



# THERMOHYDRAULICS FOR COOLING OF TOKAMAK SUPERCONDUCTING MAGNETS

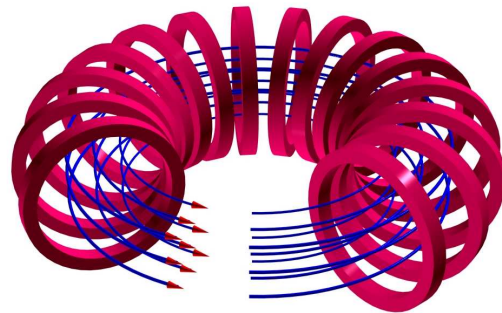
- Introduction, Context and Issues
- Numerical Flow Model : Gandalf, Flower and Vincenta
- Example 1 : Application to the ITER Toroidal Field Model Coil (TFMC)
- Example 2 & 3 : Model on ITER TF fast discharge and operation
- Example 4 : Model of JT60-SA TF Conductor with temperature margin
- Conclusion

**Nicollet S., Duchateau J.L., Lacroix, B.**

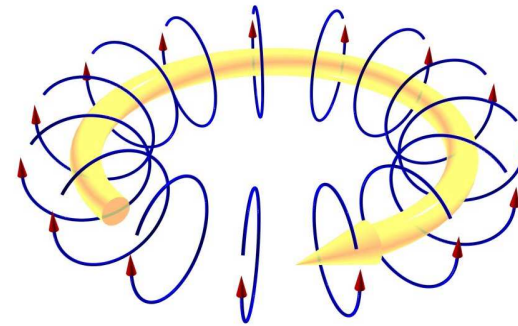
**Association EURATOM-CEA, CEA/ DSM/ DRFC, CEA-Cadarache,  
F-13108 Saint Paul lez Durance, France**



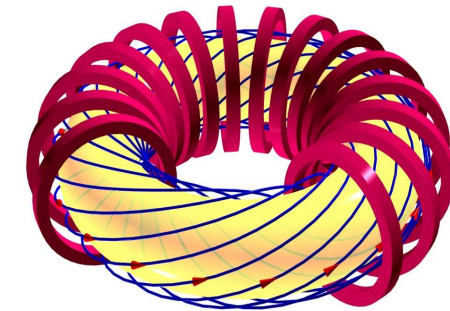
## Introduction and Context : Tokamak, Magnets & Thermohydraulics



*Toroidal field*

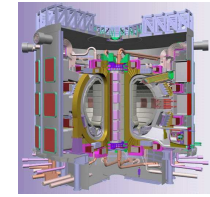


*Poloidal field created by  $I_p$*



*Total field*

- Fusion domain : Very high magnetic fields to confine the Plasma (induce, shape and control)
- Design and Operation of superconducting magnets with high current conductors and high voltages during protection phases, when the magnet must be rapidly deenergised.
- Aim of thermohydraulics studies : determine in function of heat loads the temperature margin of the conductors and coils.

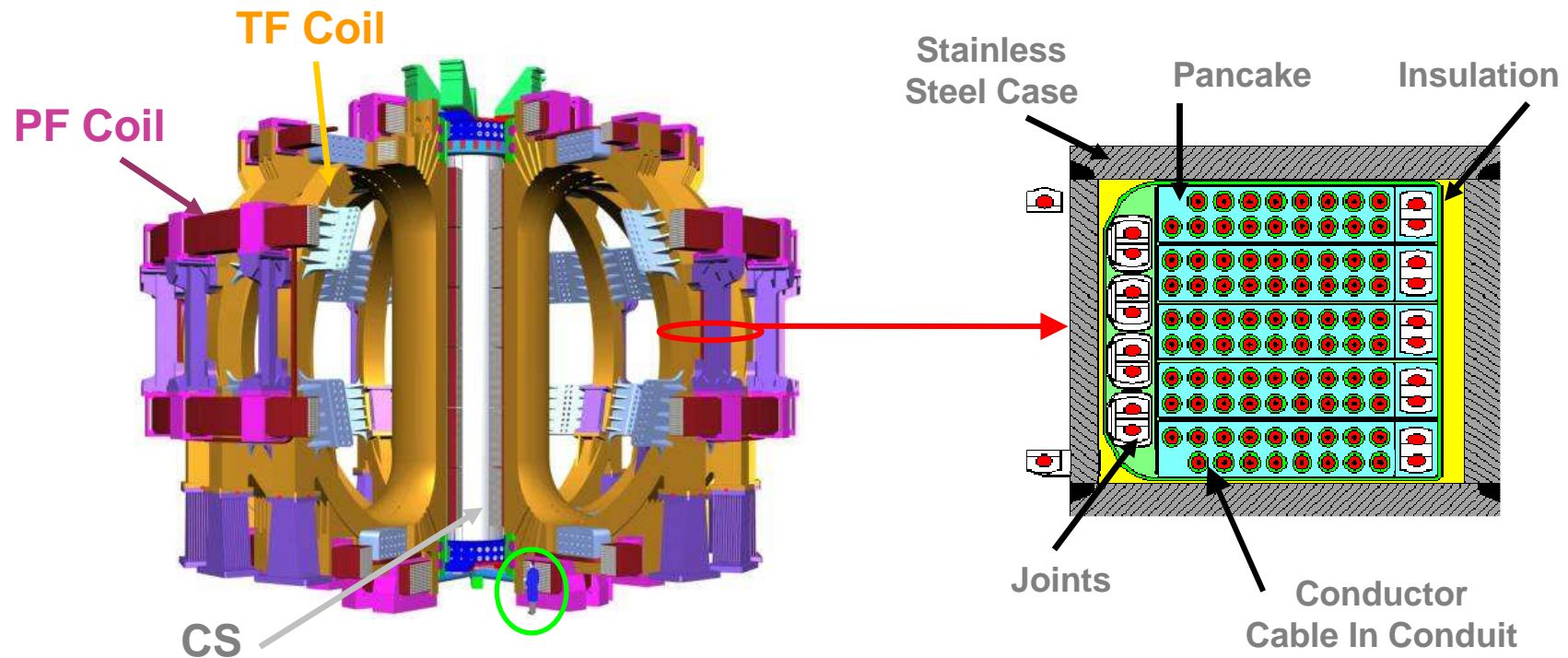


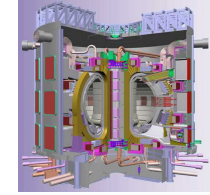
## Introduction and Context : ITER Magnets



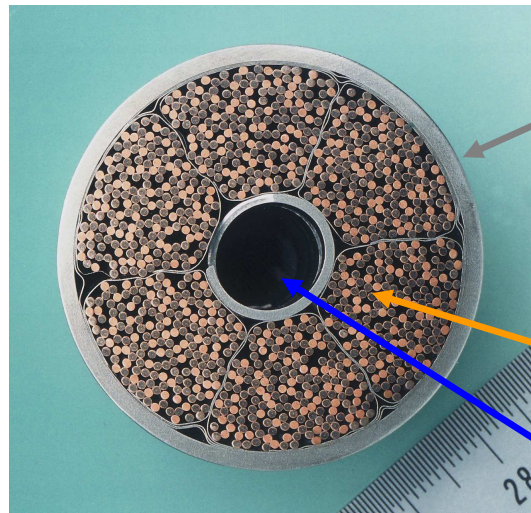
### International Thermonuclear Experimental Reactor Project

- Toroidal Field (TF) coils (9 T on conductor) → confine the plasma
- Central Solenoid (CS) and 6 Poloidal Field (PF) equilibrium coils → induce, shape & control the 15 MA plasma current (1800 s typical plasma scenario, 400s burn).





## Problematics : ITER Magnet's Conductor

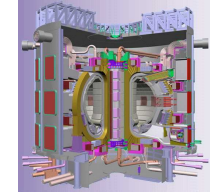


### ITER Cable-In-Conduit Conductor (CICC) characterised by :

- a steel jacket
- an external electrical insulation
- forced flow cryogenic cooling with supercritical helium at few bars and a temperature  $\sim 4.5$  K

### The CICC comprises two regions in parallel:

- bundle region where the superconducting strands are located
- central hole delimited by central spiral.

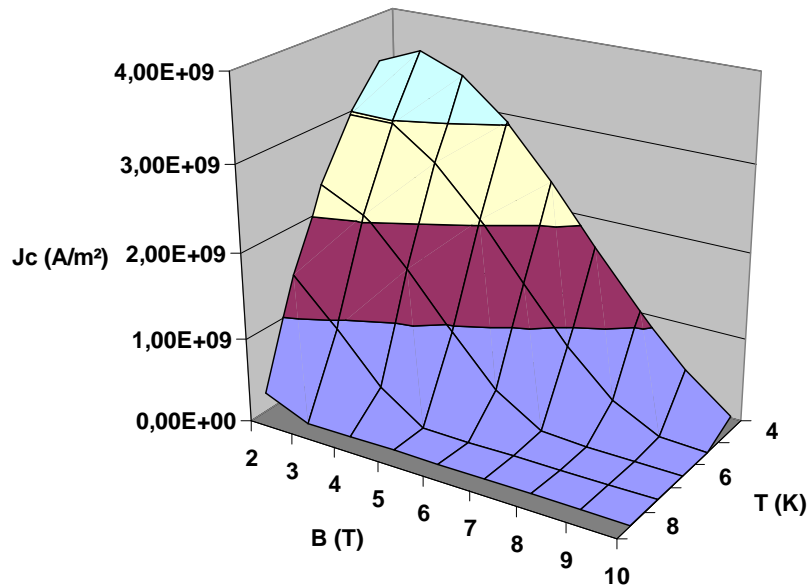


## Problematics : ITER Superconductors

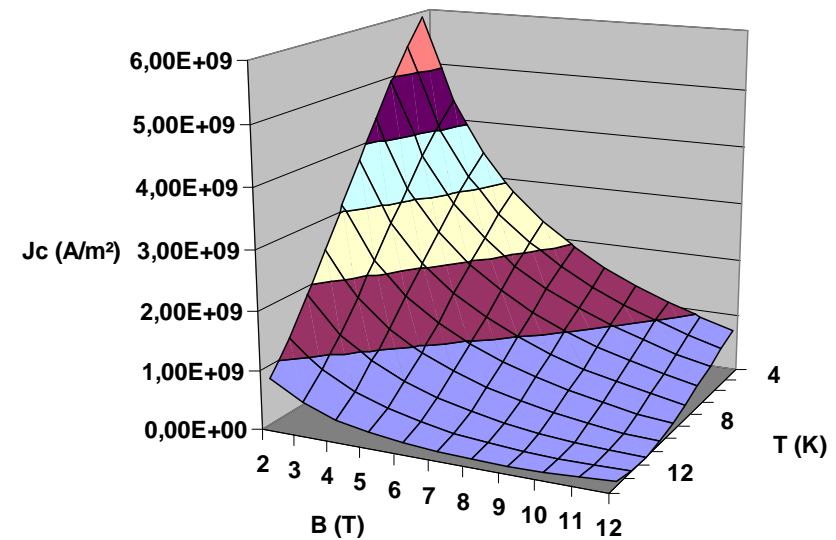


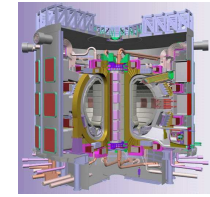
ITER : choice of **superconducting coils** like in Tore Supra (Cadarache) to keep the electricity consumption at low level.

PF coils in NbTi CICC (45kA)



TF & CS coils in Nb<sub>3</sub>Sn





## Probematics : Coils and Conductor's Heat Loads



### NORMAL OPERATION

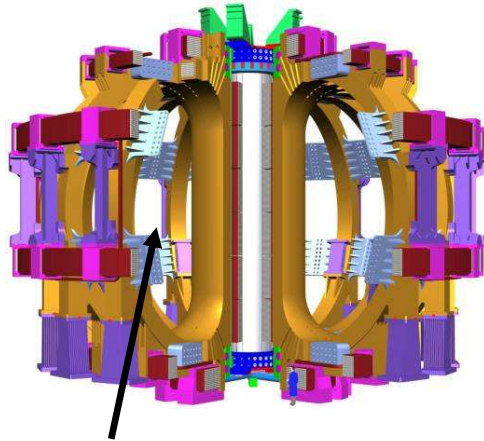
→ Nuclear Heating (400s plasma burn & 500 MW fusion power), conduction, thermal radiation, etc...

**SAFETY DISCHARGE** = when one abnormal event induce current decrease

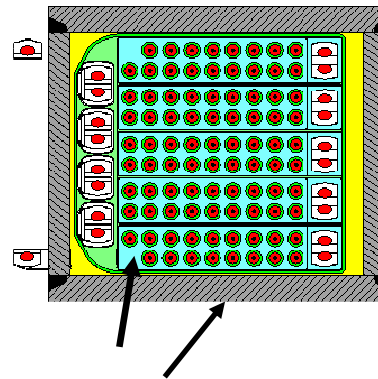
→ eddy currents and heat generation in the plates and stainless steel case

**QUENCH** = when the coil is not more superconductive and transit to resistive state

In all the case : Power transferred to the conductor by diffusion + AC losses due to variation of magnetic field



Nuclear Heat



Eddy Currents



AC Losses

**An overheating of the bundle region can decrease the temperature margin**



## Numerical Flow Model : Numerical Codes & Equations



To **evaluate conductor margins and possible quench**, thermal and hydraulic analysis are performed with two type of codes:

-1-D CRYOSOFT codes Gandalf & Flower (L. Bottura, CERN), model one CICC coupled with cryogenic loop

-quasi-3D VINCENTA code developed by Efremov Institute (N. Shatil, St Petersburg) → model of a system of coils coupled with cryogenic circuit.

**Are taken into account** : described heat loads, conductor parameters, current, magnetic field and external cooling circuit, a series of parameters such as friction factor in CICC channels, heat exchange coefficient, mass flow distribution, etc...

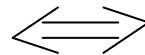
**Euler Equations** with mass, momentum & energy balance (fluid with negligible viscosity but significant friction factor and wetted perimeter)

→ **Equivalent system in velocity, pressure and temperature**

$$\frac{\partial \rho}{\partial t} + \frac{\partial(\rho \cdot v)}{\partial x} = 0$$

$$\frac{\partial(\rho \cdot v)}{\partial t} + \frac{\partial(\rho \cdot v^2)}{\partial x} + \frac{\partial p}{\partial x} = -\rho \cdot F$$

$$\frac{\partial(\rho \cdot e)}{\partial t} + \frac{\partial((\rho \cdot e + p) \cdot v)}{\partial x} = \frac{Q}{A}$$



$$\frac{\partial v}{\partial t} + v \cdot \frac{\partial v}{\partial x} + \frac{1}{\rho} \cdot \frac{\partial p}{\partial x} = -F$$

$$\frac{\partial p}{\partial t} + \rho \cdot c^2 \cdot \frac{\partial v}{\partial x} + v \cdot \frac{\partial p}{\partial x} = \Phi \cdot \left( \frac{Q}{A} + \rho \cdot v \cdot F \right)$$

$$\frac{\partial T}{\partial t} + \Phi \cdot T \cdot \frac{\partial v}{\partial x} + v \cdot \frac{\partial T}{\partial x} = \frac{Q}{A} + \rho \cdot v \cdot F$$

$$\frac{\partial T}{\partial t} + \Phi \cdot T \cdot \frac{\partial v}{\partial x} + v \cdot \frac{\partial T}{\partial x} = \frac{Q}{\rho \cdot c_v} + \rho \cdot v \cdot F$$



## Numerical Flow Model : GANDALF & FLOWER



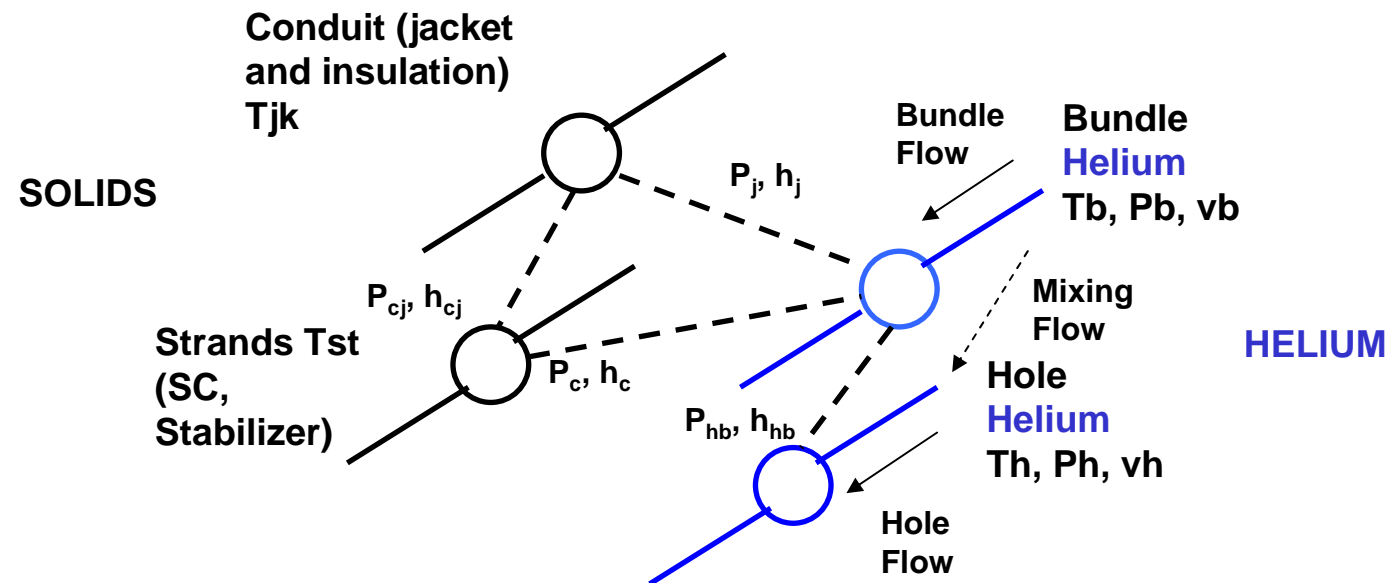
**GANDALF CODE** : 1-D code with finite elements in space and finite differences in time  
...for study and simulation of superconducting CICC Conductor

### Studied Systems and Parameters:

**Superconducting Strands and stainless steel Jacket:** Temperature, Wetted perimeter, Heat exchange coefficient.

**Helium in bundle and in central hole region:** Temperature, Pressure, Velocity in each channel.

**Initial and boundary conditions** : with pressure drop imposed along the CICC







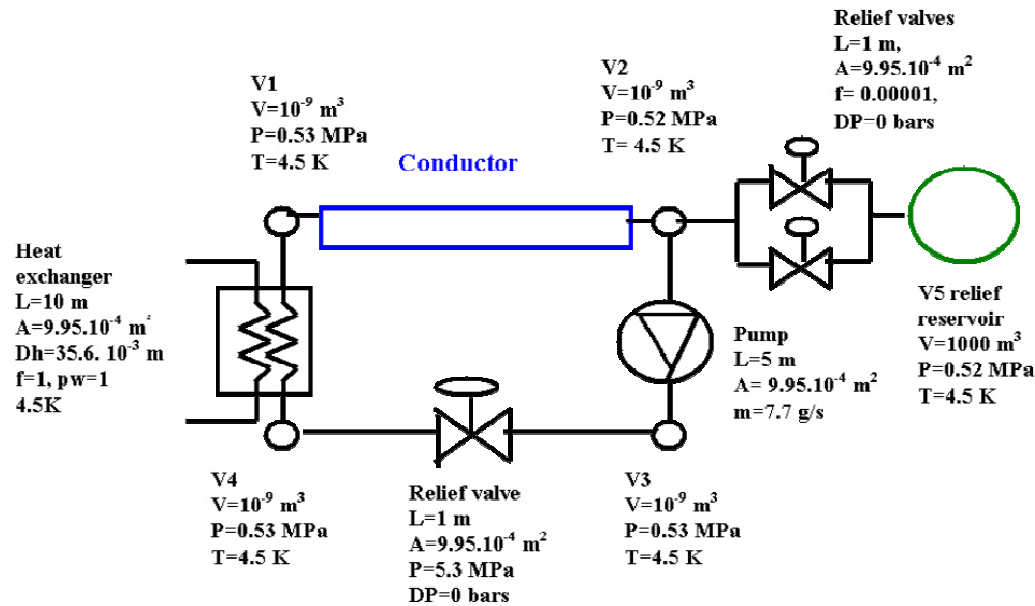
## Numerical Flow Model : GANDALF & FLOWER



**FLOWER CODE** : model of external cryogenic circuit (possibility coupled with gandalf)

Volumes identified by couple (Pressure, Temperature)  
Connexions (conduits, valves, compressor, heat exchanger)

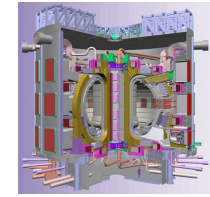
mass, momentum and energy balance (incompressible fluid)  
pump and compressor have a perfect thermodynamic behaviour, with efficiency coefficient



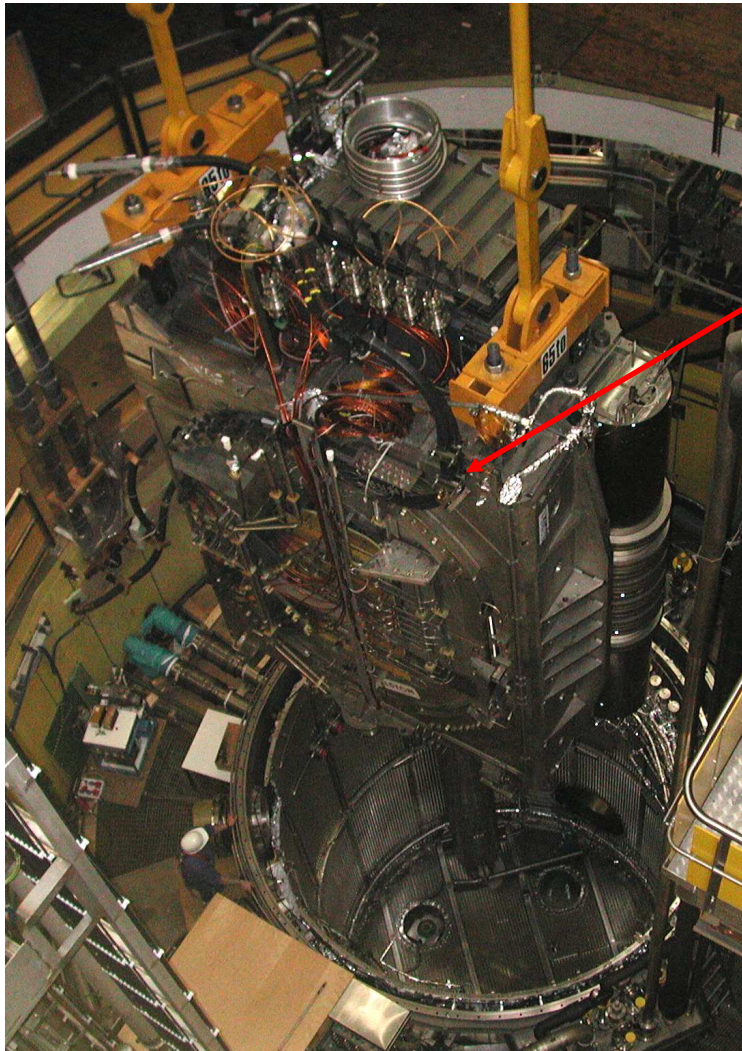
*The model  
of TFMC  
external  
hydraulic  
circuit*



## Example 1



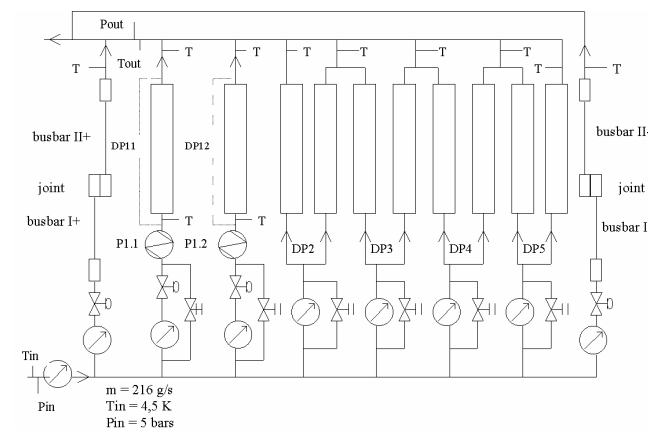
# Toroidal Field Model Coil (1/4)

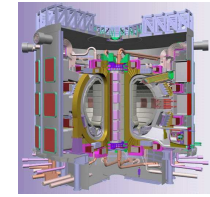


In preparation of the ITER project, two model coils at reduced scale have been produced with Nb<sub>3</sub>Sn CICC and tested:

- the Central Solenoid Model Coil (CSMC, scale 1/2) in JAERI (Japan)
- the European Toroidal Field Model Coil (TFMC, scale 1/5 except cable & joints) with 10 parallel pancakes in FZK-Germany in 2001 and 2002.

Numerical flow model and thermohydraulic analyses → steady state and transient operation to determine the performances of the coils [REF1].





## Toroidal Field Model Coil (2/4)



**TFMC steady state operation**  $\Delta P_f = (f_{EU} \cdot m^2 \cdot U \cdot L) / (8 \cdot \rho \cdot A^3)$

**Bundle channel friction factor (previous experiments on TFMC):**

$$4 \cdot f_{US} = f_{EU} = (1/\text{void})^{0.742} \cdot (0.0231 + 19.5 / Re^{0.7953})$$

S. Nicollet et al., Calculations of pressure drop and mass flow distribution in ITER TFMC, Cryogenics 40 (2000)

**Central spiral friction factor depends on spiral characteristics. 2 type of TFMC spirals : Showa and Cortailod → correlations presented in the ITER Design Criteria.**

$$f_{EU,SHO} = 0.3024 \cdot Re^{-0.0707}$$

$$f_{EU,COR} = 0.7391 \cdot Re^{-0.1083}$$

**Use of the Reynolds-Colburn analogy between fluid friction and heat transfer**

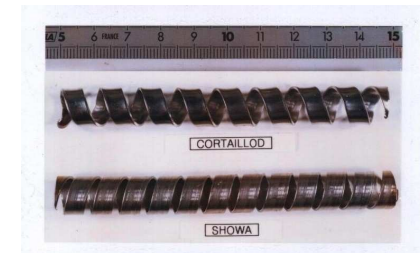
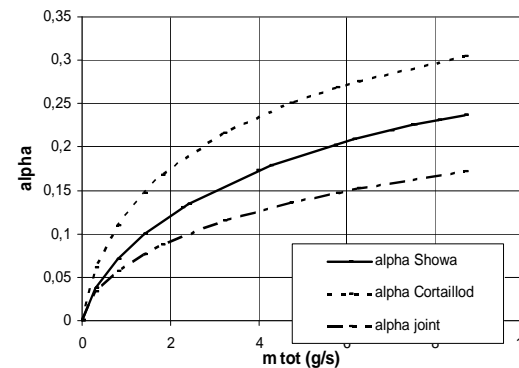
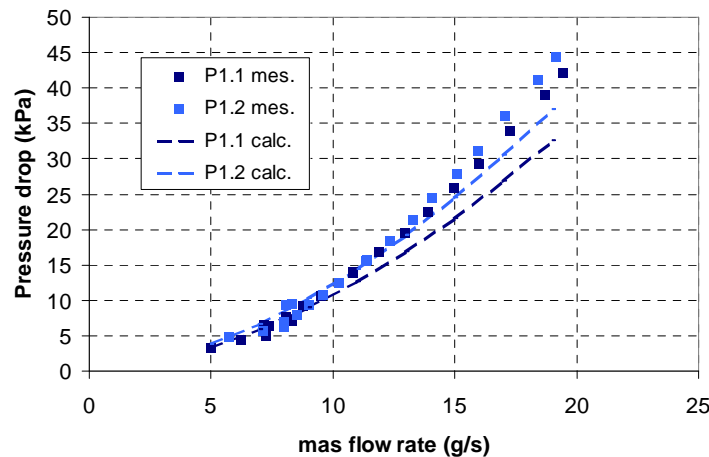
$$St \cdot Pr^{2/3} = f_{EU} / 8$$

$$h_{conv} = (f_{EU} \cdot \lambda \cdot Re \cdot Pr^{1/3}) / (8 \cdot Dh)$$

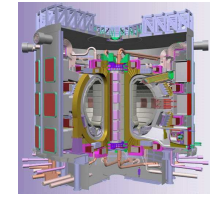
$$St = Nu / Re \cdot Pr$$

$$h_{perfor} = h_{open} \cdot perfor + h_{close} \cdot (1 - perfor)$$

$$Nu = h_{conv} \cdot Dh / \lambda$$



S. Nicollet et al., Evaluation of ITER CICC Heat Transfer, ICEC 2004



## TFMC safety discharge (3/4)



TFMC fast discharge at 25 kA and 3.55s time constant

Radial diffusion Model coupled with two codes Gandalf and Flower

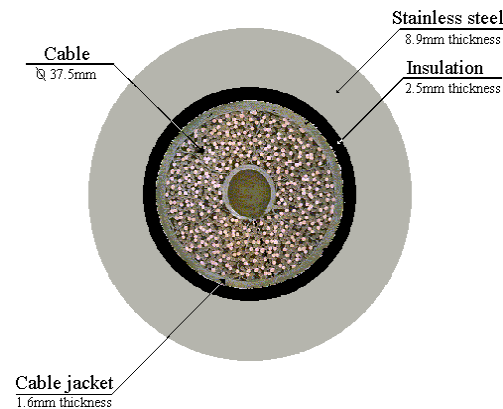
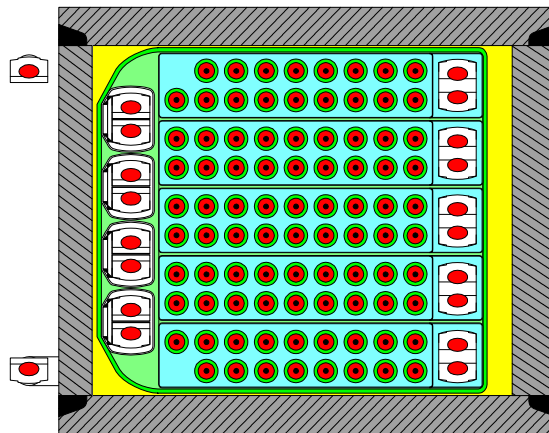
S. Nicollet et al., Heat transfer from plates to conductors: from TFMC analysis to ITER model, Cryogenics 43 (2003)

The system is modelled by 3 concentric zones : the CICC, the cable insulation and the stainless steel pancakes.

Symmetric (geometrical) 1D data are considered where the axial heat conduction is negligible and the equation of radial heat diffusion is:

$$\rho \cdot c_p(T) \cdot \left( \frac{\partial T(r,t)}{\partial t} \right) = \left( \frac{\partial \lambda(r)}{\partial r} + \frac{\lambda(r)}{r} \right) \cdot \frac{\partial T}{\partial r} + \lambda(r) \cdot \frac{\partial^2 T}{\partial r^2} + P_{pv}(r,t)$$

The deposited energy (eddy currents) = 23.9 kJ per pancake :  $E_p = \int_0^\infty P_{v0} \cdot e^{-2t/\tau_d} \cdot V_p = \frac{P_{v0} \cdot \tau_d}{2} \cdot V_p$

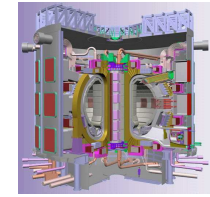


We suppose :

- no heat flux outside the pancake
- the limit conditions on the inside face of pancakes are coupled with Gandalf code

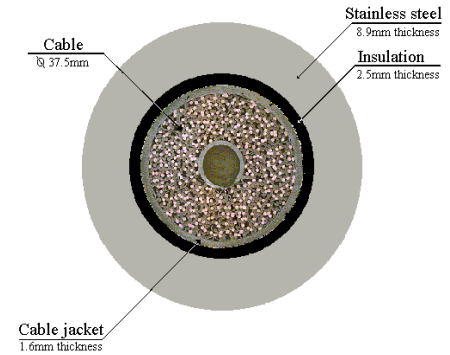
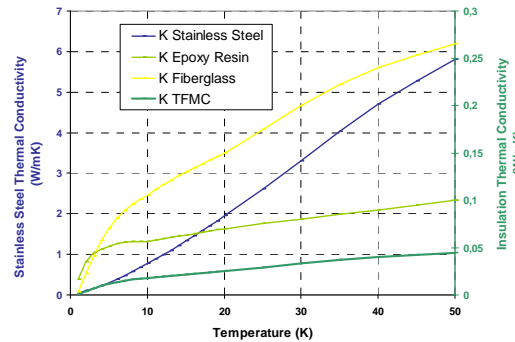


# TFMC safety discharge (4/4)

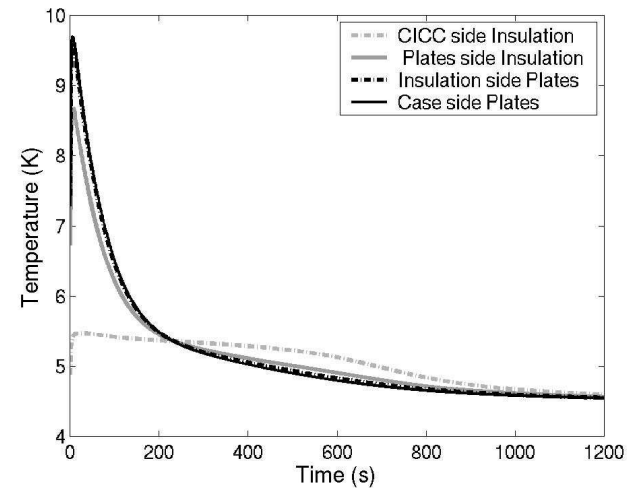
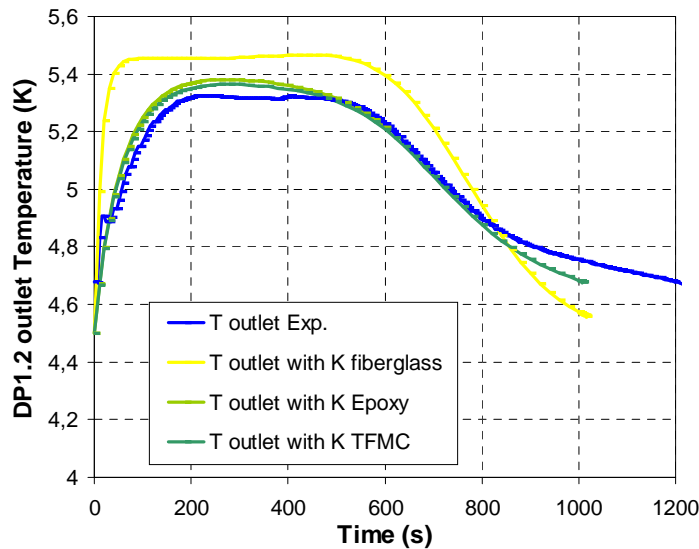


## TFMC fast discharge @ 25 kA and 3.55s

### Thermal Conductivity

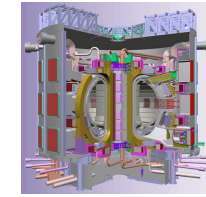


### Temperature at outlet of DP1.2 CICC (83m)





## Example 2

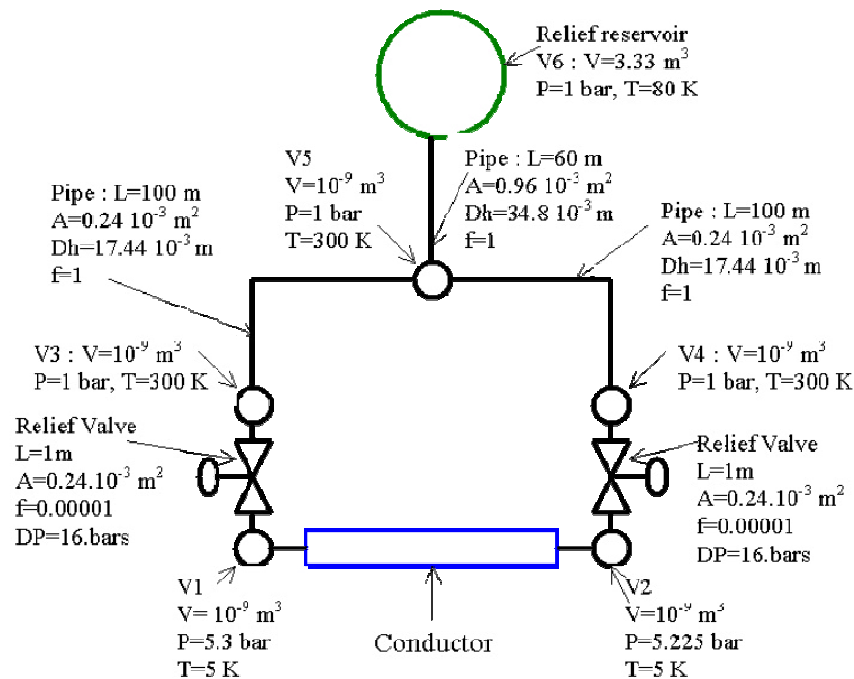


# ITER TF safety discharge, 68 kA & 11s (1/3)



For safety discharge of the ITER TF system, the same hydraulic circuit is taken into account except with conductor length (375 m instead of 83m) and energy deposited in the plates (9500 kJ instead of 23.9).

Hydraulic circuit after quench : the pump is disconnected and helium flow through relief valves with pressure drop greater than 1.6 MPa.



Model of only one pancake ( instead of Vincenta calculation of the whole coil)

supposition :

216 pancakes receive the same energy

→ discharge volume and massflow

216 times smaller

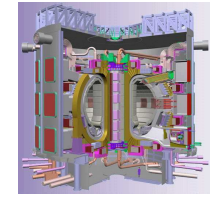
→ conduits with length and DP

identical

→ hydraulic diameter divided by

$216^{2/5} = 8.6$

$$\Delta P_f = f_{EU} \cdot \frac{8.L}{\pi^2 \cdot \rho} \left( \frac{m^2}{D_h^5} \right)$$



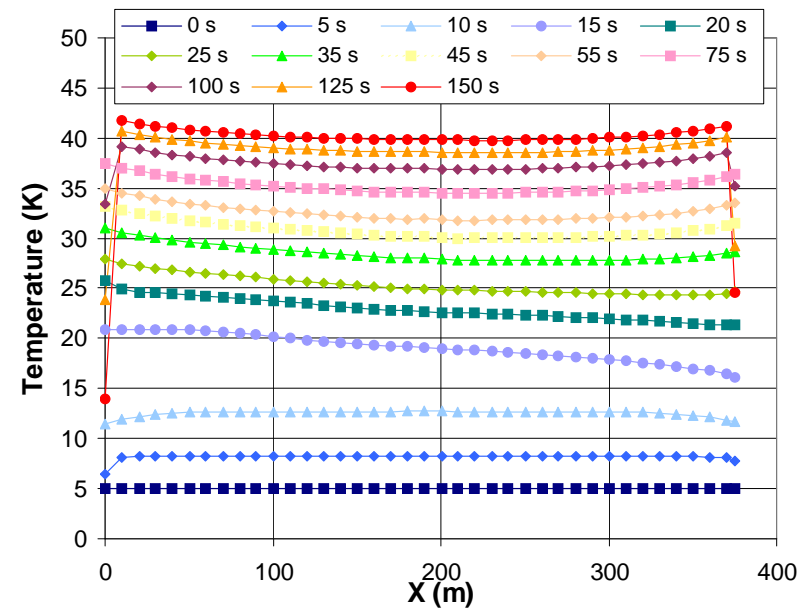
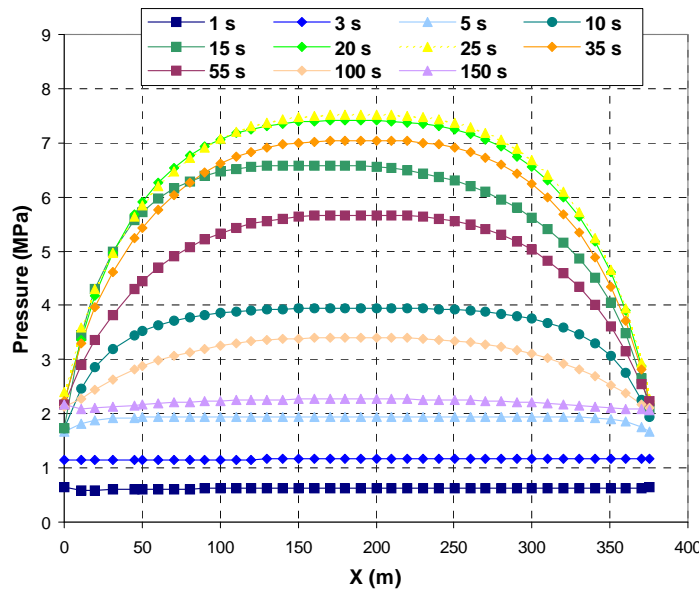
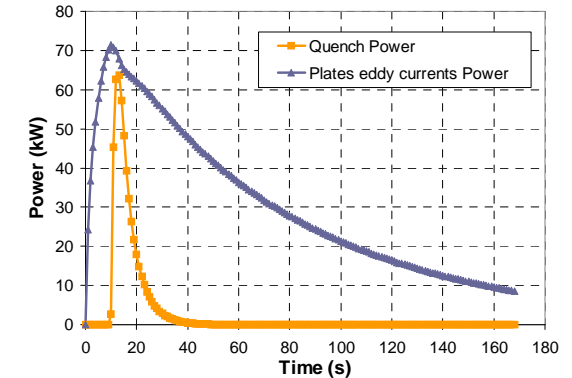
## ITER TF safety discharge (2/3)

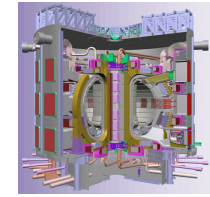


### ITER TF Application: safety discharge @ 68 kA with 11s time constant

insulation : epoxy resin

*Power peak = 72 kW and quench 0.5MJ after 10s*  
*PHe = 7.5 MPa after 25 s and THe = 40K after 150s*



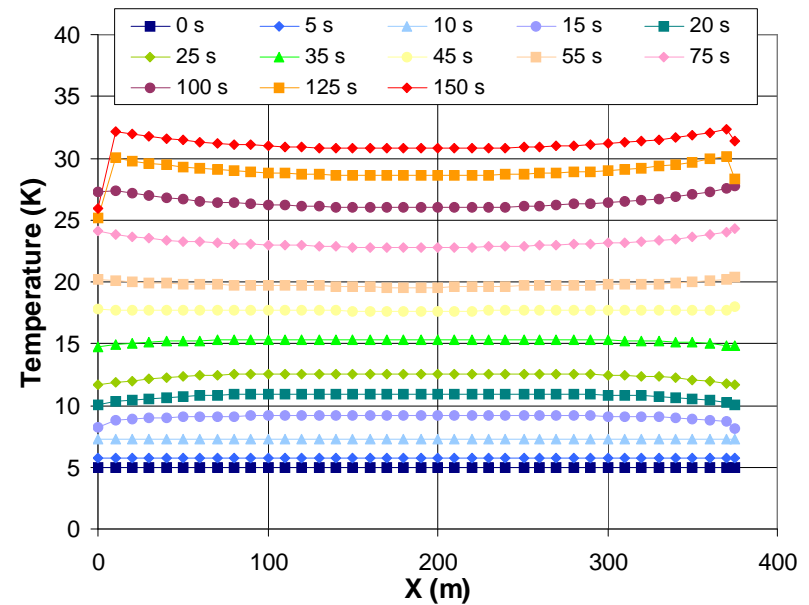
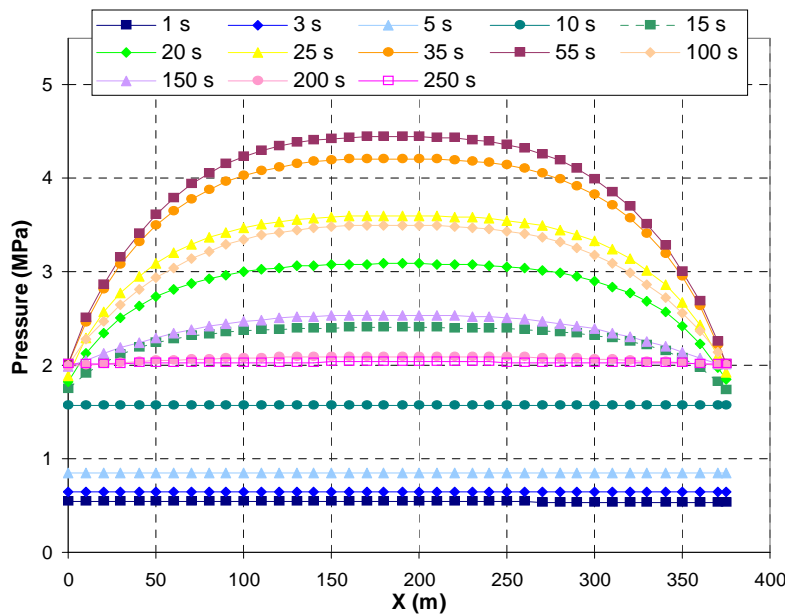
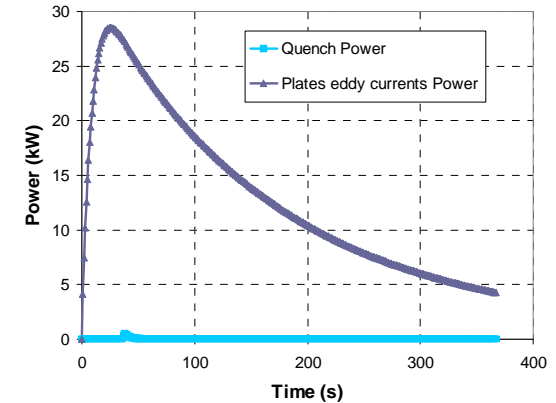


# ITER TF safety discharge (3/3)

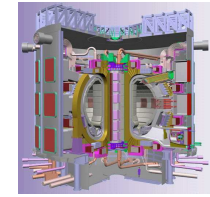


## ITER TF Application : safety discharge @ 68 kA and 11 s time constant TFMC Insulation = fiberglass /6

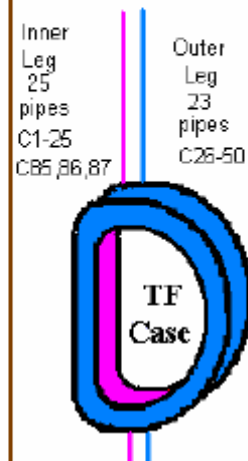
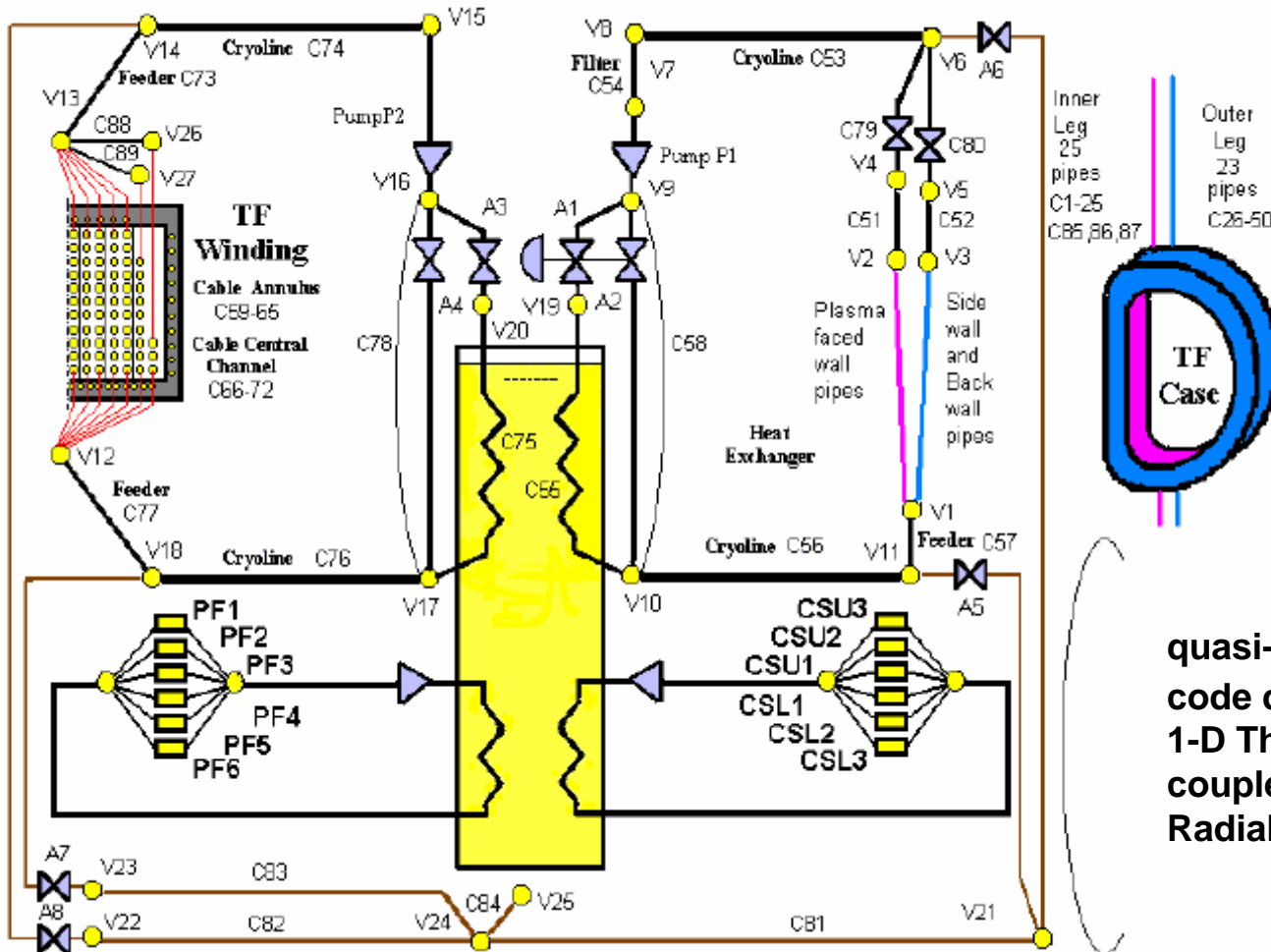
Power peak = 28 kW and "smooth quench" at 35 s  
PHe = 4.5 MPa after 55 s and THe = 32K after 150s  
→ !! Important influence of insulation thermal conductivity during safety discharge







# Numerical Flow Model : VINCENTA

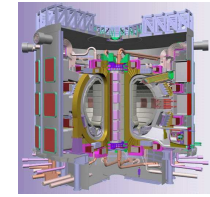


**mTF winding  
= 2kg/s**

**mTF case  
= 2.5 kg/s**

**The bath is  
constant  
= 4.3 K**

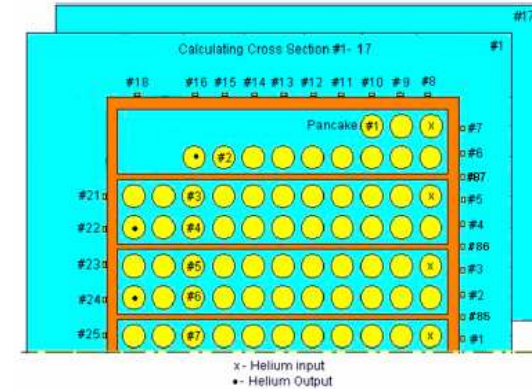
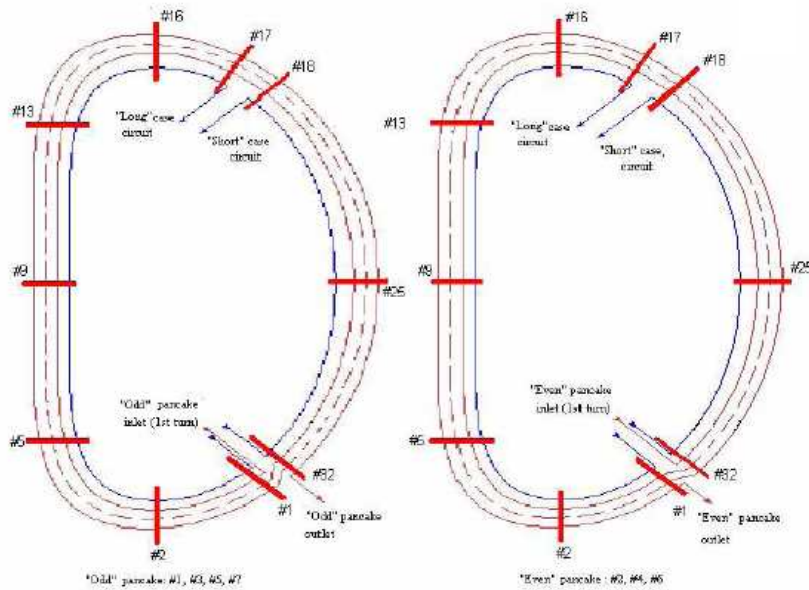
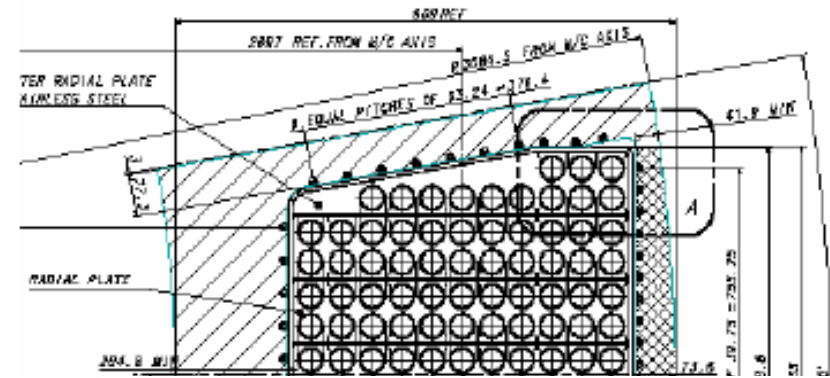
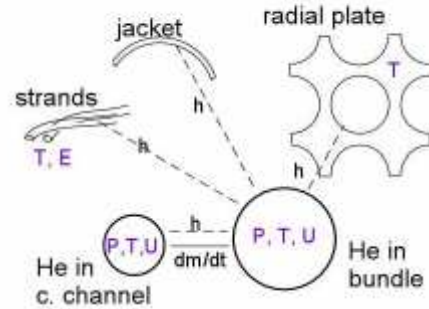
**quasi-3D VINCENTA  
code developed :  
1-D Thermohydraulic  
coupled with 2D  
Radial Conduction.**

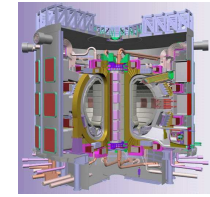


# Numerical Flow Model : VINCENTA

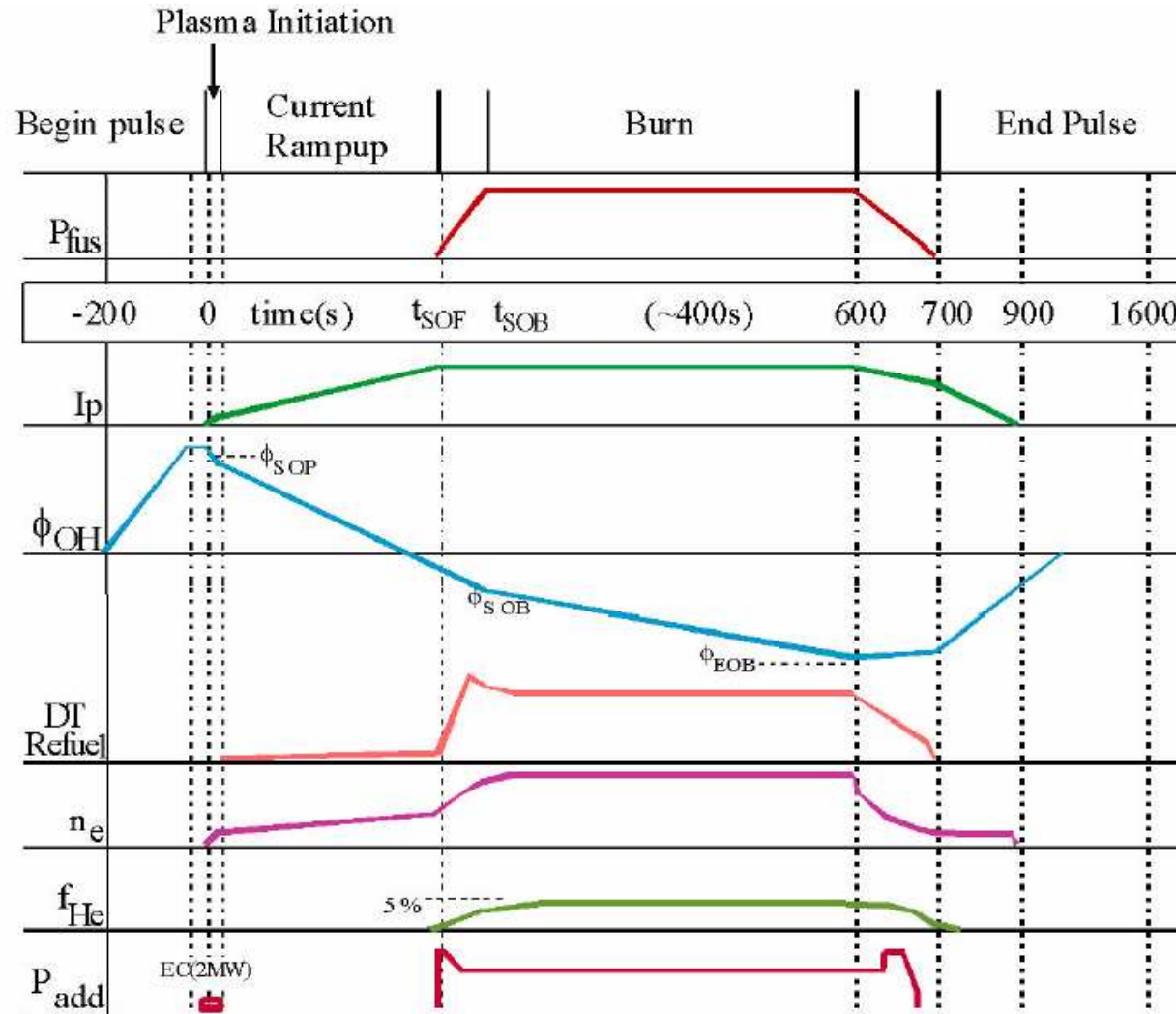


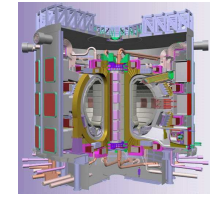
## Conductor Model





## ITER operation Scenario 2



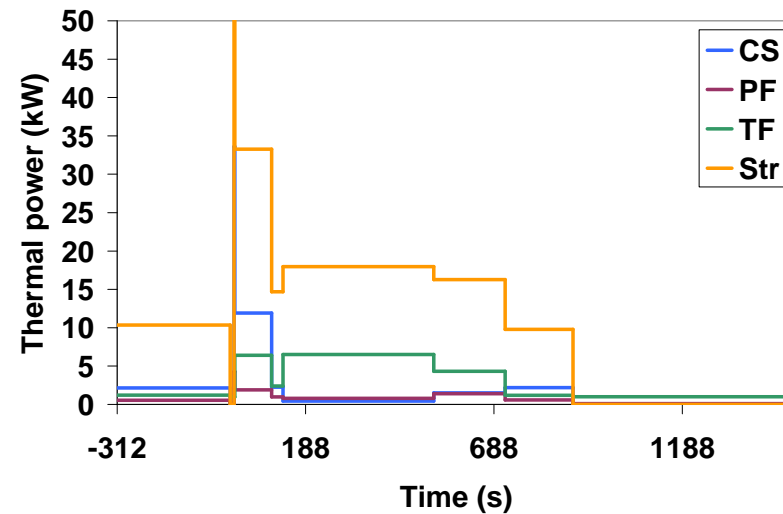
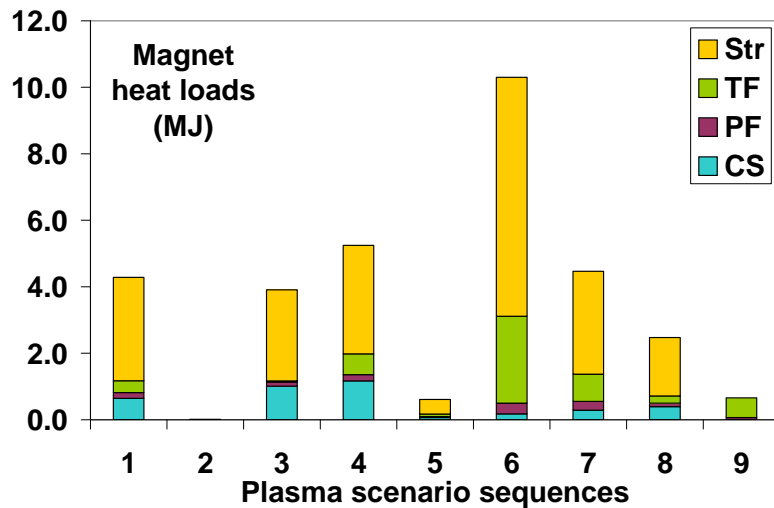


## ITER operation Scenario 2



including : AC losses, resistive, eddy currents, nuclear and thermal radiation/conduction

excluding : circulating pump heat loads and cryodistribution thermal losses



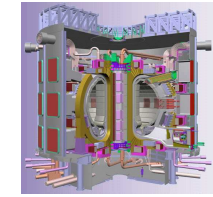
<b>1 &amp; 2</b>	- Pre-magnetisation (310 s)	<b>7</b>	- Plasma ramp down (190 sec.)
<b>3 &amp; 4 &amp; 5</b>	- Plasma ramp up (100 s) + flat top (30 s)	<b>8</b>	- PF ramp down (180 s)
<b>6</b>	- Plasma burn (400 s)	<b>9</b>	- Dwell time (590 s)

The main heat loads are due to the nuclear heating on the Structures and the TF coils

Plasma period = 30 min (1800 s) ; Dwell time < 10 min (590 s)



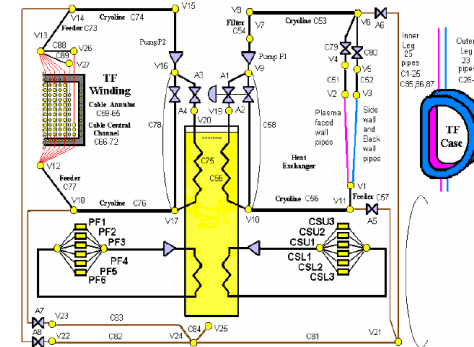
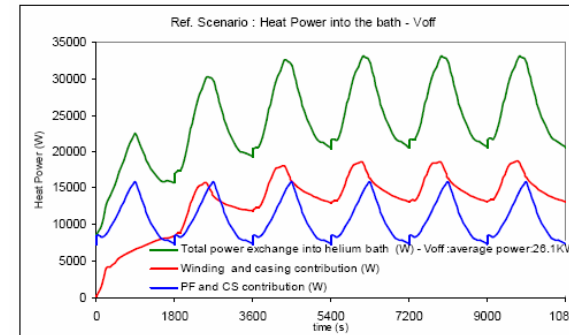
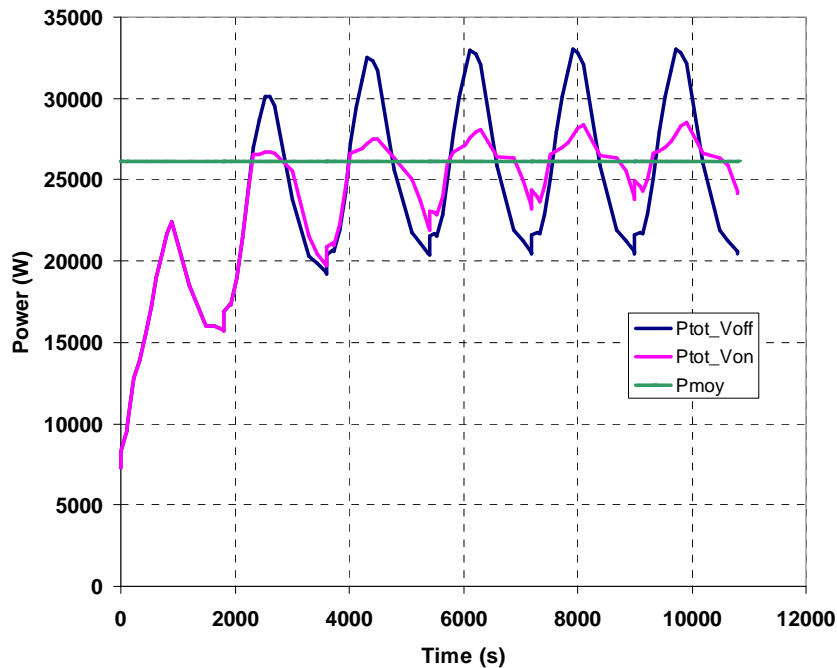
# Example 3



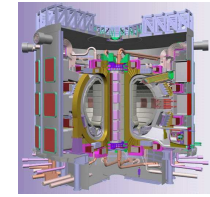
## ITER TF operation with VINCENTA (1/4)



Power of 6 cycles for normal plasma operation (of each 1800s) → periodic temperature is obtained after the 3rd cycle



The heat load from the winding is transmitted to the cryoplant through the helium bath. A part of heat load from TF structure is stored within the structure in such a way that the power transmitted to the cryoplant is smoothed to cope with the capability of the cryoplant to handle the very dynamic heat loads.



## ITER TF operation with VINCENTA (2/4)



### Average TF Coil power / pulse of 1800s and burn of 400s

	Load (W)	%
<b>Nuclear Heating</b>		
Winding pack	1368	8,4
Cases	1677	10,3
<b>AC losses</b>	957	5,9
joints	1003	6,2
<b>Eddy current losses in cases</b>	1438	8,8
<b>Thermal radiation and conduction in Cases</b>	5325	32,8
<b>Thermal radiation on cryolines and feeders</b>		0,0
Winding pack	950	5,8
Cases	250	1,5
<b>Pump power</b>		0,0
Winding pack loop	2840	17,5
Case loop	216	1,3
<b>CS tie plates</b>	227	1,4
<b>Total TF Coils</b>	<b>16251</b>	<b>100,0</b>
From PF and CS coils	10785	
<b>Total COILS</b>	<b>27036</b>	

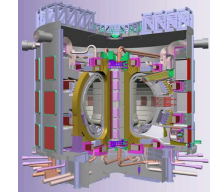
mTF winding  
= 2kg/s

mTF case  
= 2.5 kg/s

THe bath  
= 4.3 K

quasi-3D VINCENTA  
Model =  
1-D Thermohydraulic  
coupled with 2D  
Radial Conduction.

**Total load on TF represents 60% of the loads on magnet system**

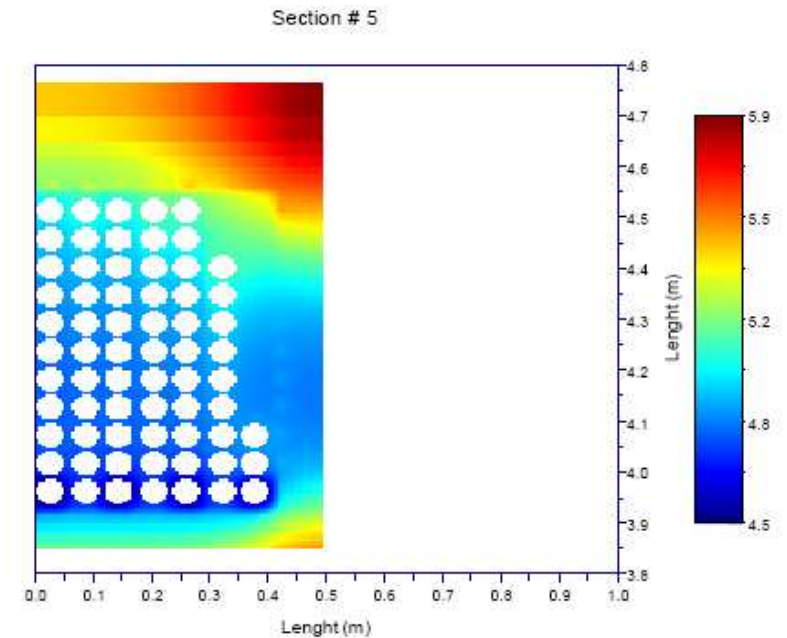
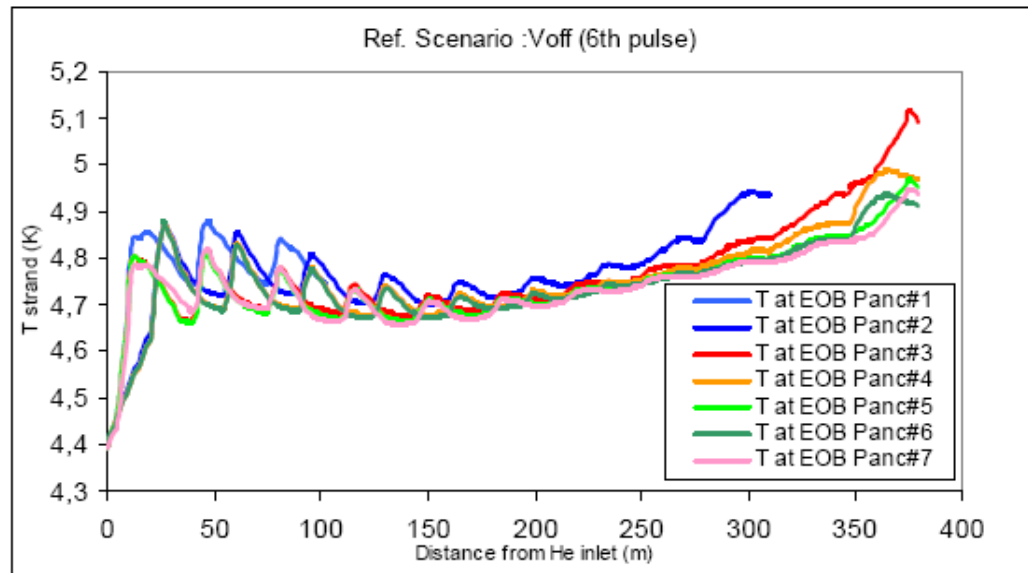


## ITER TF operation with VINCENTA (3/4)



Temperature along the conductors at End Of Burn & 2-D cross section temperature map  
Section # 5 at End Of Burn

Maximal conductor temperature and Minimum temperature margin governed by the nuclear heating → obtained at EOB





# ITER TF operation with VINCENTA (4/4)



Electrical field along conductors at EOB for Normal Operation of reference plasma scenario (15 MA, 500 MW, 400s) → AC losses on conductor

SUMMERS LAW as a function of conductor B and T

$$B_{c2}(T) = B_{c20} \left( 1 - \left( \frac{T}{T_{c0}} \right)^2 \right) \left( 1 - 0,31 \left( \frac{T}{T_{c0}} \right)^2 \left( 1 - 1,77 \ln \left( \frac{T}{T_{c0}} \right) \right) \right)$$

$B_{c20} = B_{c20m} (1 - \alpha |\epsilon|^{1,7})$  is the critical field for zero temperature,

$T_{c0} = T_{c0m} (1 - \alpha |\epsilon|^{1,7})^{1/3}$  is the critical temperature for zero field.

$$B_{c20m} = 28 T \quad \begin{cases} \alpha = 900 \text{ for } \epsilon < 0 \text{ (compressive)} \\ \alpha = 1250 \text{ for } \epsilon > 0 \text{ (tensile)} \end{cases}$$

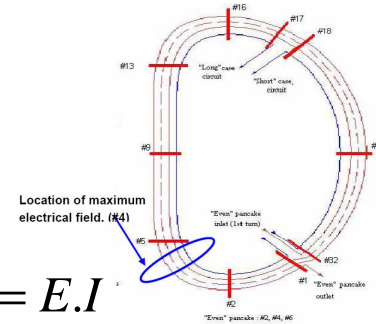
$$T_{c0m} = 18 K$$

$$C_0 = 1.16 * 10^{10} \quad n = 7 \quad E_0 = 10 \mu V / m$$

$$C = C_0 \left( 1 - \alpha |\epsilon|^{1,7} \right)^{1/2}$$

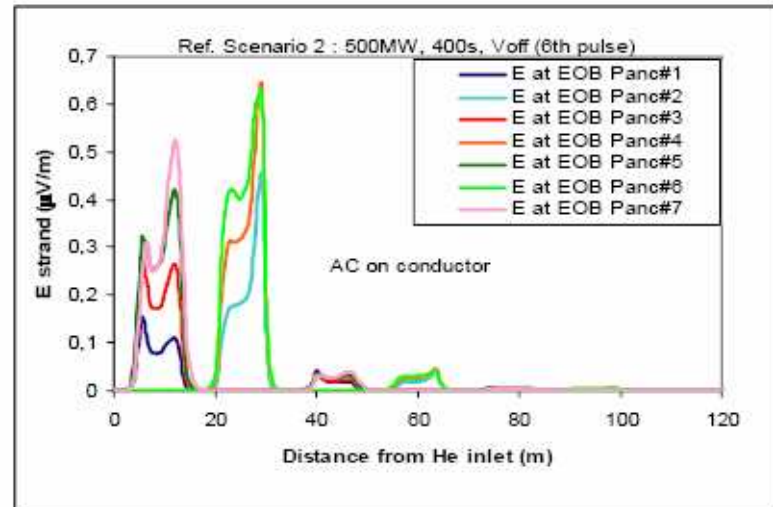
$$J_c(T, B) = C B^{-1/2} \left( 1 - \frac{B}{B_{c2}(T)} \right)^2 \left( 1 - \left( \frac{T}{T_{c0}} \right)^2 \right)^2$$

$$E = \frac{E_0}{A} \int_A \left( \frac{J}{J_c(T, B, \epsilon)} \right)^n dA = \frac{E_0}{J(T, B_{eff}, \epsilon)}$$



The most critical point located at the conductor #4 with abscissa  $x = 29.16m$

$$Q_J = E \cdot I$$



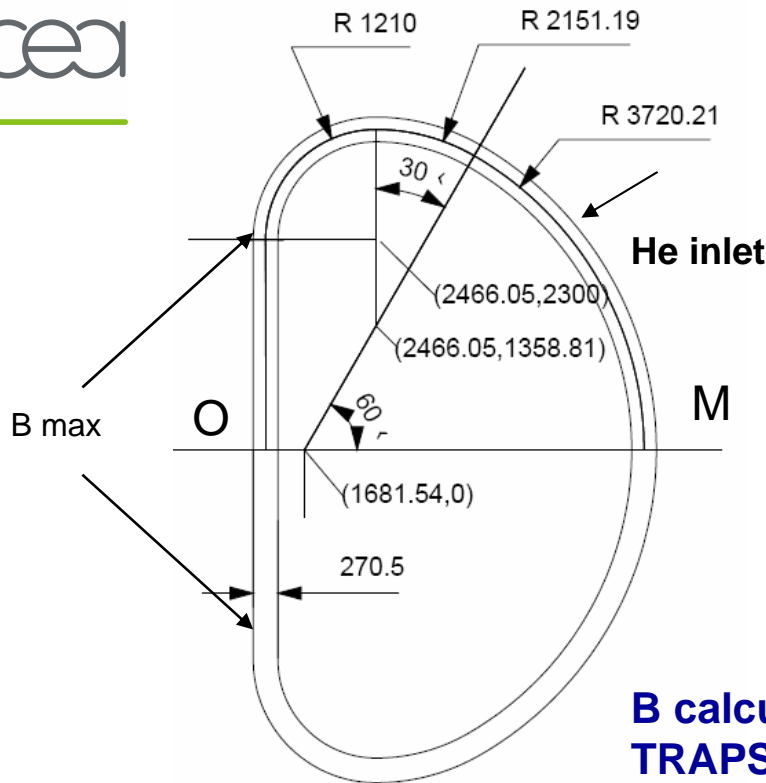
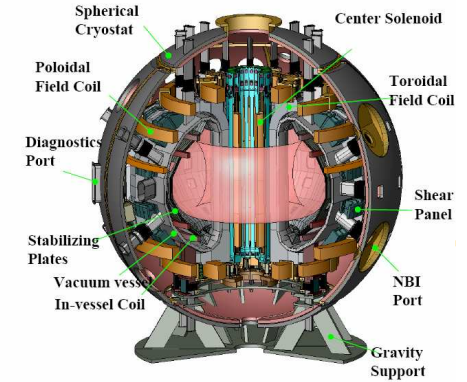
The electric field is maximum (=0.63 µV/m) at this point with maximum strain ( $\epsilon = -0.00761$ )





# Example 4

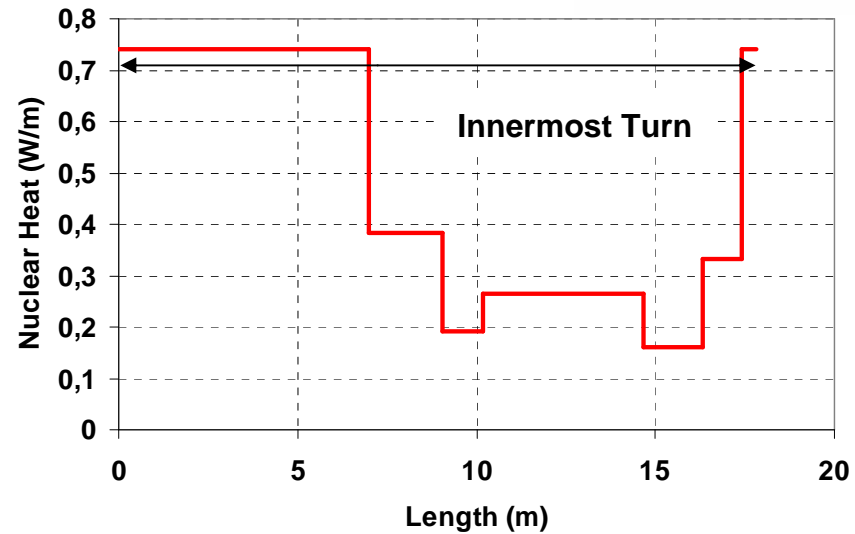
## JT60 TF with Gandalf : Operation Margin (1/2)



**B calculated by TRAPS code**

**Distance from He inlet to point M ~ 3.3 m**  
**mHe = 5 g/s (limit acceptable DP)**  
**T<sub>inlet</sub> = 4,4 K, P<sub>inlet</sub> = 6 bar**

### Nuclear Heat



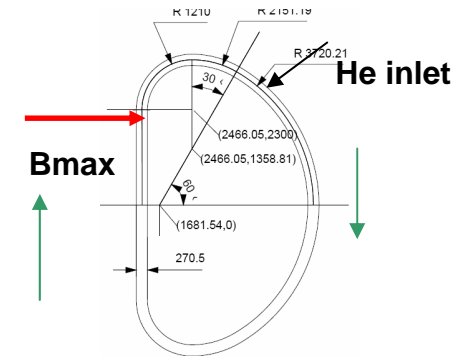
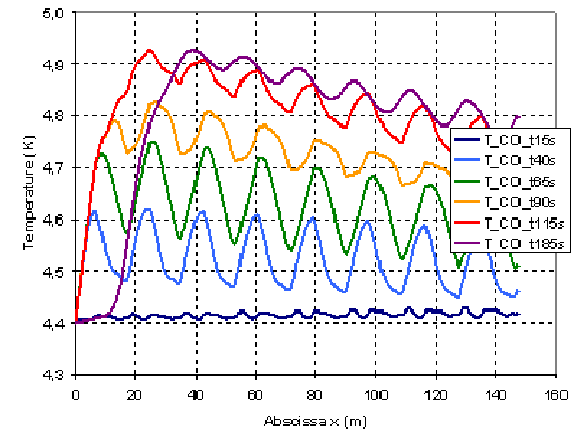
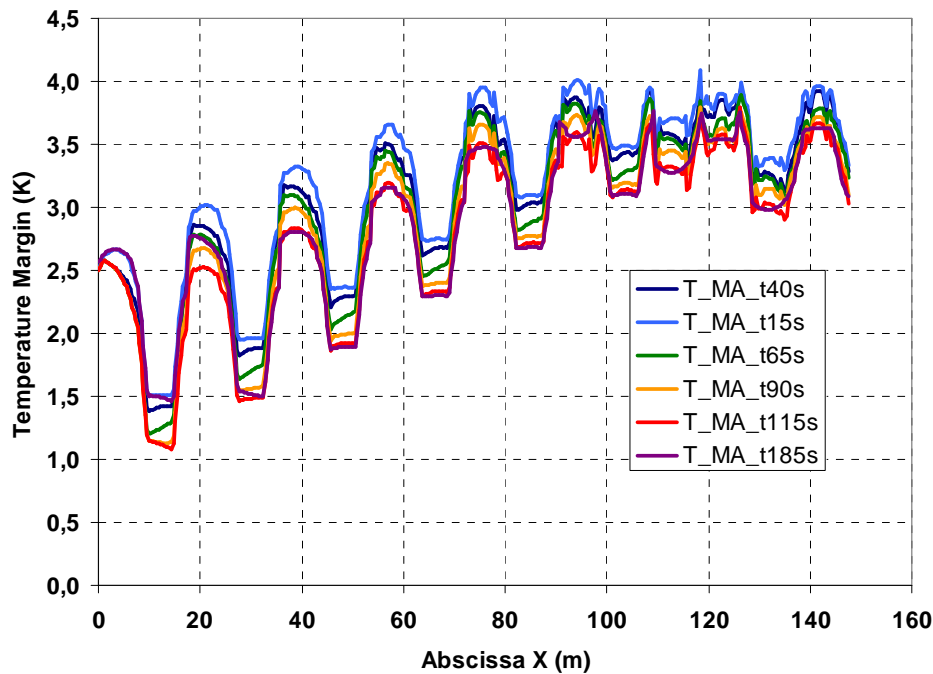
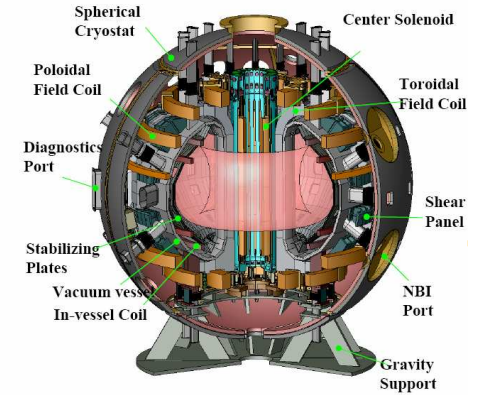
**AC losses :  $n\tau=150\text{ms}$  (or 750),  
 $\text{deff} = 5\mu\text{m}$  (or 25),  $S_{\text{noncu}}=74.5 \cdot 10^{-6}$ ,  
 $\text{Cu/nonCu}=1.6$   
 $B_{c20}=14.93\text{T}$ ,  $T_{c0}=8.7\text{K}$ ,  $C_0=12.2 \cdot 10^{10}$ ,  
 $\alpha=0.9$ ,  $\beta=1.2$ ,  $\gamma=1.94$ ,  $n=1.7$ ,  
 segregation = 2/3**



# JT60 TF with Gandalf : Operation Margin (2/2)



Temperature Margin (clock wise) → Min = 1.08 K at x = 14.39 m and time = 115s (EOB, End Of Burn) → still greater than 1K





## CONCLUSION & PERSPECTIVES

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### WHAT HAS BEEN PERFORMED

- Flow model of thermohydraulics in Cable In Conduit Conductor: simple tools developed for steady state (heat transfer)
- Available hydraulics code for 1-D simulation of CICC : Gandalf code
- Possibility to model the thermal 2-D radial diffusion process : Vincenta code
- Both code permit also the simulation of external cryogenic circuit (coupled bath for Vincenta and Flower circuit for Gandalf)
  
- Application to the Toroidal Field Model Coil (TFMC) Project and determination of influence of some parameters (friction factor, heat transfer coefficient between two channels, ground insulation thermal conductivity)
- Studies and Model of hydraulic behaviour of ITER Toroidal Field coils, EFDA Task THCOIL
- Studies and Model of JT60-SA Toroidal Field coils, with determination of Temperature Margin and impact on the design and choice of conductor



## CONCLUSION & PERSPECTIVES

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### ...TO BE DONE

- Development of one 1-D Flow model of thermohydraulics in Cable In Conduit Conductor for TRANSIENTS (massflow imposed), with collaboration of Ecole Centrale Marseille (ECM)
- Development of Gandalf, Flower and Thea Codes, with L. Bottura (CERN)
- Collaboration with Efremov Institute for development of Vincenta Code.
  
- Application of these tools to experiments on new ITER TF Sample (with advanced strands) tested in Sultan facility (CRPP, Switzerland)
- Application & benchmark to thermohydraulics of the Poloidal Field Coil Insert (PFCI) to be tested in JAERI (Japan), end of 2007
- Studies and Model of JT60-SA Toroidal Field (NbTi) Magnets with Vincenta code and determination of temperature margin with Gandalf code
- Studies and Model of ITER Poloidal Field Coil (NbTi) during normal operation scenario with updated nuclear heat.
  
- Tools developed for design of the CICC could be used to evaluate the temperature margin during operation process and cold tests to be performed.