

# Introduction to Network Simulator

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# Confidence Intervals

- Consider a random variable  $X$ , with fixed, but unknown parameter  $a$  (e.g. with unknown mean).
- We want to estimate the parameter  $a$  looking at samples of the random variable  $X$ .
- In particular given  $\mathbf{x} = (x_1, x_2, \dots, x_N)$  samples of  $X$ , we want to determine an interval  $I = [a_l, a_u]$ , such that we have a given level of confidence  $\alpha$  about the fact that the parameter belongs to the interval ( $a \in I$ ). The interval  $I$  is a  $\alpha\%$  confidence interval for  $a$ .

# Confidence Intervals (cont'd)

- How to proceed
  - Given the a-priori density function of a vector of  $N$  samples of  $X$  ( $f(\mathbf{X}|a)$ ),
  - we consider also  $a$  as a random variable and we evaluate through Bayes' theorem the density function
$$f(a|\mathbf{x}) = f(\mathbf{x}|a)f(a)/f(\mathbf{x}),$$
  - intuitively the values for which  $f(a|\mathbf{x})$  has higher values are those more *likely* for the parameter  $a$ ,
  - hence we collect in the interval  $I$  the values maximizing  $f(a|\mathbf{x})$ .
  - $f(\mathbf{x})$  is a constant, and under ignorance prior (i.e.  $f(a)$  constant),  $f(a|\mathbf{x}) \propto f(\mathbf{x}|a)$ , hence we can just consider a function proportional to  $f(\mathbf{x}|a)$  (called the *likelihood* function).

# Confidence Intervals (cont'd)

- An example:  $x \sim \mathbf{N}(\mu, \sigma^2)$ ,  $\mu$  is unknown
  - $\bar{x} = \sum_{i=1}^N \frac{x_i}{N}$  is distributed as  $N(\mu, \sigma^2/N)$ , i.e. with density
$$f(\bar{x}|\mu) = \frac{1}{\sqrt{2\pi\sigma^2/N}} e^{-\frac{(\bar{x}-\mu)^2 N}{2\sigma^2}}$$
  - we can consider the likelihood function  $L(\mu|\bar{x}) = e^{-\frac{(\bar{x}-\mu)^2 N}{2\sigma^2}}$
  - and determine the interval  $I = [\mu_1, \mu_2]$  including the values maximizing  $L(\mu|\bar{x})$  up to collect  $\alpha\%$  of the area underneath the curve,
  - in this way we get the interval  $[\bar{x} - \frac{\sigma}{\sqrt{N}} z_{1-\alpha/2}, \bar{x} + \frac{\sigma}{\sqrt{N}} z_{1-\alpha/2}]$ , where  $z_{1-\alpha/2}$  is the  $1 - \alpha/2$  percentile of the standard gaussian distribution, i.e.  $\text{Prob}(z < z_{1-\alpha/2}) = 1 - \alpha/2$

# Confidence Intervals (cont'd)

- An example:  $x \sim \mathbf{N}(\mu, \sigma^2)$ ,  $\mu$  and  $\sigma^2$  unknown
  - the interval is  $[\bar{x} - \frac{\hat{\sigma}}{\sqrt{N}}t_{1-\alpha/2}, \bar{x} + \frac{\hat{\sigma}}{\sqrt{N}}t_{1-\alpha/2}]$ , where  $\hat{\sigma}^2 = \sum_{i=1}^N (x_i - \bar{x})^2 / (N - 1)$  is an estimator of the variance and  $t_{1-\alpha/2}$  is the  $1 - \alpha/2$  percentile of the student  $t$  distribution with  $N - 1$  degrees of freedom.
- with other distributions
  - the central limit is often invoked to apply above expressions for the evaluation of confidence intervals for the mean.

# First Assignment

- Starting from the network scenario with two CBR sources considered in the previous lessons (`cbr.tc1`), let the two sources start uniformly at random in the interval  $[0.5, 1.5]$ . Develop a script (a set of scripts), in order to perform different runs and evaluate the confidence intervals for the average throughput of the two sources.  
Remarks/Suggestions:
  - Use different generators for independent random variables and a different substream for a given generator at each run.
  - Use the agent LossMonitor as sink `set sink0 [new Agent/LossMonitor]` in order to be able to read the data received through the variable `bytes_` of the agent.
  - Evaluate the average throughputs at the end of the ns simulations and append them to a file, then calculate confidence intervals through post processing.

# Second Assignment

- In the above network scenario change the rate of one CBR source to 0.5 Mbps and replace the other one with a FTP source, which uses TCP with MSS equal to 552 bytes. The advertised window from the receiver is equal to 8000 packets. Introduce a procedure that logs the congestion window value every 10 ms. Write a script to evaluate the average throughput of the TCP source every 10 ms from the global ns trace file (the one obtained by `trace-all`). Visualize the window and the throughput time evolution.

# Some useful tcl commands

- Create a TCP NewReno source

```
set tcpSource [new Agent/TCP/Newreno]
```

- Create a TCP sink with delayed acks

```
set sink [new Agent/TCPSink/DelAck]
```

- Access the congestion window value (packets #)

```
$tcpSource set cwnd_
```

- Access the receiver window value (packets #)

```
$tcpSource set window_
```

*In ns the receiver window is set to a constant value at the sender*

- Setup a FTP source over a TCP connection

```
set ftp [new Application/FTP]
```

```
$ftp attach-agent $tcpSource
```

# How to plot

- gnuplot, xgraph, matlab, octave, ...
  - e.g. with gnuplot one can plot data in the second column versus data in the first column with

```
plot 'nomefile' using ($1):($2)
```