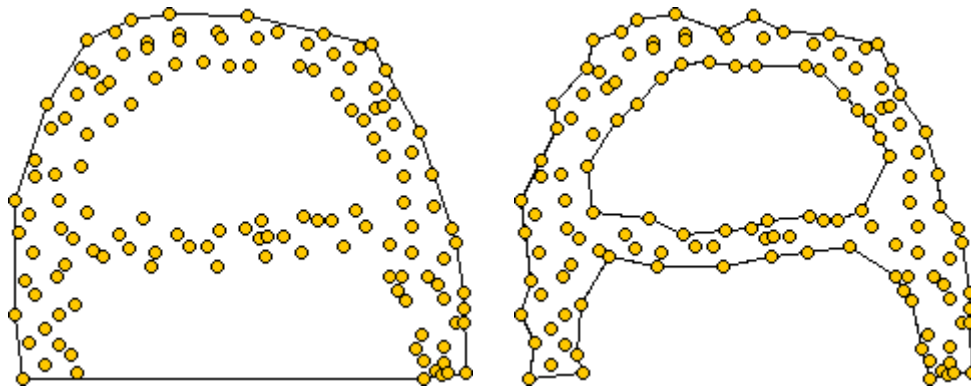


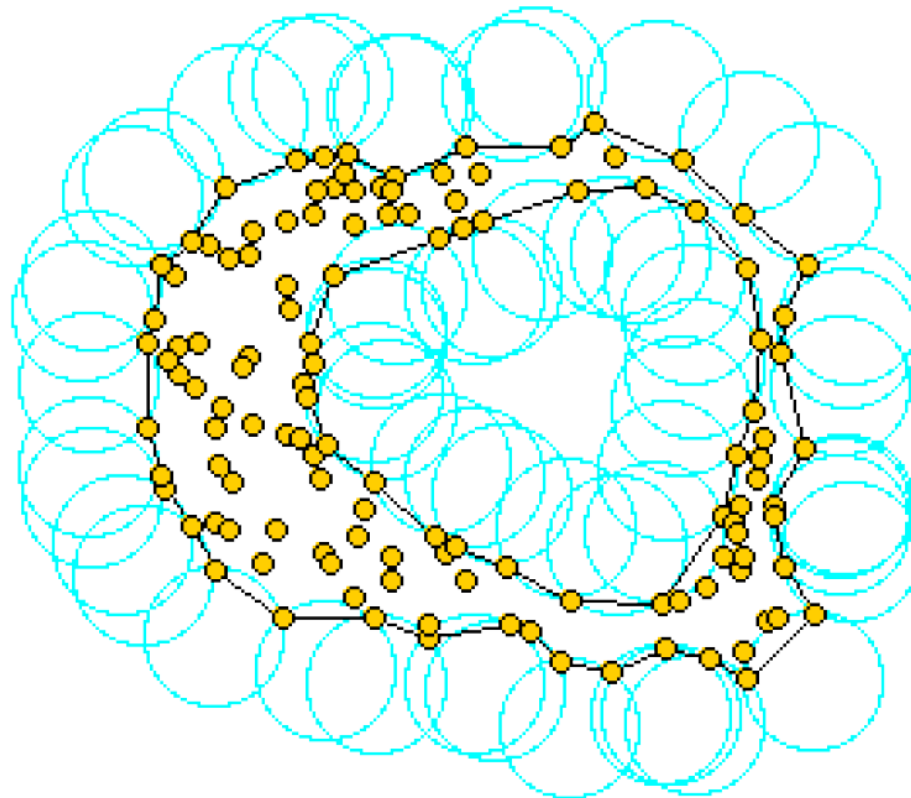
Alpha-Shapes (TP)

Alpha-Shapes [Edelsbrunner, Kirkpatrick, Seidel]

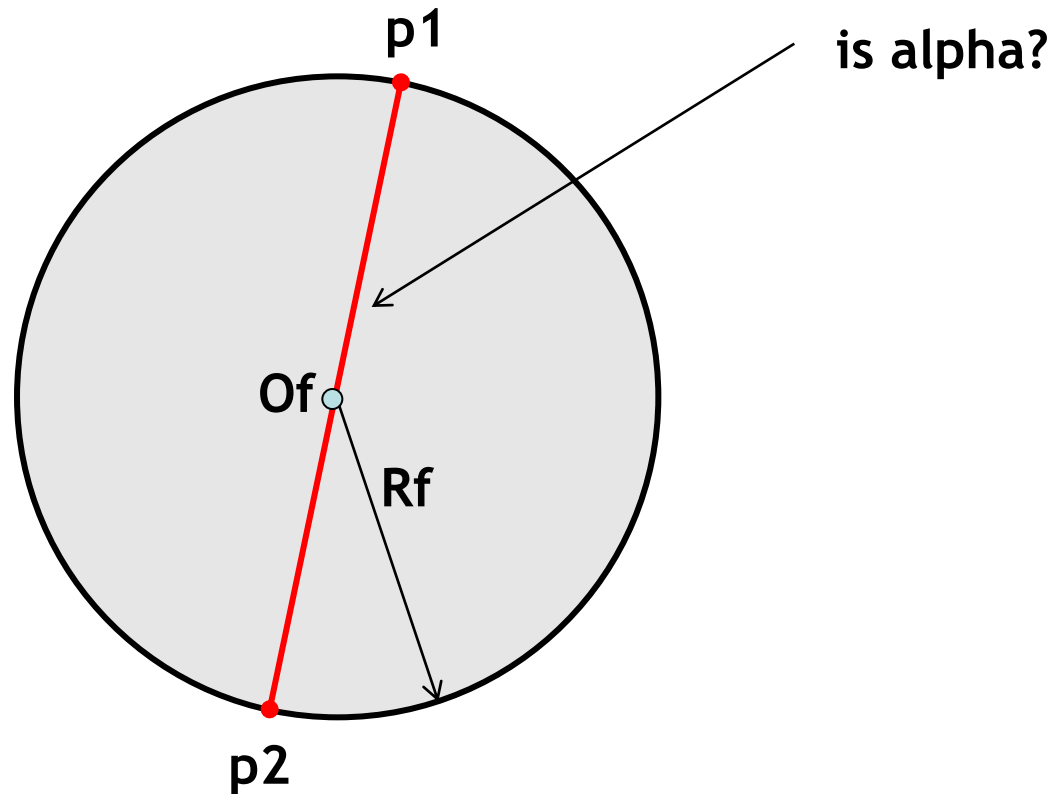
- In 2D: family of piecewise linear simple curves constructed from a point set P .
- Subcomplex of the Delaunay triangulation of P .
- Generalization of the concept of the convex hull.



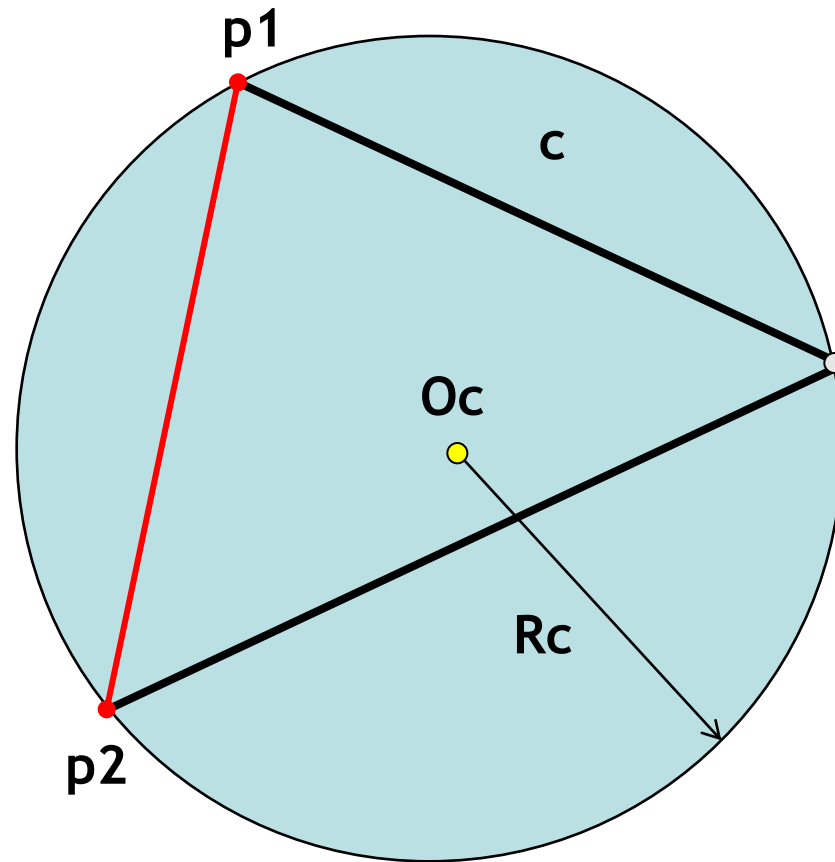
Alpha-Shapes



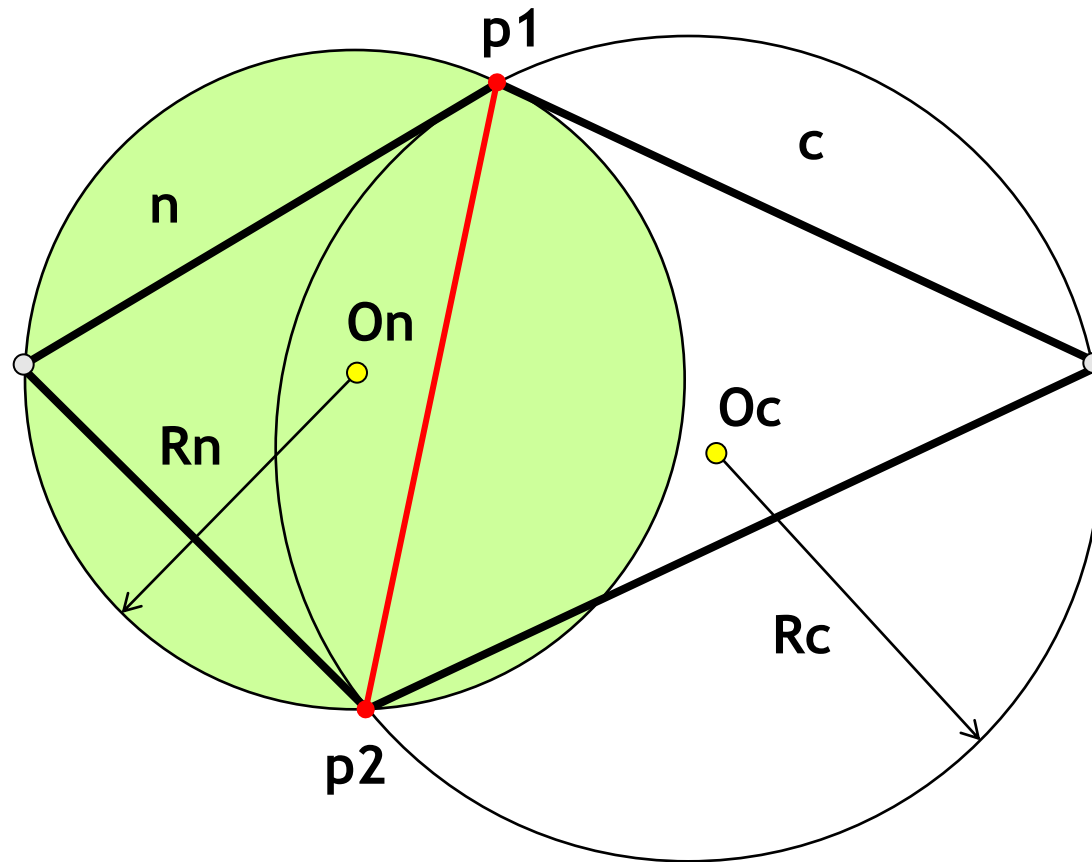
2D Alpha-Shapes (general case)



2D Alpha-Shapes (general case)

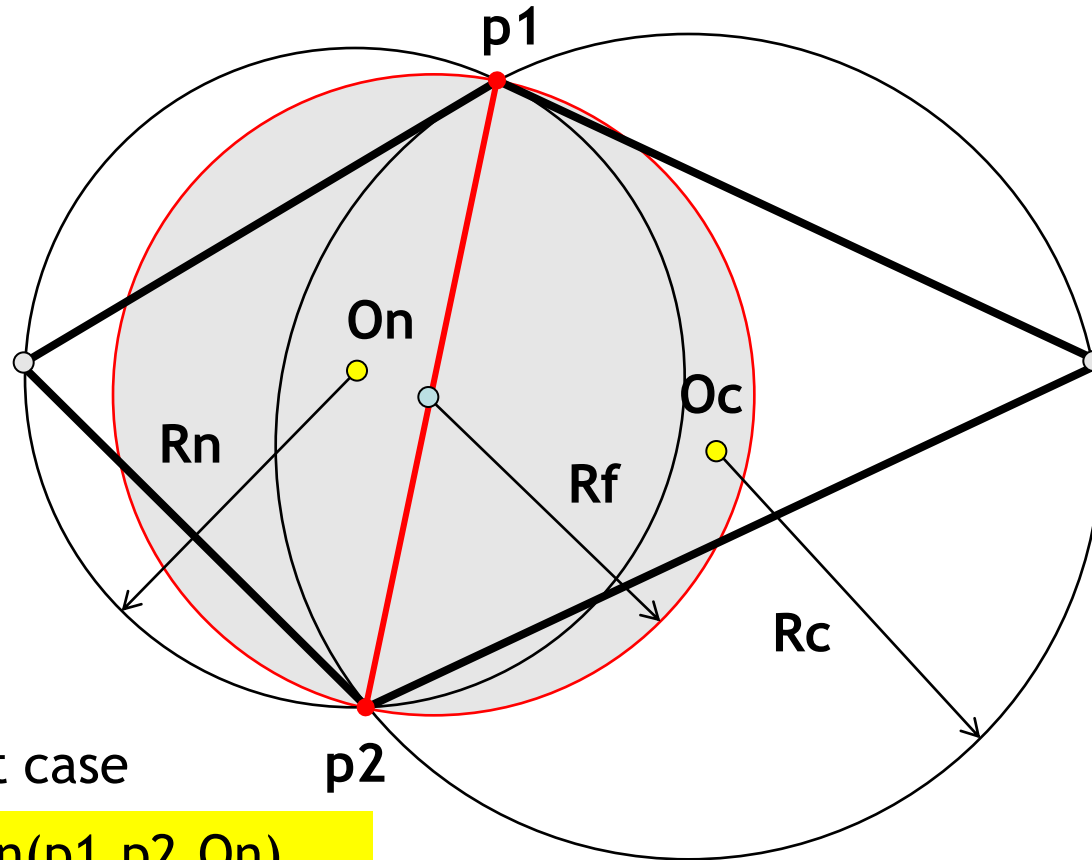
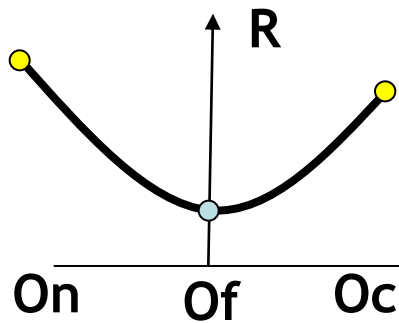


2D Alpha-Shapes (general case)



2D Alpha-Shapes (general case)

is_alpha if
 $\alpha > R_f$
AND
 $\alpha < \max(R_c, R_n)$

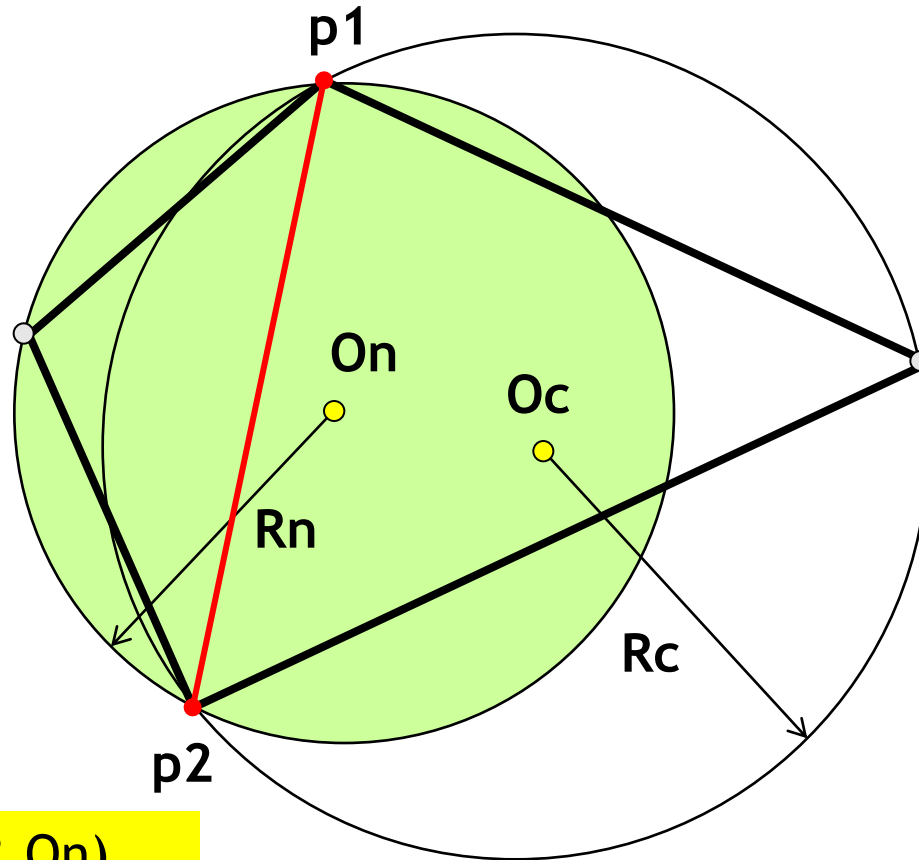
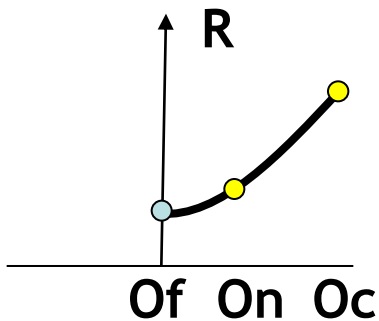


Careful: simplest case

`CGAL::orientation(p1,p2,O_n)`
`!= CGAL::orientation(p1,p2,O_c)`

2D Alpha-Shapes

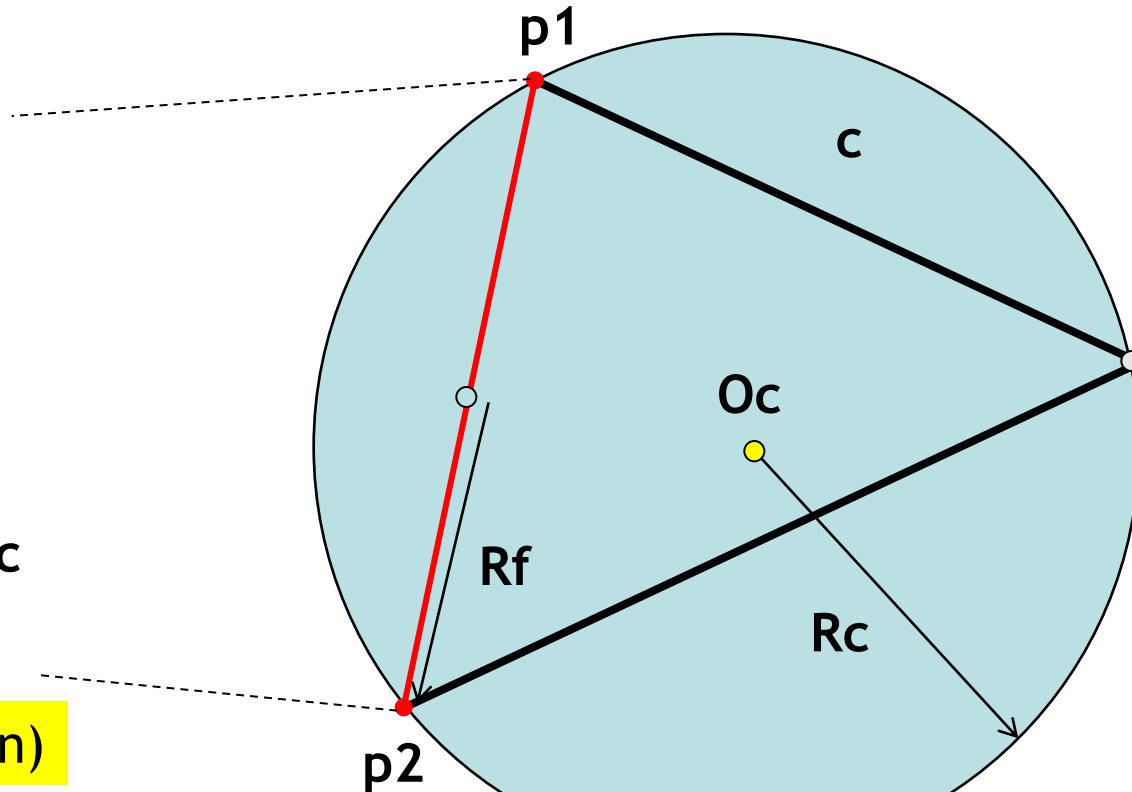
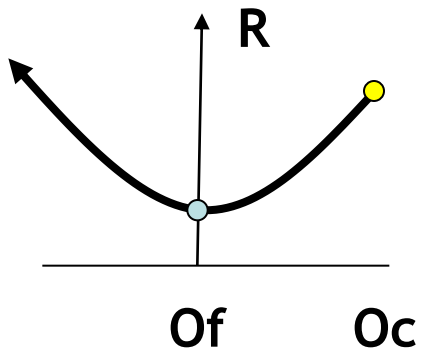
is_alpha if
 $\alpha > \min(R_c, R_n)$
AND
 $\alpha < \max(R_c, R_n)$



`CGAL::orientation(p1,p2,On)`
`== CGAL::orientation(p1,p2,Oc)`

2D Alpha-Shapes

is_alpha if
 $\alpha > R_f$



`Dt::is_infinite(n)`

`CGAL::orientation(p1,p2,Oc)`
`== CGAL::POSITIVE`

