

Realistic numerical modelling of head tissues exposure to electromagnetic waves from mobile phones

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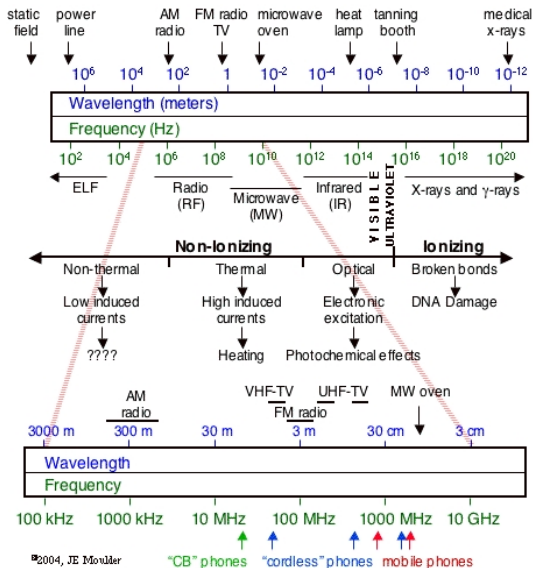
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HP European Technical Center, Sophia Antipolis, June 12th 2006

- 1 Electromagnetic waves and humans
- 2 Exposure to mobile phone radiation
- 3 Numerical dosimetry of EM fields
- 4 HeadExp collaborative research action
- 5 Ongoing and future works

ElectroMagnetic (EM) waves and humans

- EM waves are increasingly present in our daily environment
 - Natural sources (earth magnetic field, etc.)
 - Manmade sources
 - Domestic appliances: TV, radio, microwave ovens, hairdryers, fridges, etc.
 - Technological devices: mobile phones, Wi-Fi, etc.
- Electromagnetic fields
 - An EM field is characterized by its frequency (Hz, MHz, GHz)
 - Ionising radiation
 - Upper part of the frequency spectrum
 - Can induce changes at the molecular level
 - x-rays and gamma rays
 - Non-ionising radiation
 - Lower part of the frequency spectrum
 - Static and power frequency fields, radiofrequencies, microwaves and infrared radiation

ElectroMagnetic (EM) waves and humans



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"CB" phones

"cordless" phones

mobile phones

ElectroMagnetic (EM) waves and humans

- Effects of radiofrequencies (RF) and microwaves (MW) on humans
 - Energy from RF and MW is absorbed into the body

$$\text{SAR (Specific Absorption Rate)} : \frac{\sigma |\mathbf{E}|^2}{\rho}$$

- \mathbf{E} : electric field
 - σ : tissue conductivity
 - ρ : tissue density
- Energy is converted to heat
- Energy is dissipated by the body's normal thermoregulatory process
- No evidence that exposure to RF and MW is harmful
- Guidelines have been produced by a number of bodies around the world
 - National Radiological Protection Board (NRPB)
 - International Commission for Non-Ionising Radiation Protection (ICNIRP)

Exposure to mobile phone radiation

- Health issues related to hand-held mobile phones
 - J.E. Moulder, K.R. Foster, L.S. Erdreich, J.P. McNamee: Mobile phones, mobile phone base stations, and cancer: a review. Int. J. Rad. Biol., 2005.
 - 2000-2001 review by the Royal Society of Canada
 - 2000 report of the UK Independent Expert Group on Mobile Phones (the "Stewart Commission")
 - Human exposure to radio frequency and microwave radiation from portable and mobile telephones and other wireless communication devices. A COMAR¹ technical information statement. IEEE Eng. Med. Biol., 2001.
 - 2001 review from the World Health Organization
 - 2001 review from American Cancer Society
 - 2002 report from the Health Council of the Netherlands
 - Reviews from the UK NRPB in 2003-2005
- FAQs by J. Moulder on health and safety issues related to EM fields
<http://www.mcw.edu/gcrc/cop/cell-phone-health-FAQ/toc.html>

¹IEEE Committee on Man and Radiation

- Health issues related to hand-held mobile phones
 - Rapport Zmirou, Direction Générale de la Santé, 2001
http://www.sante.gouv.fr/hm/dossiers/telephon_mobil/rapport_zmirou.htm
 - Etude INERIS (Institut National de l'Environnement industriel et des RISques) bibliographique sur la problématique fréquences et santé
<http://www.art-telecom.fr/publications/index-etud-ineris.htm>
 - Rapport de l'OPECST (Office Parlementaire d'Evaluation des Choix Scientifiques et Technologiques du Sénat) n 52, 2002-2003
<http://www.senat.fr/rap/r02-052/r02-052.html>
 - Rapport de l'AFSSE (Agence Française de Sécurité Sanitaire de l'Environnement et du Travail), 2005
http://www.afsse.fr/documents/rapport_telephonie_mobile_2005.pdf

- Health issues related to hand-held mobile phones
 - **Biological** effects versus **sanitary** effects
 - Biological effects: physiological, biochemical or behavioral changes induced in a body, tissue or cell by an external source
 - A biological effect does not necessarily represent a risk for human health
 - Sanitary effects: consequences of biological effects that change the **normal behavior** of a body
 - **Thermal** effects versus **non-thermal** effects
 - A thermal effect results from a local or systemic heating of a tissue
 - Thermal effects are relatively well known
 - Ongoing studies are concerned with non-thermal effects

- Health issues related to hand-held mobile phones
 - Epidemiological studies
 - Possible links with various cancers
 - Experimental studies
 - Dosimetry of animal exposure
 - In vivo and in vitro studies
 - Computer simulation studies
 - Numerical dosimetry of EM fields
 - Evaluation of temperature elevation in tissues

Numerical dosimetry of EM fields

- Numerical dosimetry in biological tissues can be used for:
 - compliance testing,
 - understanding the underlying physical mechanisms,
 - planning purposes and design objectives (medical applications).
- Numerical modelling aims at providing:
 - the dosimetry of the electromagnetic radiation (SAR distribution),
 - the temperature elevation of tissues,
 - optimization of the treatment (electrode shape design, antenna configuration, etc.).
- Numerical modelling requires geometrical models:
 - built from medical images,
 - must describe several tissues (e.g muscle, blood, bone, etc.),
 - should be suited to localized discretization strategies.

Numerical dosimetry of EM fields

Mathematical modeling: the system of Maxwell's equations

$$\begin{cases} \varepsilon(\mathbf{x}) \frac{\partial \mathbf{E}}{\partial t} - \nabla \times \mathbf{H} = -\mathbf{J} \\ \mu(\mathbf{x}) \frac{\partial \mathbf{H}}{\partial t} + \nabla \times \mathbf{E} = 0 \end{cases}$$

- $\mathbf{E} = \mathbf{E}(\mathbf{x}, t)$: electric field
- $\mathbf{H} = \mathbf{H}(\mathbf{x}, t)$: magnetic field
- $\varepsilon(\mathbf{x})$: electric permittivity
- $\mu(\mathbf{x})$: magnetic permeability
- $\mathbf{J} = \mathbf{J}(\mathbf{x}, t)$: electric current density
 - Conductive media: $\mathbf{J} = \sigma \mathbf{E}$
 - $\sigma(\mathbf{x})$: electric conductivity

Numerical dosimetry of EM fields

Numerical methods on uniform, cartesian grids

- FDM: Finite Difference Methods
- Advantages
 - Easy computer implementation
 - Computationally efficient (very low algorithmic complexity)
 - Mesh generation is straightforward (medical images are voxel based)
 - Modelization of complex sources (antennas, thin wires, etc.) is well established
- Drawbacks
 - Accuracy on non-uniform discretizations
 - Memory requirements for high resolution models
 - Approximate discretization of boundaries (stair case representation)
- Numerical dosymetry analysis of mobile phones radiation most often relies on the FDTD method
 - P. Bernardi *et al.* (U. La Sapienza, Roma, Italy)
 - O.P. Gandhi *et al.* (U. of Utah, USA)
 - J. Wiart *et al.* (FTR&D, France)
 - etc.

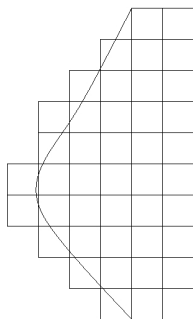
Numerical dosimetry of EM fields

Numerical methods on non-uniform grids

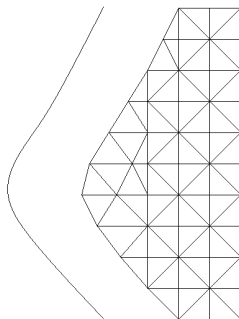
- FEM: Finite Element Methods
- FVM: Finite Volume Methods
- Advantages
 - Accurate representation of surfaces (e.g interfaces between tissues)
 - Amenable to local refinement strategies
 - Well suited to high order interpolation methods
 - Flexibility with regards to heterogeneity (e.g discontinuous Galerkin methods)
- Drawbacks
 - Computer implementation is less trivial
 - Computing time
 - Unstructured mesh generation is hardly automated
 - Continuous finite element solvers are implicit (mass matrix)
- Related works
 - P. Wainwright and P. Dimbylow (Health Protection Agency, UK)
 - FEKO commercial software, hybrid Mom/FEM (South Africa)

Numerical dosimetry of EM fields

- ϵ , σ and ρ are varying from one tissue to the other
- They also depend on the frequency of the signal
- Discontinuities of \mathbf{E} and \mathbf{H} occur at interfaces between different tissues



FDM



FEM/FVM

Discontinuous Galerkin methods

- Initially introduced to solve neutron transport problems (Reed and Hill, 1973)
- Became popular as a framework for solving hyperbolic or mixed hyperbolic/parabolic problems
- Recently developed for elliptic problems
- Somewhere between a finite element and a finite volume method, gathering many good features of both
- Main properties
 - Can easily deal with discontinuous coefficients and solutions
 - Can handle unstructured, non-conforming meshes
 - Yield local finite element mass matrices
 - High-order accurate methods with compact stencils
 - Naturally adapted to p -adaptivity
 - Amenable to efficient parallelization

- Tetrahedral meshes
- Centered fluxes, leap-frog time integration
- Bernacki, Fezoui, Lanteri and Piperno, J. Comput. Acoust. 2006

$$\left\{ \begin{array}{l} \iint\int_{\tau_i} \vec{\varphi} \cdot \varepsilon_i \frac{\mathbf{E}_i^{n+1} - \mathbf{E}_i^n}{\Delta t} d\omega = -\sum_{k \in \mathcal{V}_i} \Phi_{H,ik}^{n+\frac{1}{2}} + \iint\int_{\tau_i} \nabla \times \vec{\varphi} \cdot \mathbf{H}_i^{n+\frac{1}{2}} d\omega \\ \iint\int_{\tau_i} \vec{\varphi} \cdot \mu_i \frac{\mathbf{H}_i^{n+\frac{3}{2}} - \mathbf{H}_i^{n+\frac{1}{2}}}{\Delta t} d\omega = \sum_{k \in \mathcal{V}_i} \Phi_{E,ik}^{n+1} - \iint\int_{\tau_i} \nabla \times \vec{\varphi} \cdot \mathbf{E}_i^{n+1} d\omega \end{array} \right.$$

$$\text{with : } \left\{ \begin{array}{l} \Phi_{H,ik}^{n+\frac{1}{2}} = \iint_{a_{ik}} \vec{\varphi} \cdot \frac{\mathbf{H}_i^{n+\frac{1}{2}} + \mathbf{H}_k^{n+\frac{1}{2}}}{2} \times \vec{n}_{ik} d\sigma \\ \Phi_{E,ik}^{n+1} = \iint_{a_{ik}} \vec{\varphi} \cdot \frac{\mathbf{E}_i^{n+1} + \mathbf{E}_k^{n+1}}{2} \times \vec{n}_{ik} d\sigma \end{array} \right.$$

$$\mathbf{E}_i^n(\mathbf{x}) = \sum_{1 \leq j \leq d_i} E_{ij}^n \vec{\varphi}_{ij}(\mathbf{x}) \quad \text{and} \quad \mathbf{H}_i^{n+\frac{1}{2}}(\mathbf{x}) = \sum_{1 \leq j \leq d_i} H_{ij}^{n+\frac{1}{2}} \vec{\varphi}_{ij}(\mathbf{x})$$

- $\mathbb{E}_i^n = \{E_{ij}^n\}_{1 \leq j \leq d_i}$ and $\mathbb{H}_i^{n+\frac{1}{2}} = \{H_{ij}^{n+\frac{1}{2}}\}_{1 \leq j \leq d_i}$
- $M_i^\varepsilon = \varepsilon_i \iiint_{\tau_i} \vec{\varphi}_{ij} \vec{\varphi}_{ij} d\omega$ and $M_i^\mu = \mu_i \iiint_{\tau_i} \vec{\varphi}_{ij} \vec{\varphi}_{ij} d\omega$

$$1 \leq j \leq d_i : \begin{cases} \left[M_i^\varepsilon \frac{\mathbb{E}_i^{n+1} - \mathbb{E}_i^n}{\Delta t} \right]_j = - \sum_{k \in \mathcal{V}_i} \Phi_{H,ik}^{n+\frac{1}{2}} + \iiint_{\tau_i} \nabla \times \vec{\varphi}_{ij} \cdot \mathbf{H}_i^{n+\frac{1}{2}} d\omega \\ \left[M_i^\mu \frac{\mathbb{H}_i^{n+\frac{3}{2}} - \mathbb{H}_i^{n+\frac{1}{2}}}{\Delta t} \right]_j = \sum_{k \in \mathcal{V}_i} \Phi_{E,ik}^{n+1} - \iiint_{\tau_i} \nabla \times \vec{\varphi}_{ij} \cdot \mathbf{E}_i^{n+1} d\omega \end{cases}$$

- Unstructured tetrahedral meshes
- \mathbb{P}_0 -DGTD: finite volume solver
 - 6 dof per tetrahedron
 - CFL=1
- \mathbb{P}_1 -DGTD: DG based on linear interpolation
 - Nodal (Lagrange) basis functions
 - 24 dof per tetrahedron
 - CFL= $\frac{1}{3}$
- SPMD parallelization strategy
 - Mesh partitioning (ParMeTiS)
 - Message passing programming model (MPI)

HeadExp realistic numerical modelling of human HEAD tissues EXPosure to electromagnetic waves radiation from mobile phones

- A multi-disciplinary cooperative research action
 - From January 2003 to December 2004
 - Partners: INRIA (CAIMAN, EPIDAURE, GAMMA, ODYSSÉE, ONDES), ENST Paris, INERIS et FT R&D
- Objectives
 - Contribute to ongoing research activities on biological effects resulting from the use of mobile phones
 - Demonstrate the benefits of using **unstructured mesh** Maxwell solvers for numerical dosimetric studies
 - Evaluate the thermal effects induced by the electromagnetic radiation in head tissues
- Specific activities
 - Medical image processing (segmentation of head tissues)
 - Geometrical modelling (surface and volumic mesh generation)
 - Numerical modelling (time domain Maxwell solvers, bioheat equation solver)
 - Experimental validations

Characteristics of tissues (F=1800 MHz)

Tissue	ϵ_r	σ (S/m)	ρ (Kg/m ³)	λ (mm)
Skin	43.85	1.23	1100.0	26.73
Skull	15.56	0.43	1200.0	42.25
CSF	67.20	2.92	1000.0	20.33
Brain	43.55	1.15	1050.0	25.26

- Geometrical models
 - Built from segmented medical images
 - Collaboration with INRIA teams specialized in medical image processing and geometrical modelling
 - Extraction of surfacic (triangular) meshes of the tissue interfaces using specific tools
 - Marching cubes + adaptive isotropic surface remeshing (P. Frey, 2001)
 - Delaunay refinement (J.-D. Boissonnat and S. Oudot, 2005)
 - Level-set method (J.-P. Pons, 2005)
 - Generation of tetrahedral meshes using a Delaunay/Voronoi tool

Characteristics of unstructured meshes of head tissues

- Coarse mesh (M1)

- # vertices: 135,633 and # tetrahedra: 781,742

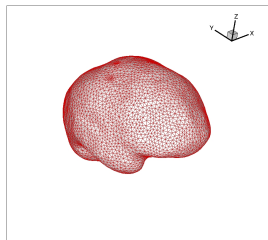
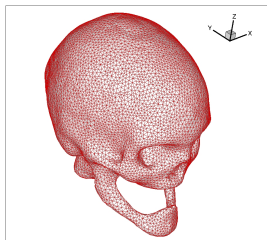
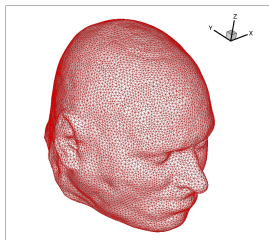
Tissue	L_{\min} (mm)	L_{\max} (mm)	L_{moy} (mm)	λ (mm)
Skin	1.339	8.055	4.070	26.73
Skull	1.613	7.786	4.069	42.25
CSF	0.650	7.232	4.059	20.33
Brain	0.650	7.993	4.009	25.26

- Fine mesh (M2)

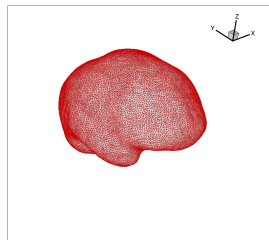
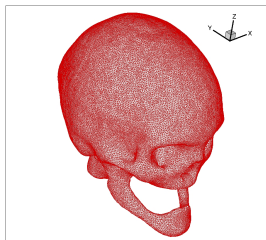
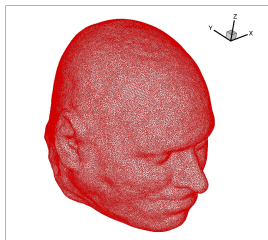
- # vertices: 889,960 and # tetrahedra: 5,230,947

Tissue	L_{\min} (mm)	L_{\max} (mm)	L_{moy} (mm)	λ (mm)
Skin	0.821	5.095	2.113	26.73
Skull	0.776	4.265	2.040	42.25
CSF	0.909	3.701	1.978	20.33
Brain	0.915	5.509	2.364	25.26

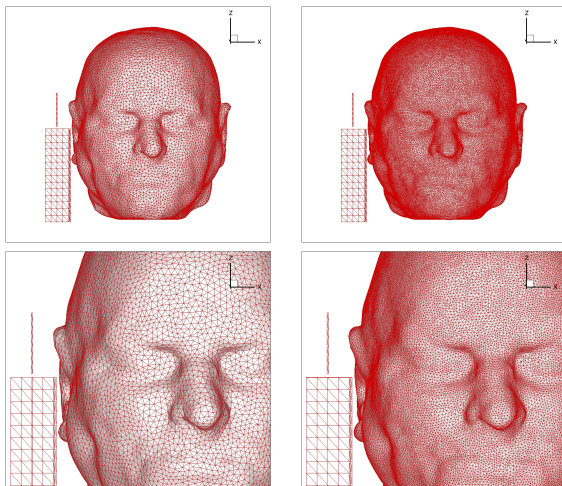
Surfacic meshes (mesh M1)



Surfacic meshes (mesh M2)



Head + simplified telephone model



Characteristics of unstructured meshes Head tissues + telephone + freespace

- Coarse mesh (M1)

- # vertices: 311,259 and # tetrahedra: 1,862,136
- Time step: 0.653 psec (\mathbb{P}_0 -DGTD method) and 0.019 psec (\mathbb{P}_1 -DGTD method)

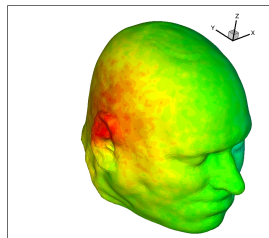
L_{\min} (mm)	L_{\max} (mm)	L_{moy} (mm)
0.650	8.055	4.064

- Fine mesh (M2)

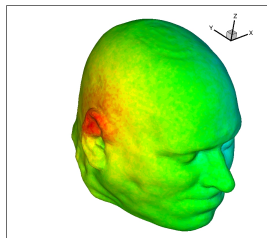
- # vertices: 1,308,842 and # tetrahedra: 7,894,172
- Time step: 0.663 psec (\mathbb{P}_0 -DGTD method)

L_{\min} (mm)	L_{\max} (mm)	L_{moy} (mm)
0.776	5.509	2.132

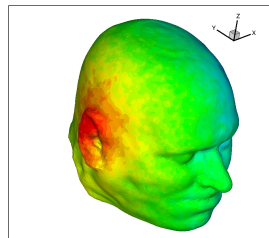
$$\text{SAR (Specific Absorption Rate)} : \frac{\sigma |\mathbf{E}|^2}{\rho}$$
$$\text{SAR/SARmax (log scale)}$$



Mesh M1, \mathbb{P}_0 -DGTD method

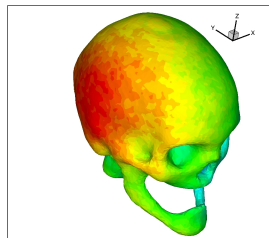


Mesh M2, \mathbb{P}_0 -DGTD method

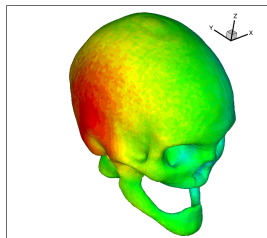


Mesh M1, \mathbb{P}_1 -DGTD method

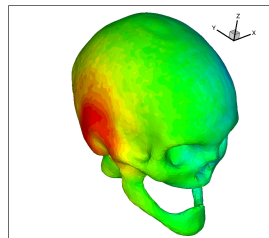
$$\text{SAR (Specific Absorption Rate)} : \frac{\sigma |\mathbf{E}|^2}{\rho}$$
$$\text{SAR/SARmax (log scale)}$$



Mesh M1, \mathbb{P}_0 -DGTD method



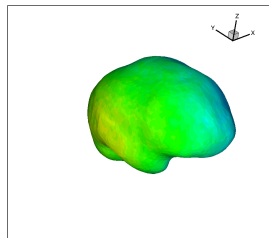
Mesh M2, \mathbb{P}_0 -DGTD method



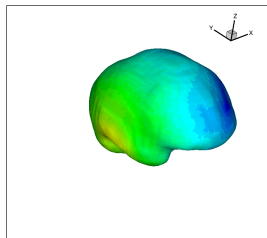
Mesh M1, \mathbb{P}_1 -DGTD method

$$\text{SAR (Specific Absorption Rate)} : \frac{\sigma |\mathbf{E}|^2}{\rho}$$

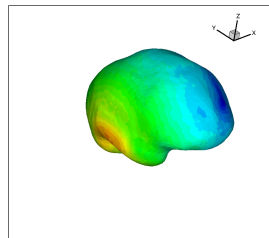
SAR/SARmax (log scale)



Mesh M1, \mathbb{P}_0 -DGTD method

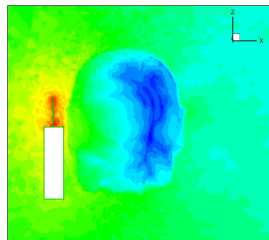


Mesh M2, \mathbb{P}_0 -DGTD method

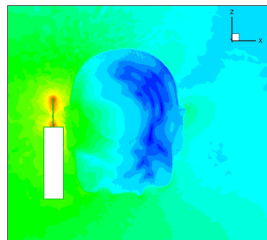


Mesh M1, \mathbb{P}_1 -DGTD method

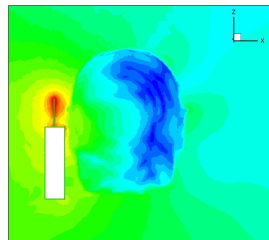
Electric field amplitude $|\mathbf{E}|$ (log scale)



Mesh M1, \mathbb{P}_0 -DGTD method



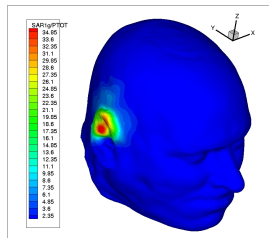
Mesh M2, \mathbb{P}_0 -DGTD method



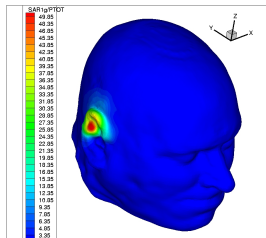
Mesh M1, \mathbb{P}_1 -DGTD method

$$\text{SAR (Specific Absorption Rate)} : \frac{\sigma |\mathbf{E}|^2}{\rho}$$

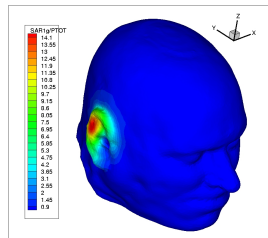
SAR 1g/PTOT



Mesh M1, \mathbb{P}_0 -DGTD method



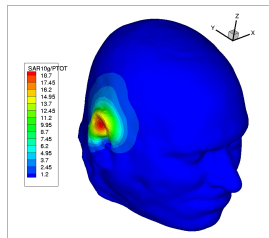
Mesh M2, \mathbb{P}_0 -DGTD method



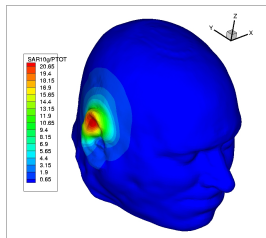
Mesh M1, \mathbb{P}_1 -DGTD method

$$\text{SAR (Specific Absorption Rate)} : \frac{\sigma |\mathbf{E}|^2}{\rho}$$

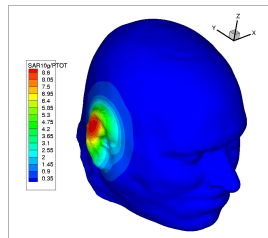
SAR 10g/PTOT



Mesh M1, \mathbb{P}_0 -DGTD method



Mesh M2, \mathbb{P}_0 -DGTD method



Mesh M1, \mathbb{P}_1 -DGTD method

Mesh	Method	Local SAR (W/Kg)	SAR _{1g} (W/Kg)	SAR _{10g} (W/Kg)
M1	P ₀ -DGTD	104.3	37.7	19.5
-	P ₁ -DGTD	23.8	15.0	9.1
M2	P ₀ -DGTD	309.9	53.8	22.4

Normalized peak SAR values

Mesh	Method	N_p	CPU	REAL	% CPU	$S(N_p)$
M1	P ₀ -DGTD	32	36 mn	39 mn	92%	-
-	P ₁ -DGTD	32	6 h 32 mn	6 h 48 mn	95%	-
M2	P ₀ -DGTD	32	2 h 46 mn	2 h 54 mn	95%	1.00
-	-	64	1 h 20 mn	1 h 25 mn	94%	2.00

Cluster of AMD Opteron/2.0 GHz nodes, Gigabit Ethernet

- Temperature elevations in tissues

$$\rho C \frac{\partial T}{\partial t} = \nabla \cdot (\kappa \nabla T) - \beta(T - T_a) + Q_m + Q_{ext}$$

- External source term: $Q_{ext}(\mathbf{x}, t) = \rho(\mathbf{x}, t)\text{SAR}(\mathbf{x}, t)$
- Geometrical modelling
 - Local refinement strategies
 - Simultaneous extraction of surfacic meshes for several tissue interfaces
 - **Non-conforming** tetrahedral meshes
- Numerical modelling
 - High-order \mathbb{P}_k -DGTD methods
 - k -adaptivity

THANK YOU FOR YOUR ATTENTION!

- Temperature elevations in tissues

$$\rho C \frac{\partial T}{\partial t} = \nabla \cdot (\kappa \nabla T) - \beta(T - T_a) + Q_m + Q_{ext}$$

- External source term: $Q_{ext}(\mathbf{x}, t) = \rho(\mathbf{x}, t)\text{SAR}(\mathbf{x}, t)$
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THANK YOU FOR YOUR ATTENTION!