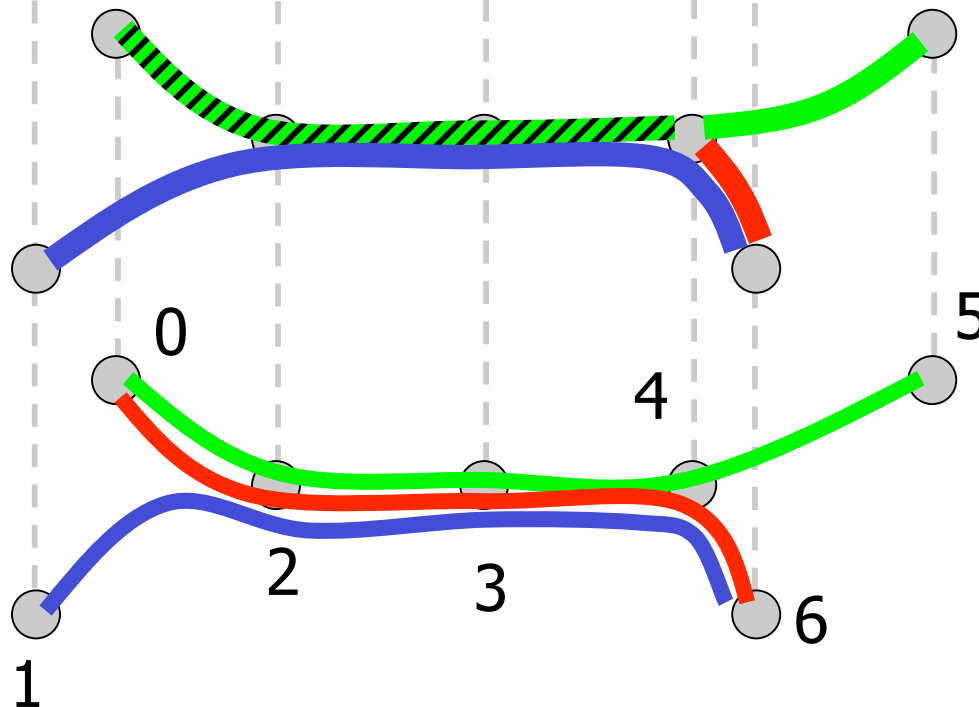


Layered WDM Network Model

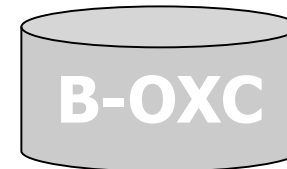
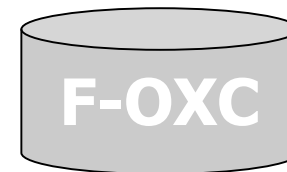
Node cost:
function of
the OXC's
degrees



Capacity:
 $W=1$
 $B=2$
 $F=2$



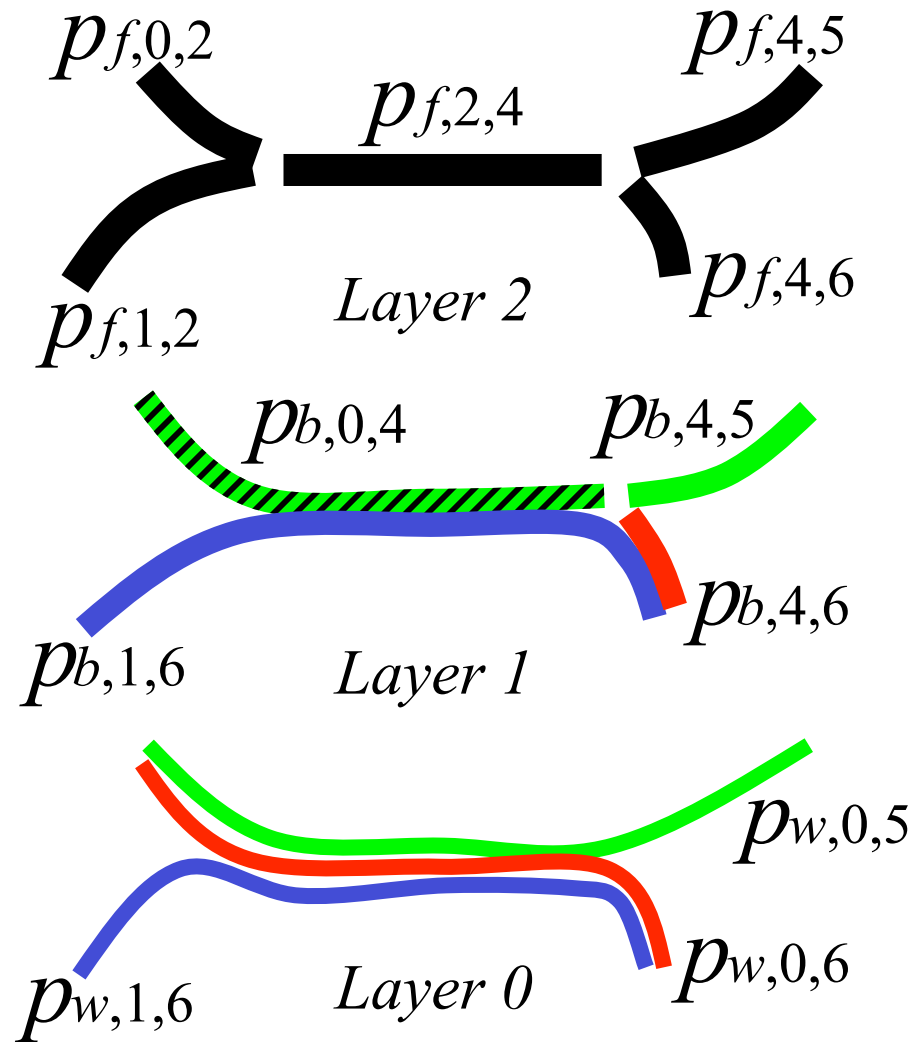
G: physical network

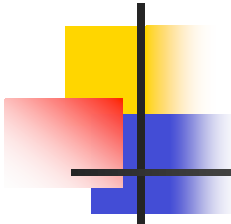


D: lightpaths

Pipe definition

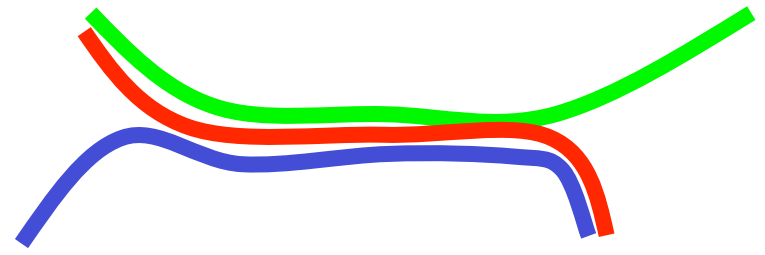
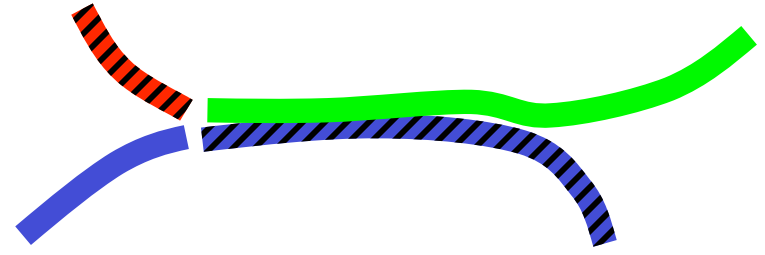
- A continuous path within the same optical layer
- Recursive definition
 - A pipe in layer i is a sequence of pipes in layer $i+1$
 - Example



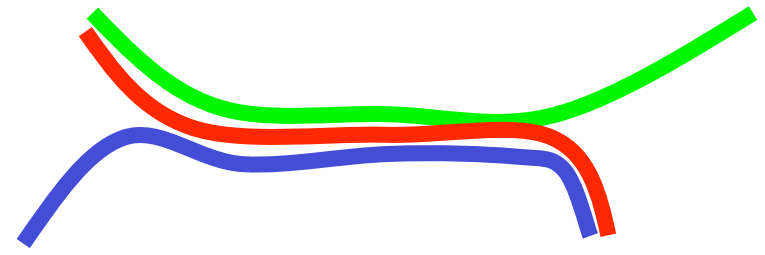
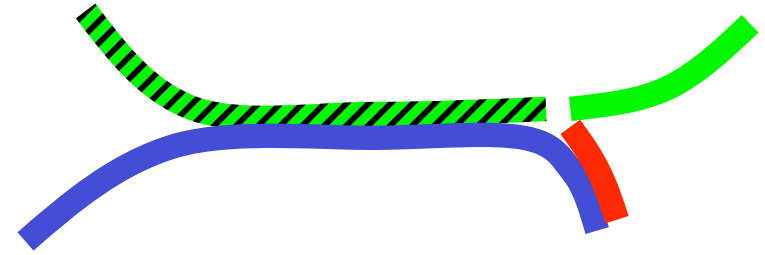


Grooming example

Grooming (b)



Grooming (a)

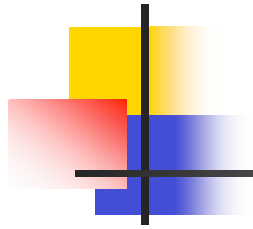




Grooming problem

- Input:
 - set of potential priced pipes candidates for being used at layer $i+1$
 - set of unitary demands: pipes in layer i
- Output:

A *min-cost* pipes set of layer $i+1$ that can transport pipes of layer i subject to capacities constraints
- Defined over two layers only: multi-stage grooming if #layers > 2 (iterate)
- Simple model compare to the complete detailed ILP formulation, but:
 - Flexible cost objective function and cost for pipes that could be adapted to real cases



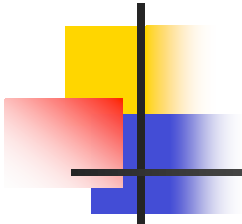
Network design problem

Find the best possible Routing AND Grooming solution such that node cost is minimum:

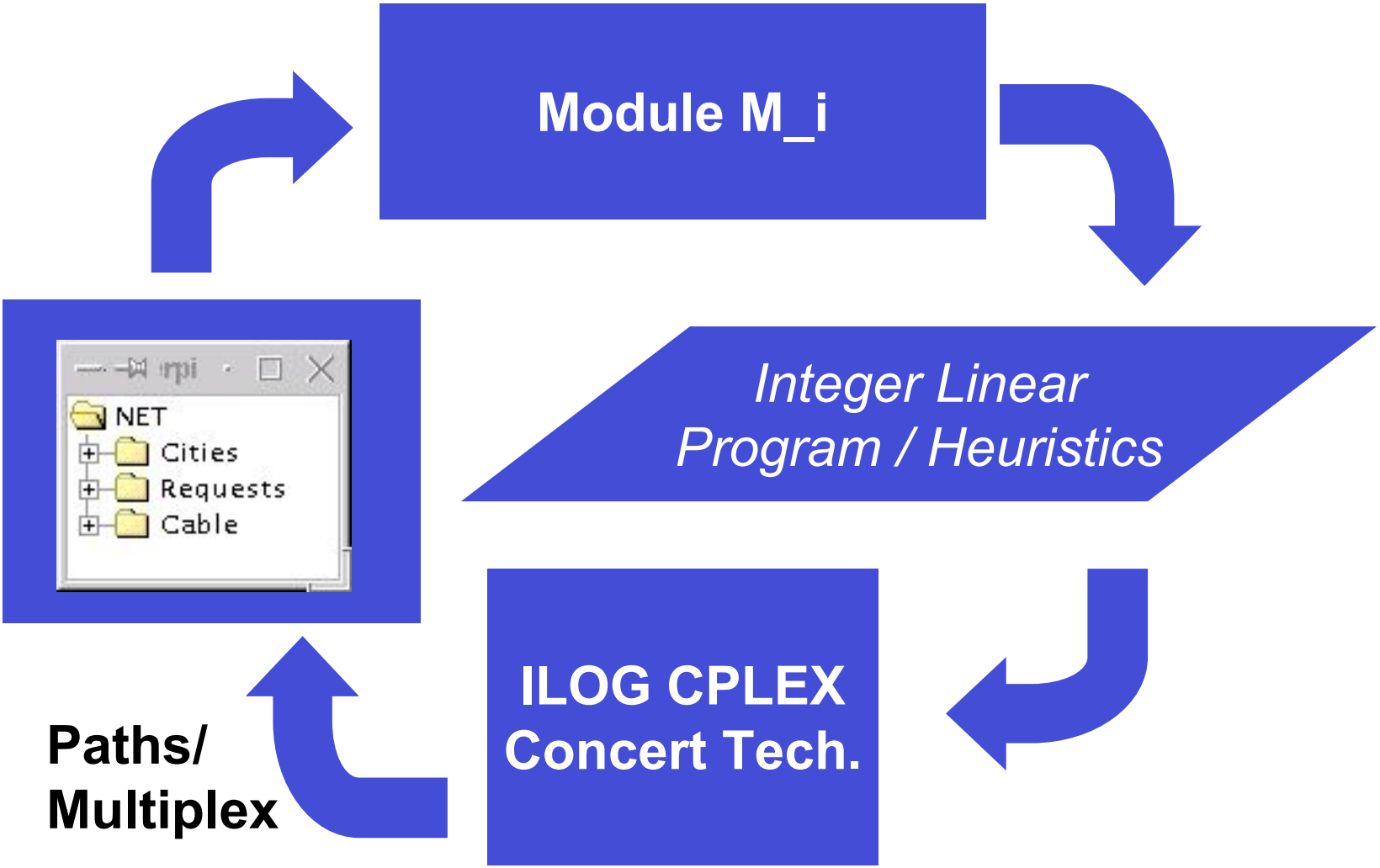
Size (degree) of W-OXC, B-OXC, F-OXC

NP-complete problem (even with fixed routing) : practical solution based on heuristics and step by step optimization

Wavelength continuity is not considered here



Routing and Grooming modules



MakeFrame [default.lst] [Starting plugin] : rc
 Changing order: demand
 order.
 Changing objective fun
 Routing 110 requests.
 Solving Cplex linear

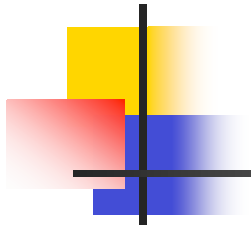
PORTO COST
 File View Tools Edit
 Step: + 0 -
 N_0=>N_5 :11 Set Path Main Protection
 >N_0 :11 Set Path Main Protection
 >N_6 :5 Set Path Main Protection
 >N_0 :5 Set Path Main Protection

NodeN 7
 Show Free Oxc details Node cost
 Node Luxembourg (N_7)
 In Drop Add Out
 N_2 N_8
 N_3 N_6
 N_6 N_3
 N_8 N_2
 FIBER_7_3_0

COST (View #1)
 Amsterdam(N_6)
 Luxembourg(N_7)
 Prague(N_3)
 Bruxelles(N_8)
 Paris(N_0)
 Zurich(N_2)

coming by size
 closing factor 0

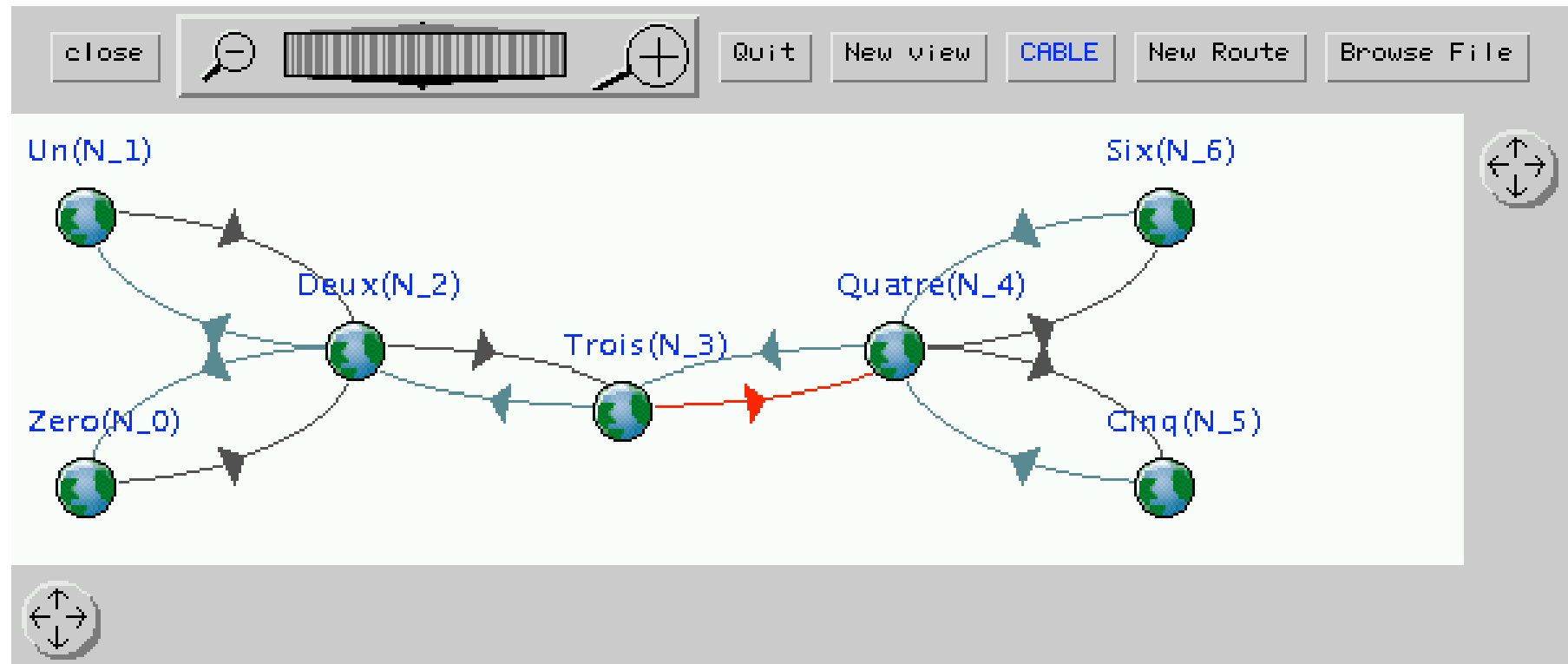
The image displays a complex software interface for network optimization. The top-left window, titled 'MakeFrame [default.lst]', shows a log of operations including 'Starting plugin', 'Changing order: demand order.', and 'Routing 110 requests. Solving Cplex linear'. The top-right window, 'PORTO COST', features a menu bar (File, View, Tools, Edit) and a toolbar with icons for file operations and a 'Step' counter set to 0. Below the toolbar are several buttons for path setting and node selection, such as 'N_0=>N_5 :11 Set Path' and 'Main Protection'. The central window, 'NodeN 7', provides a detailed view of 'Node Luxembourg (N_7)'. It is divided into four columns: 'In', 'Drop', 'Add', and 'Out'. Each column contains a stack of fiber optic components, with red lines indicating the internal routing paths between them. The nodes are labeled with IDs like N_2, N_3, N_6, and N_8. The bottom-right window shows a network graph with nodes represented by colored circles and labeled with city names: Paris(N_0), Bruxelles(N_8), Luxembourg(N_7), Amsterdam(N_6), Prague(N_3), and Zurich(N_2). Edges between nodes are labeled with numbers, representing link costs or capacities. The bottom-left window contains a 'closing factor' input field set to 0 and some navigation icons.

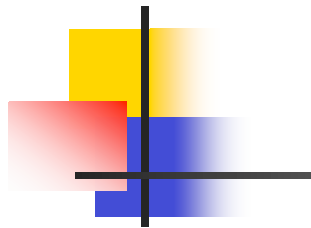


PORTO Software Demo

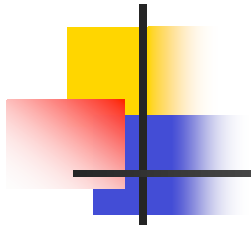
Toy example: $F=4$ B, $B=8 \lambda$

Two demands: N_1 to N_6 (10λ) and N_0 to N_5 (22λ).

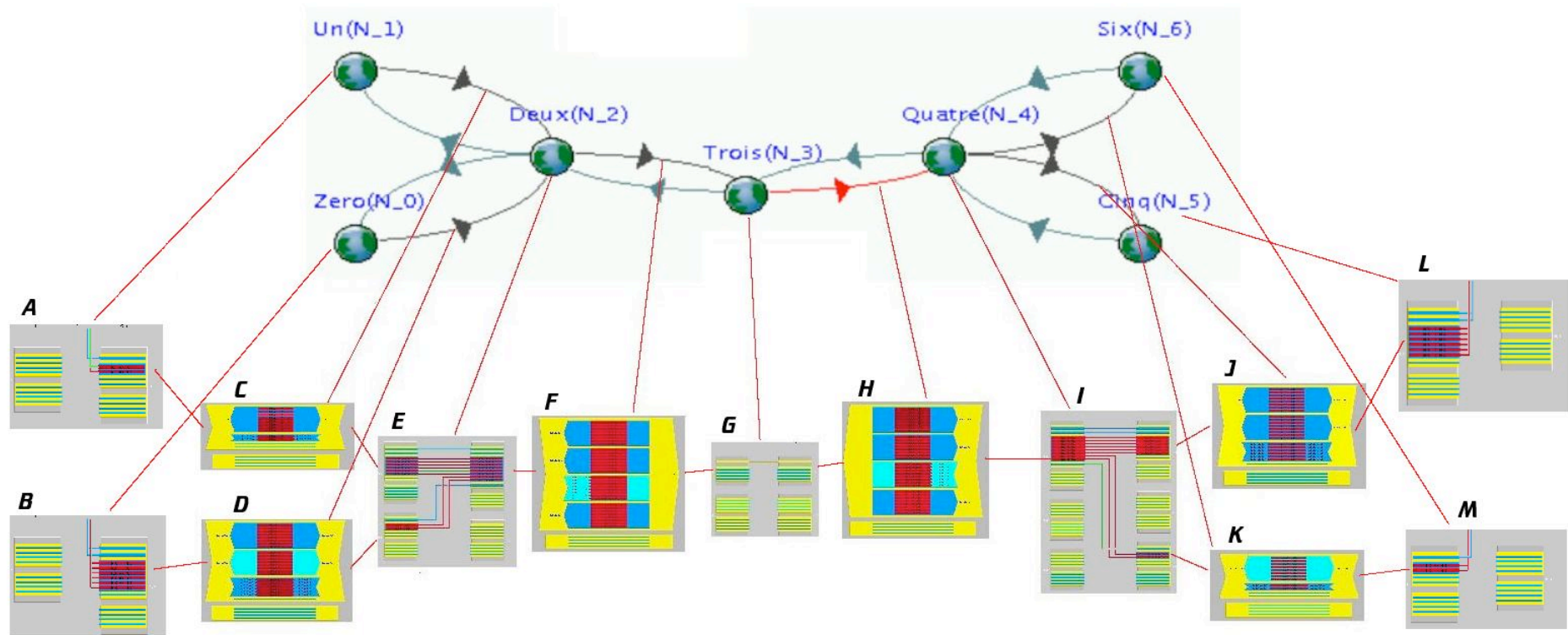




- NET
 - Cities
 - Requests
 - Cable
 - CABLE CABLE_0_2 length=100
 - CABLE CABLE_1_2 length=100
 - FIBER F_1_2_0 InputState:open Prev:null OutputState:open Next:null
 - BAND B_1_2_0_0 InputState:close Prev:B_1_1_0_0 OutputState:close Next:B_2_3_0_3
 - LAMBDA L_1_2_0_0_0 N_1=>N_6
 - LAMBDA L_1_2_0_0_1 N_1=>N_6
 - LAMBDA L_1_2_0_0_2 N_1=>N_6
 - LAMBDA L_1_2_0_0_3 N_1=>N_6
 - LAMBDA L_1_2_0_0_4 N_1=>N_6
 - LAMBDA L_1_2_0_0_5 N_1=>N_6
 - LAMBDA L_1_2_0_0_6 N_1=>N_6
 - LAMBDA L_1_2_0_0_7 N_1=>N_6
 - BAND B_1_2_0_1 InputState:open Prev:null OutputState:open Next:null
 - LAMBDA L_1_2_0_1_0 N_1=>N_6 Prev:L_1_1_0_0_0 Next:L_2_3_0_2_6
 - LAMBDA L_1_2_0_1_1 N_1=>N_6 Prev:L_1_1_0_0_0 Next:L_2_3_0_2_7
 - LAMBDA L_1_2_0_1_2
 - LAMBDA L_1_2_0_1_3
 - LAMBDA L_1_2_0_1_4
 - LAMBDA L_1_2_0_1_5
 - LAMBDA L_1_2_0_1_6
 - LAMBDA L_1_2_0_1_7
 - BAND B_1_2_0_2
 - BAND B_1_2_0_3
 - FIBER F_1_2_1
 - CABLE CABLE_2_0 length=100
 - CABLE CABLE_2_1 length=100
 - CABLE CABLE_2_3 length=100
 - CABLE CABLE_3_2 length=100
 - CABLE CABLE_3_4 length=100
 - CABLE CABLE_4_3 length=100
 - CABLE CABLE_4_5 length=100
 - CABLE CABLE_4_6 length=100
 - CABLE CABLE_5_4 length=100
 - CABLE CABLE_6_4 length=100

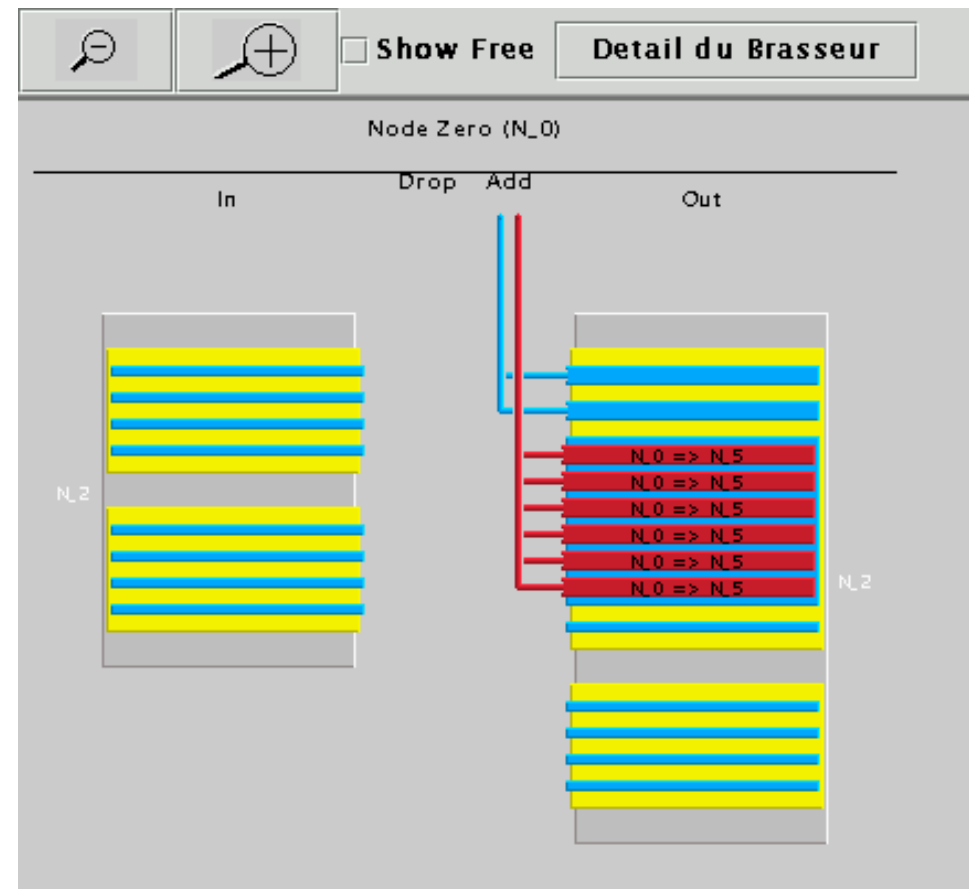
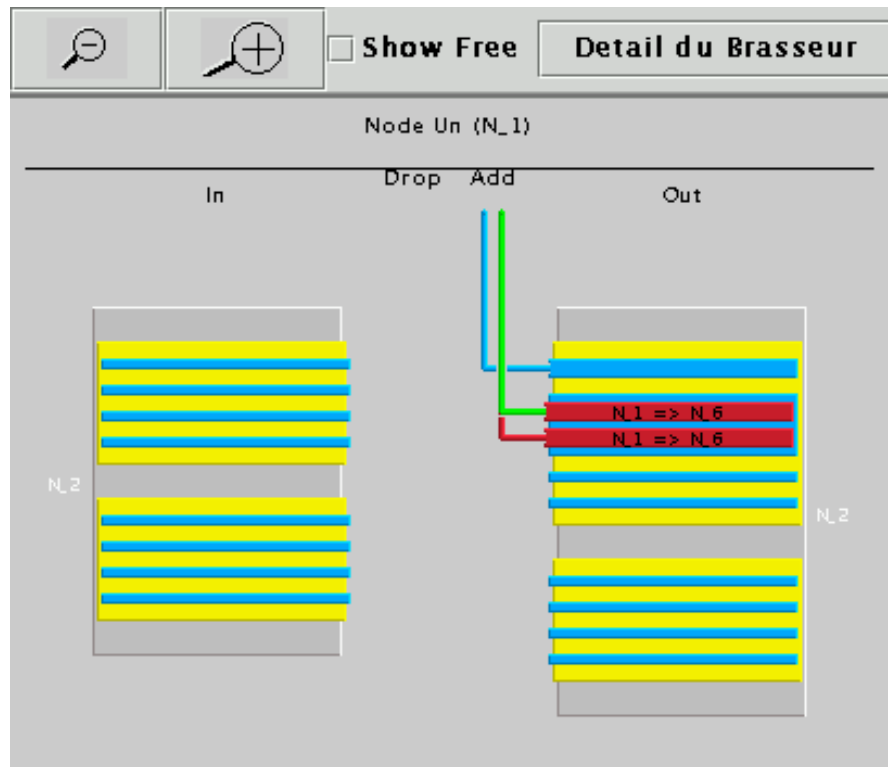


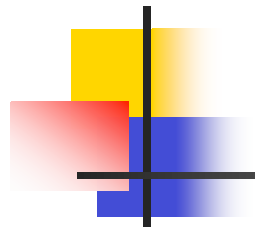
Detailed views in PORTO



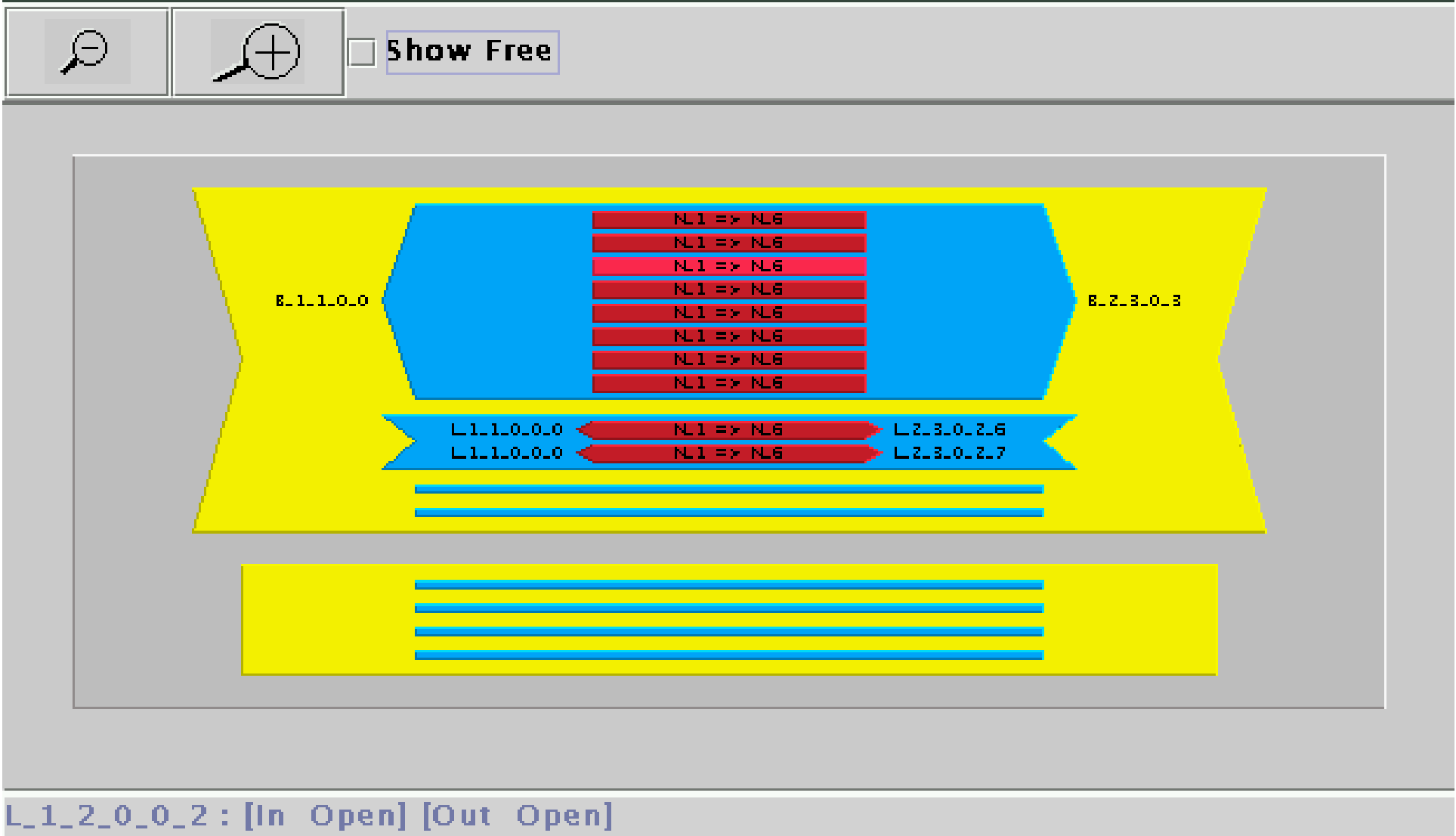
Nodes N_1 and N_0

- 1 fibre (yellow) : 4 wavebands
- 1 bande (blue) : 8 λ (red)

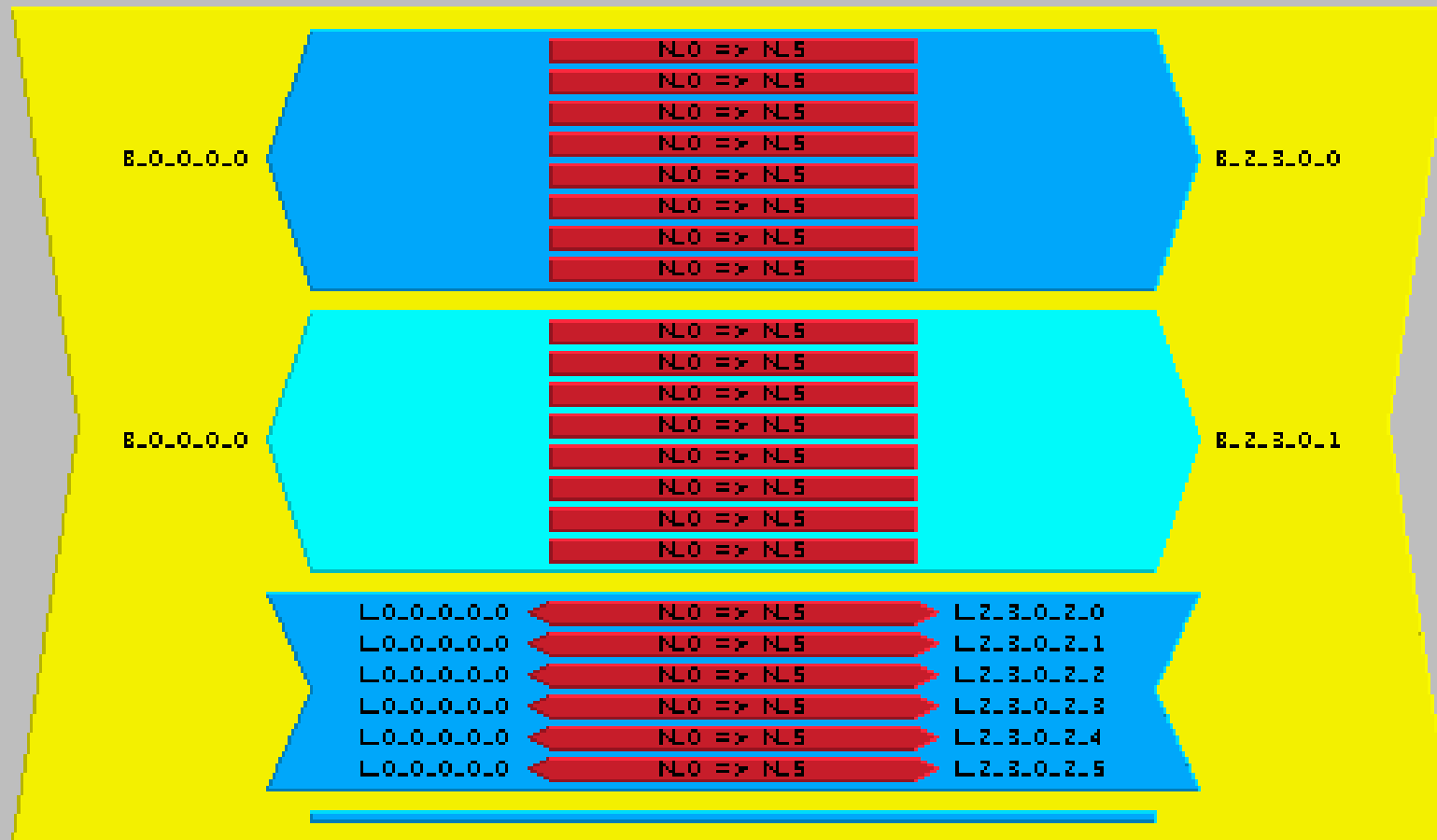




Cable from N_1 to N_2



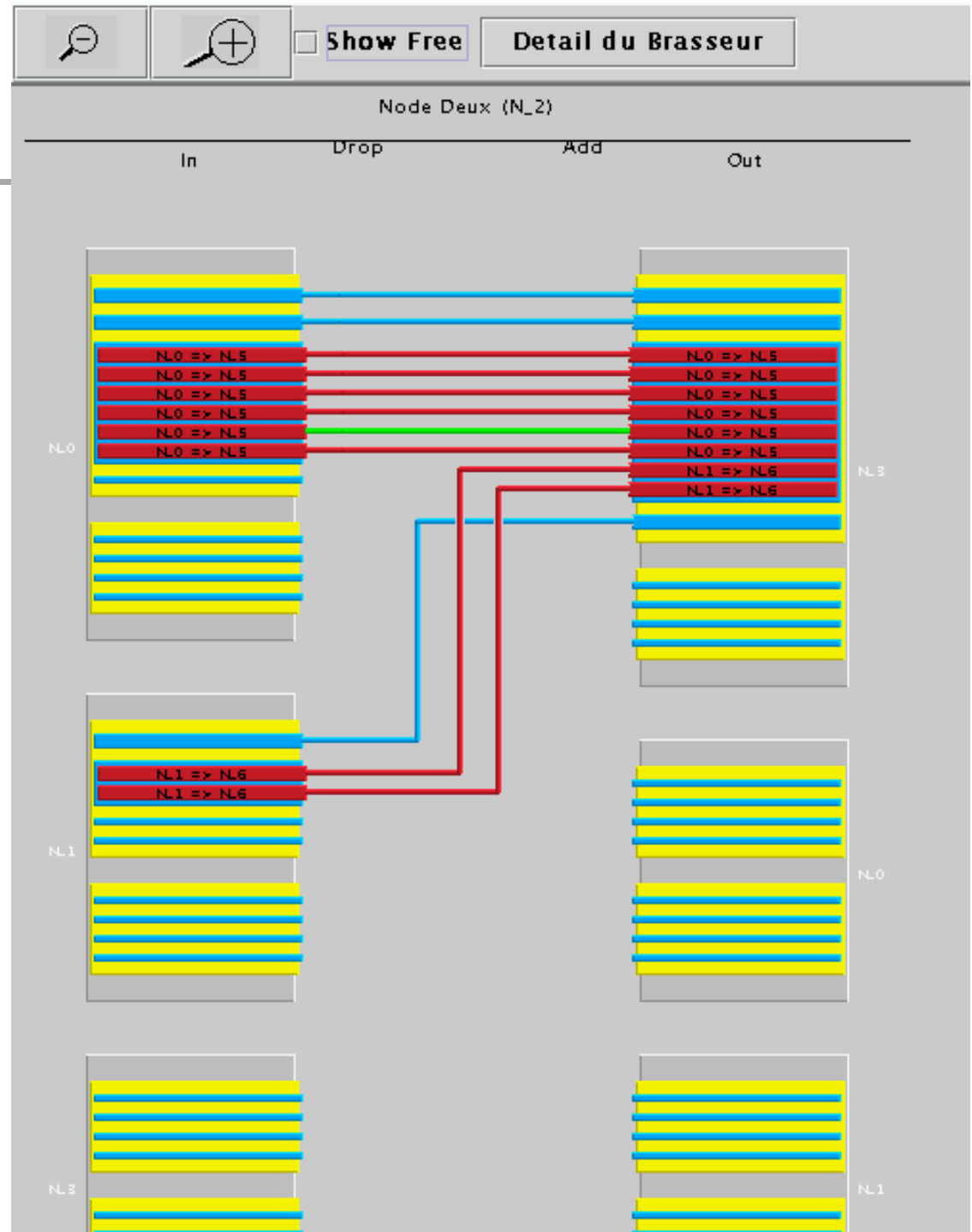
Cable from N_0 to N_2



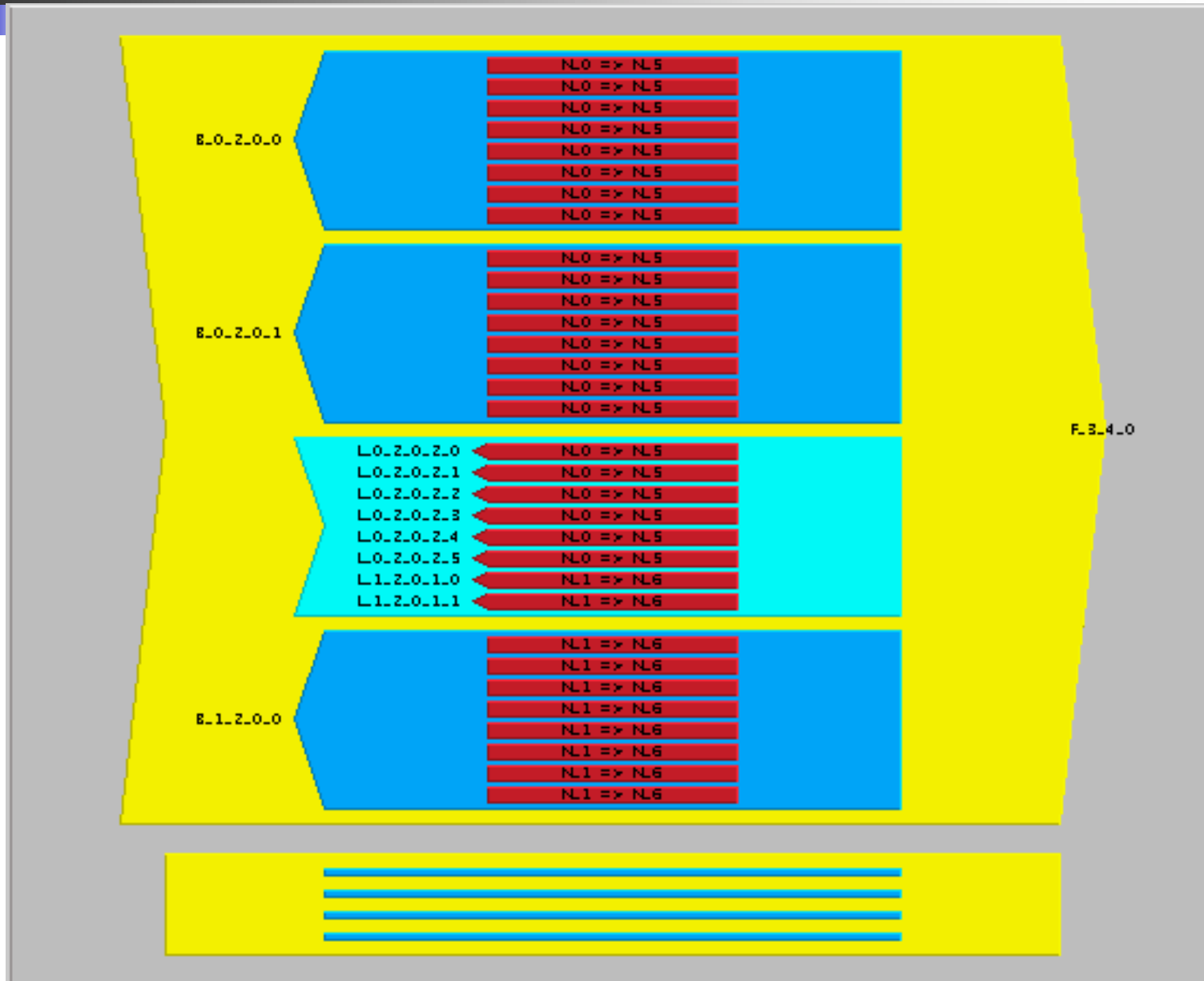
N_2

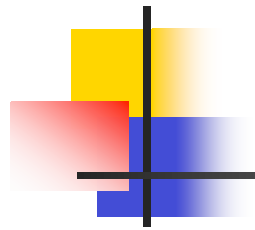
✓ 6 λ from demand N_0 \rightarrow N_5 are grouped in one band along with 2 λ from demand N_1 \rightarrow N_6

∩ 1 band from demand N_1 \rightarrow N_6 are grouped in one fibre along with 3 bands from demand N_0 \rightarrow N_5

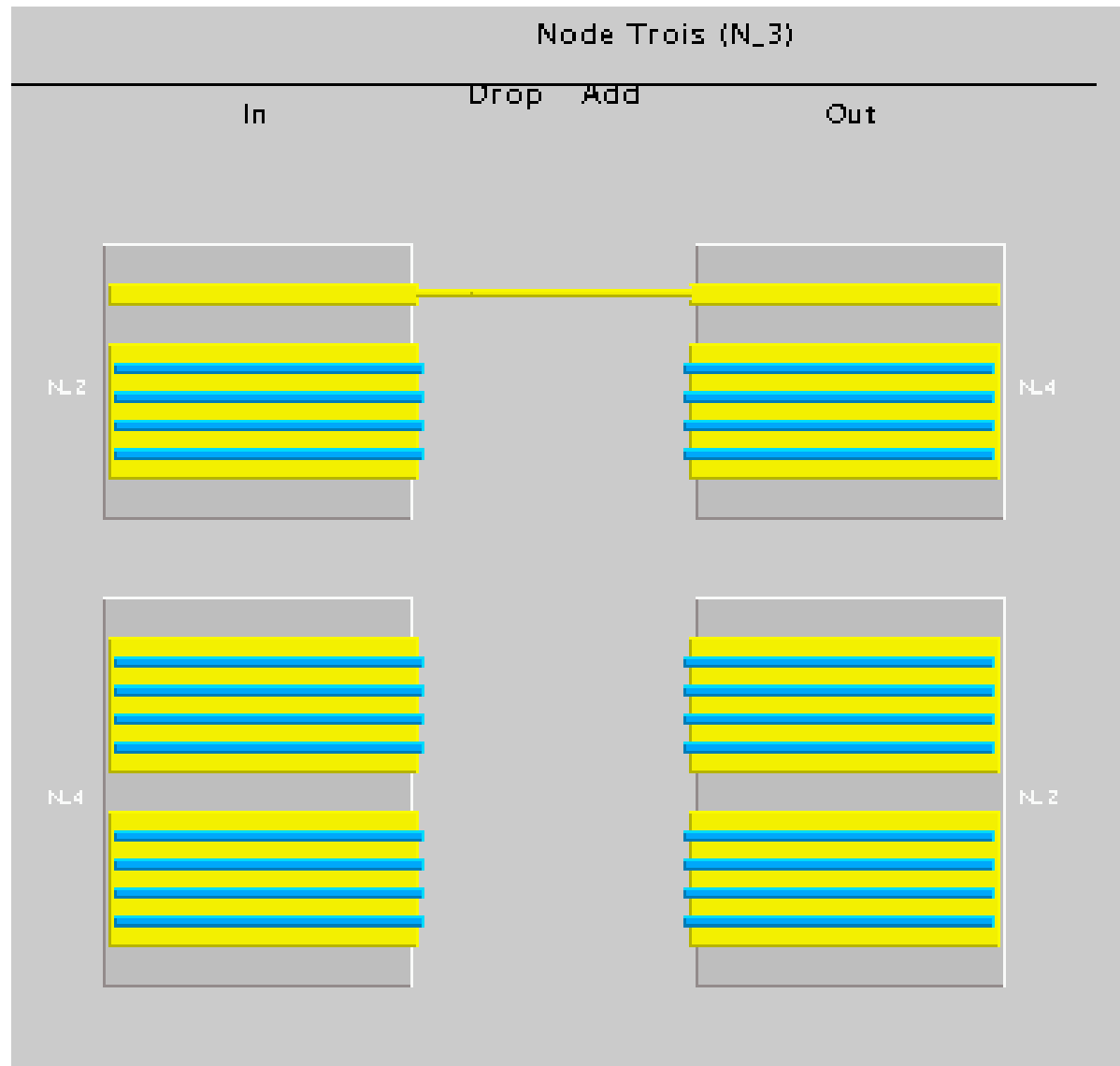


Cable from N_2 to N_3

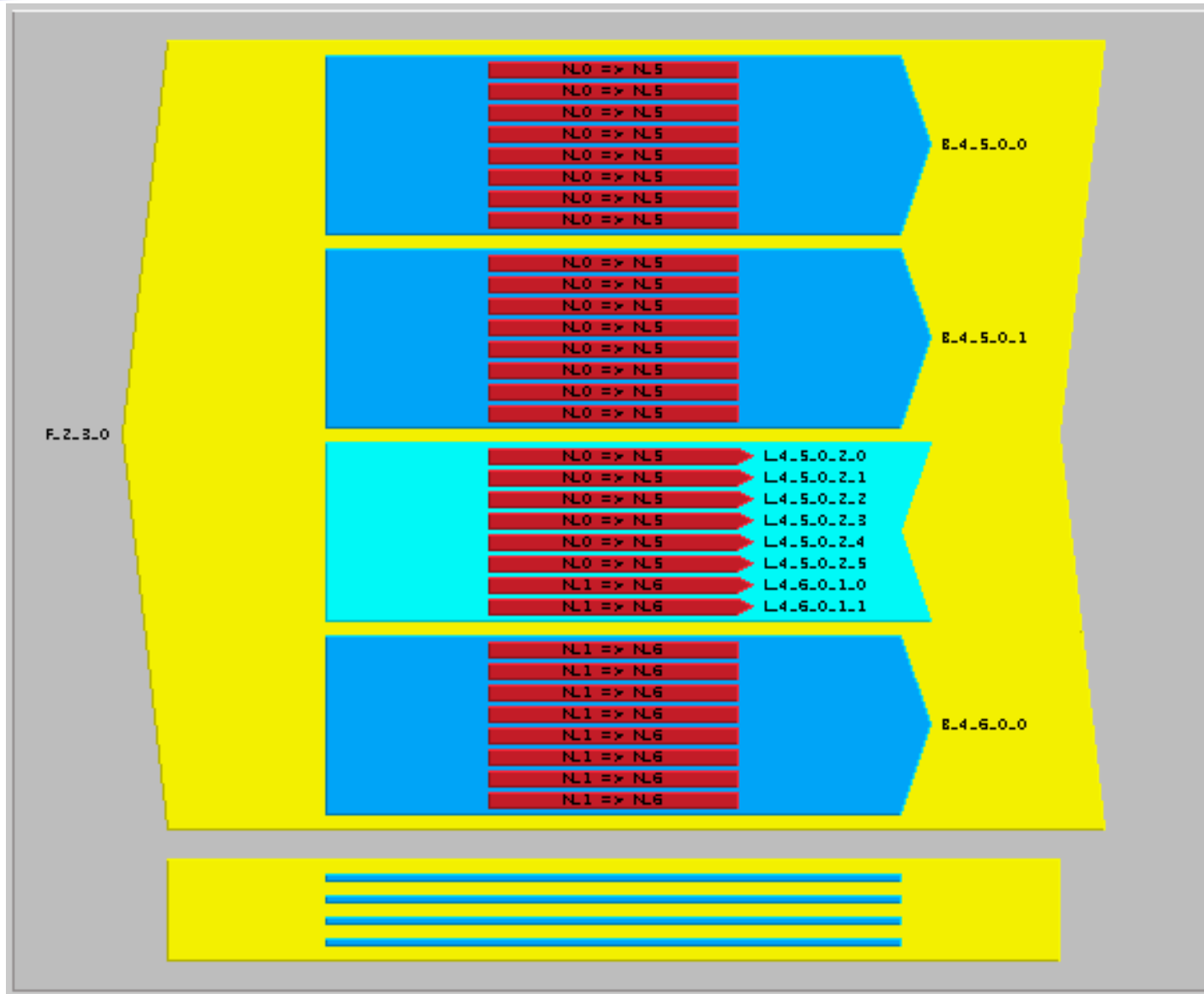


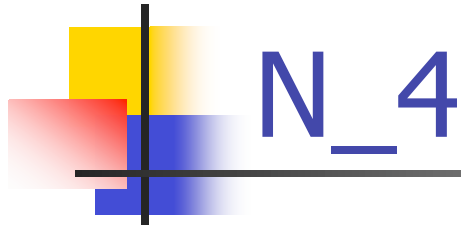


N_3 : F-OXC equipped only



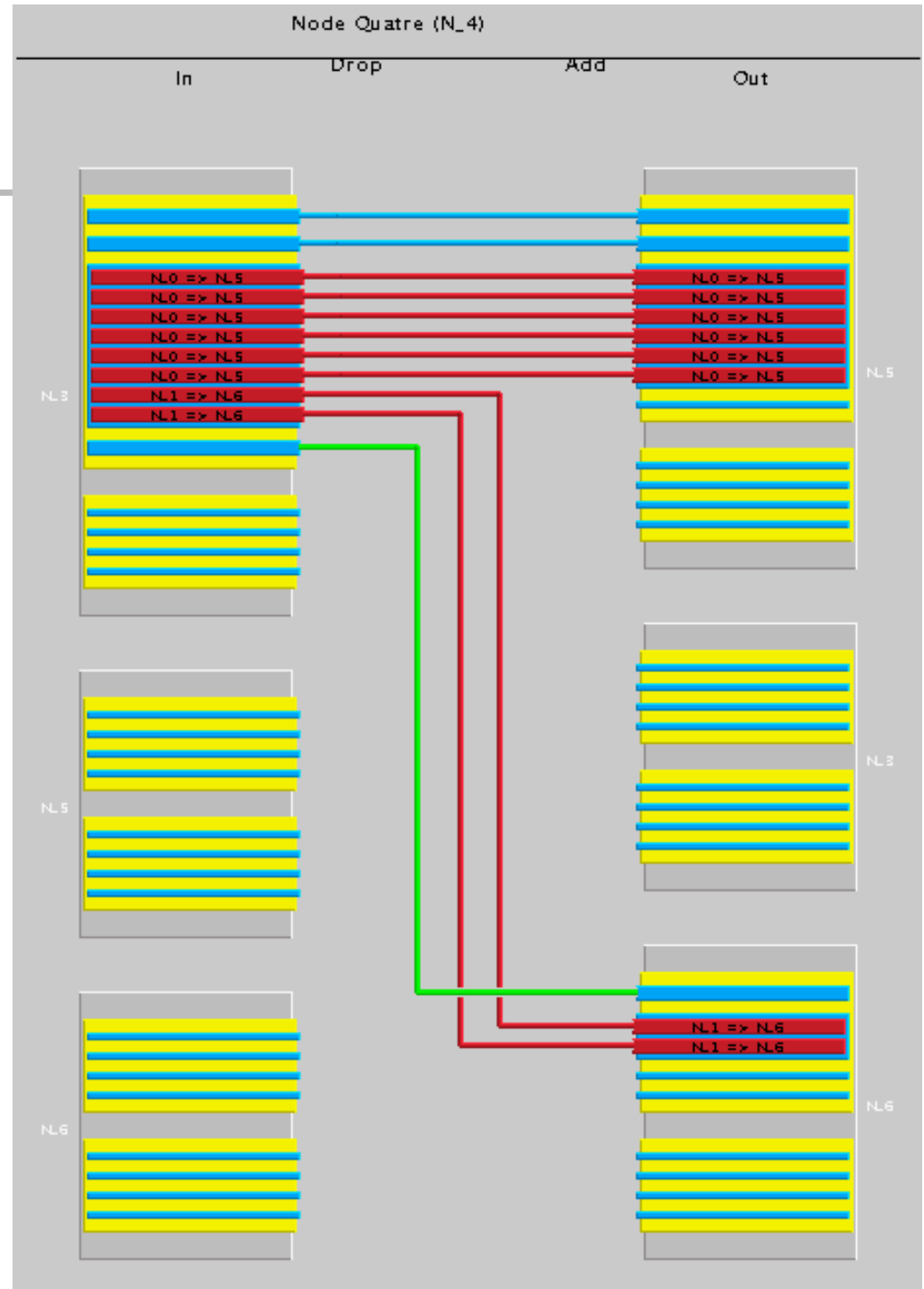
Cable from N_3 to N_4



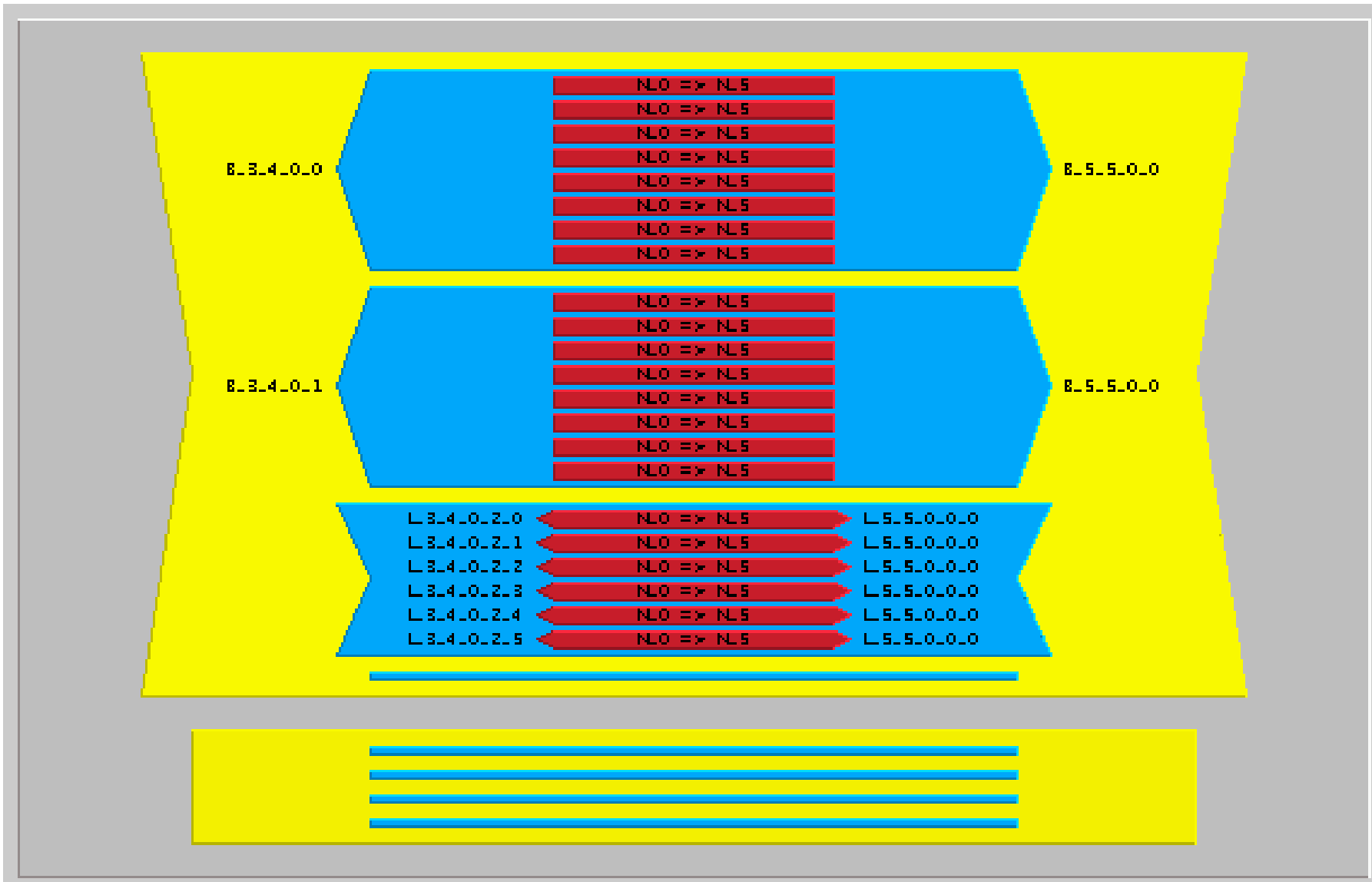


One has to demultiplex 1 band and 2 λ grouped in N_2 :

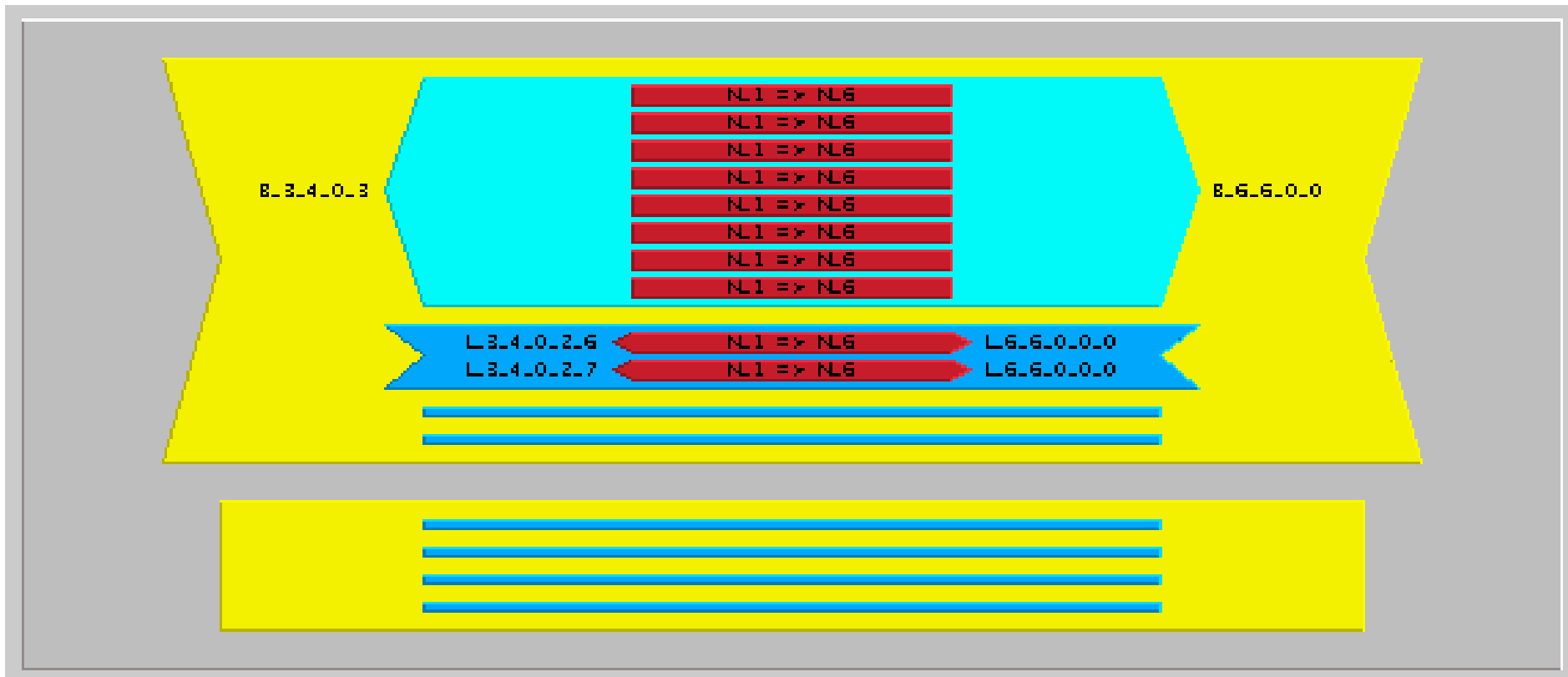
B-OXC and W-OXC

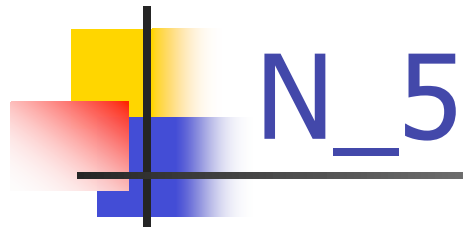


Cable from N_4 to N_5

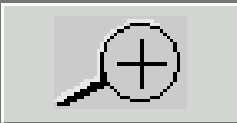


Cable from N_4 to N_6





N_5

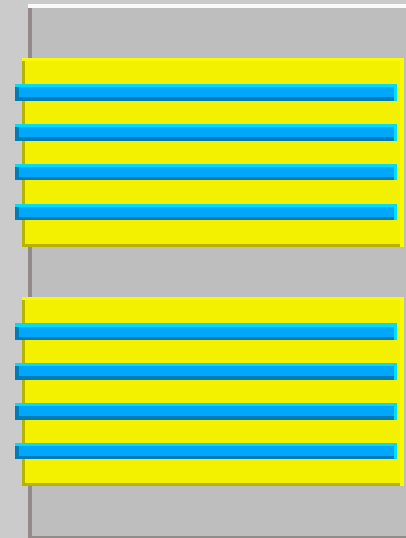
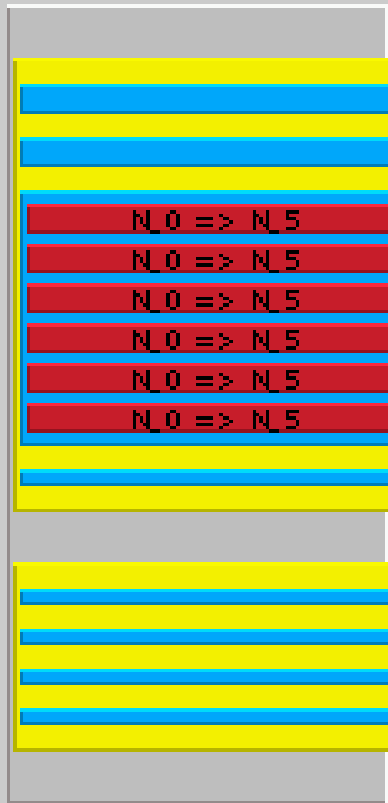


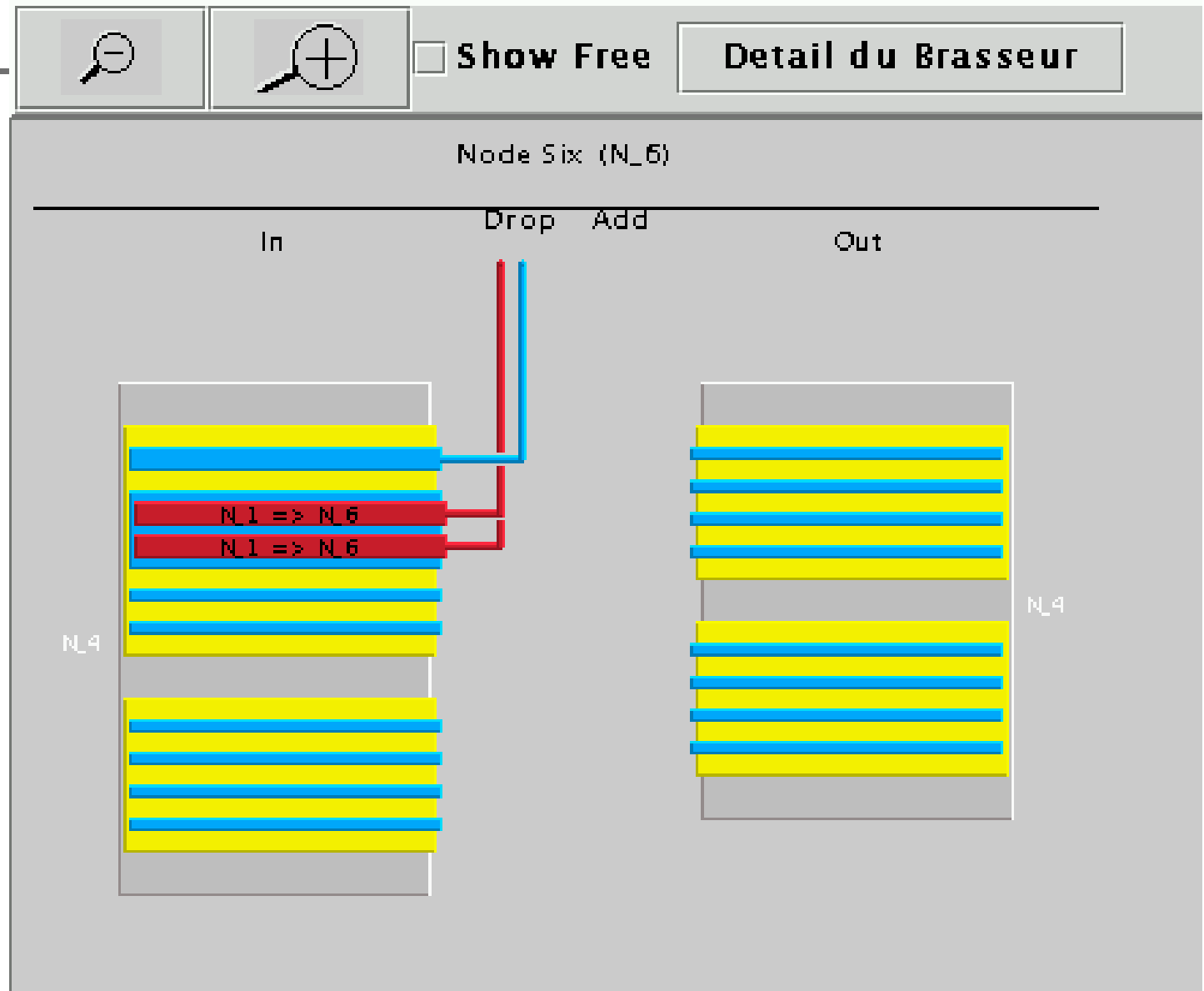
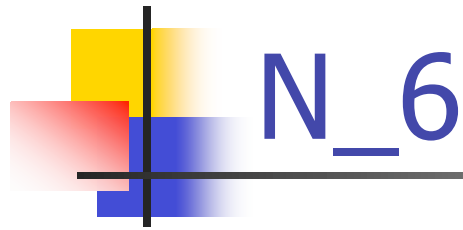
Show Free

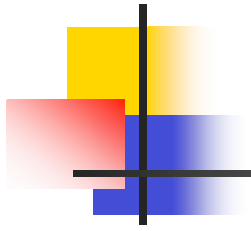
Detail du Brasseur

Node Ginq (N_5)

In Drop Add Out







Conclusion

- Software tool able to process real network instances (France, Europe, USA)
- Allow us to test new algorithms, heuristics
- Perspectives:
 - PORTO-2, Mascopt, ...