#### Higher SLA Satisfaction in Datacenters with Continuous Placement Constraints

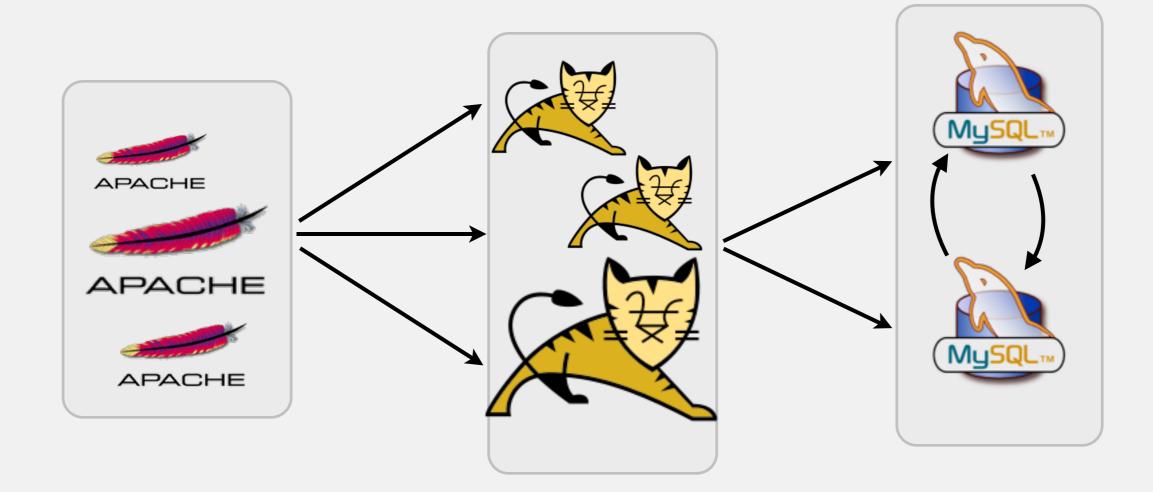
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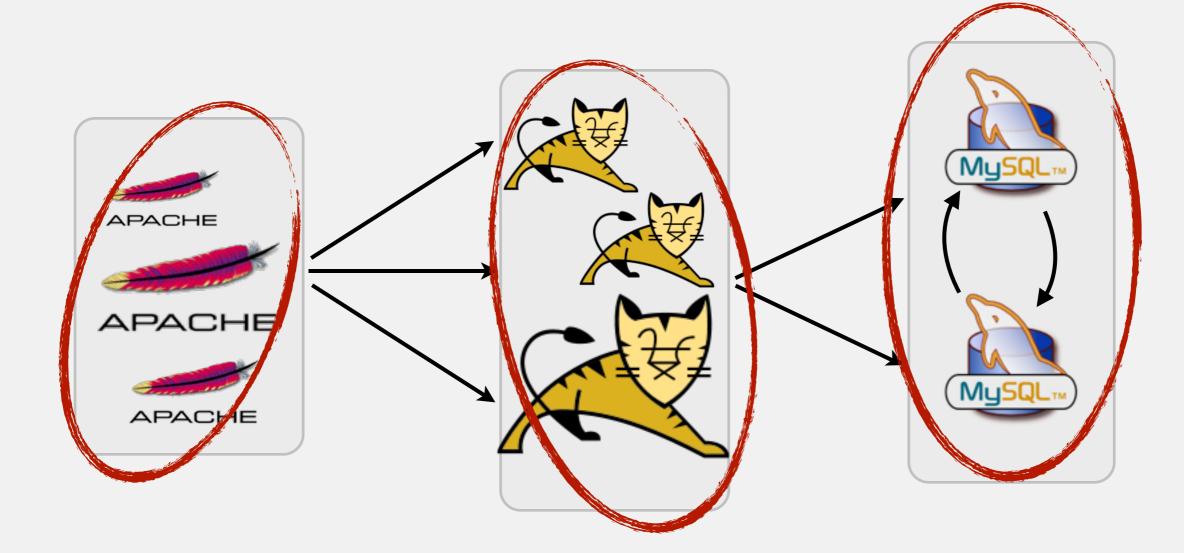
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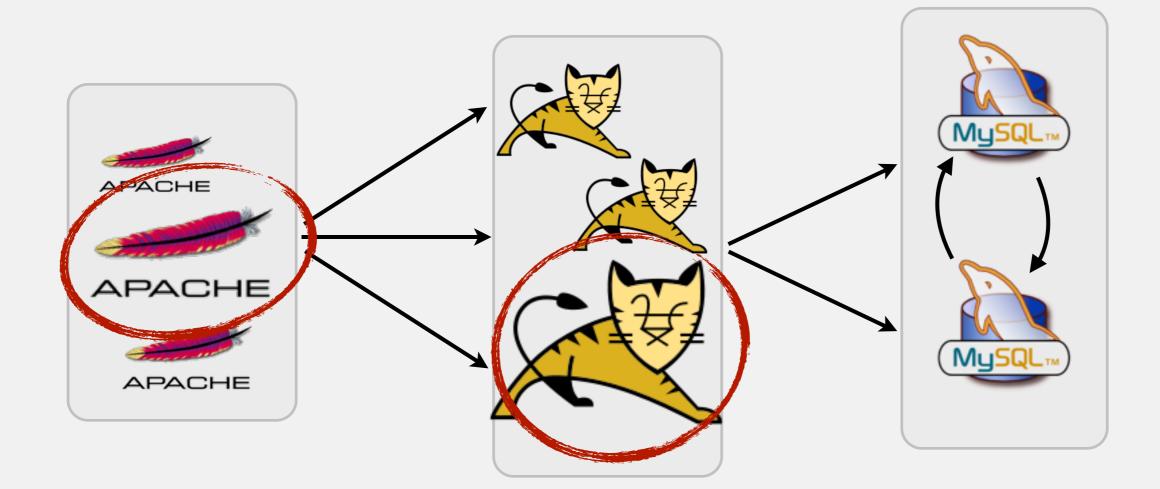




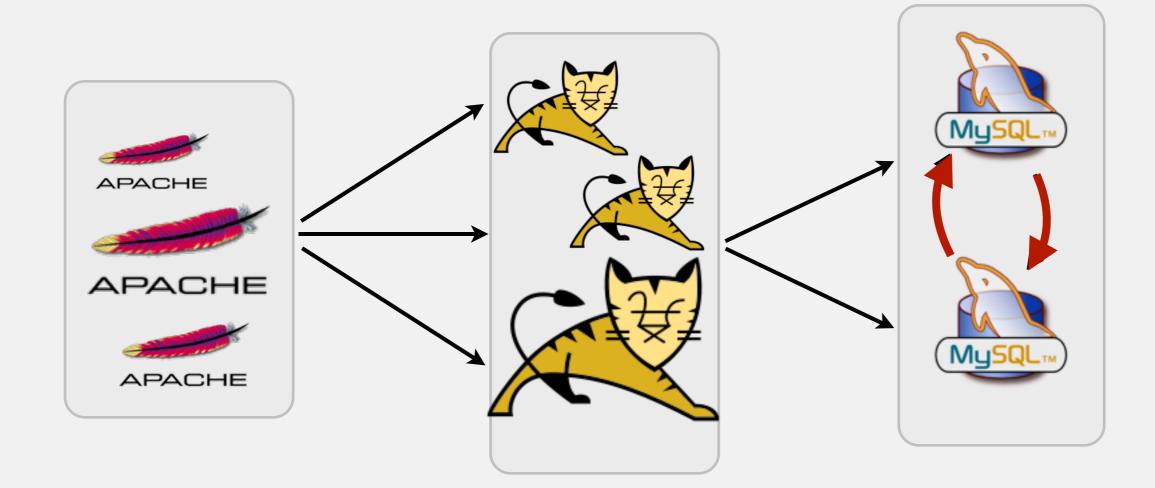




#### spread the replicas



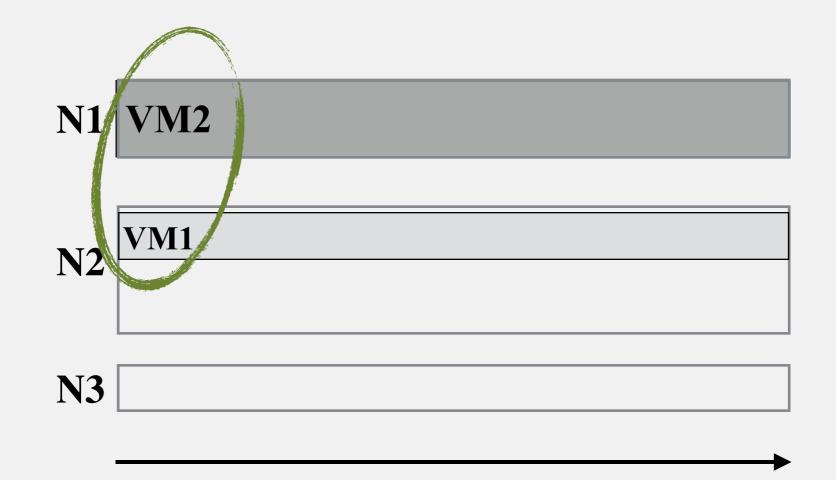
#### performance guarantee



#### low latency

# reconfiguration algorithm

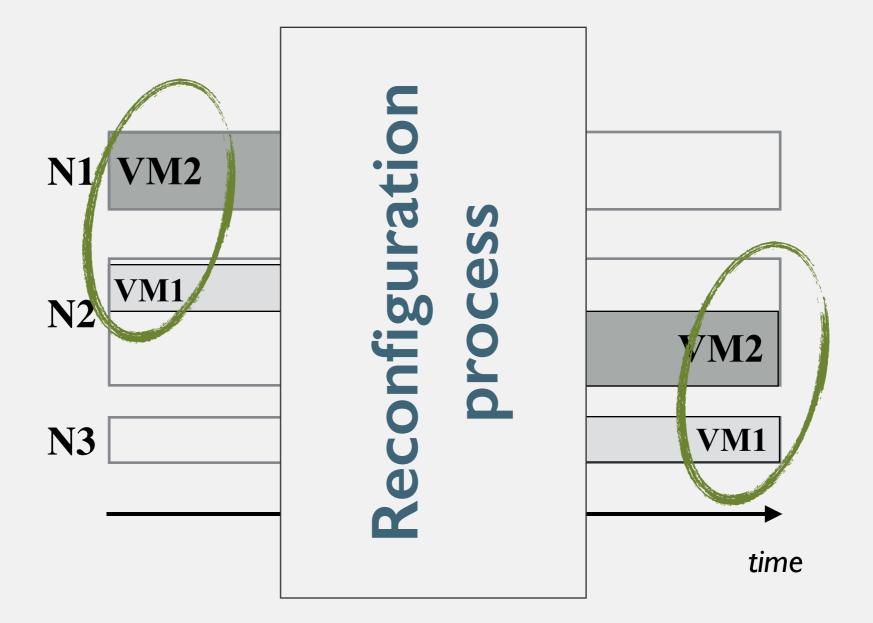
SLA: spread(VM1, VM2)





# reconfiguration algorithm

SLA: spread(VM1, VM2)
sys-admin query: offline(N1)



#### reconfiguration algorithm with discrete restrictions

SLA: spread(VM1, VM2)
sys-admin query: offline(N1)



# Discrete restriction is NOt enough

#### not an unpredictable situation, an algorithmic issue

#### **Evaluating the reliability of discrete placement constraints**

- simulate a 256-server datacenter
- running 350 HA webapp (5,200 VMs)
- **BtrPlace** as the reconfiguration algorithm
- 4 reconfiguration scenarios that mimic **industrial use case**
- **100** instances per scenario

#### Studied

#### constraints

spread

among

splitAmong

maxOnline

singleResource Capacity replicas on distinct servers for fault tolerance

DBs on a same edge-switch for a fast synchronisation.

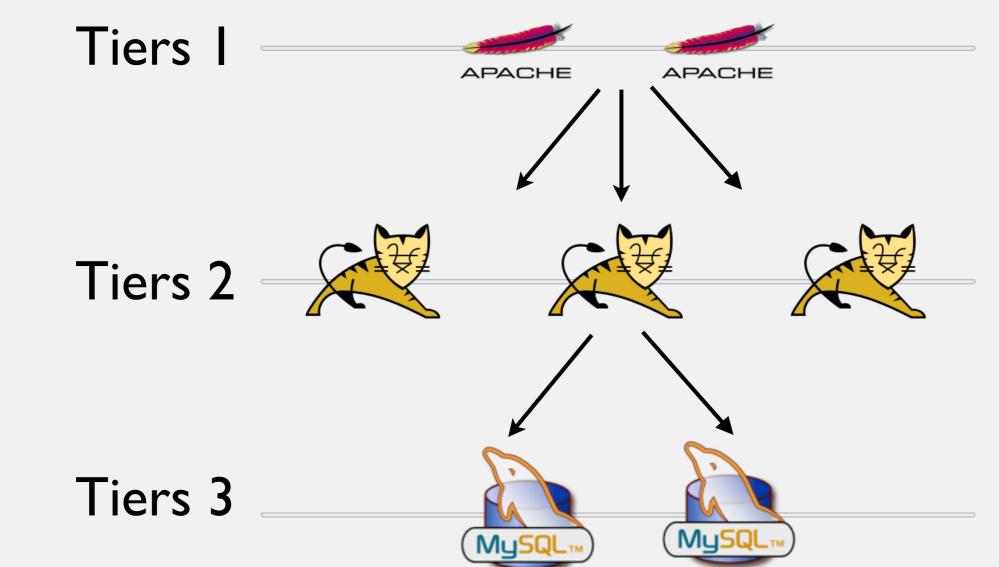
webapp split over 2 clusters for disaster recovery

240 nodes online at maximum to fit licensing policy

keep resource for hypervisor management operations

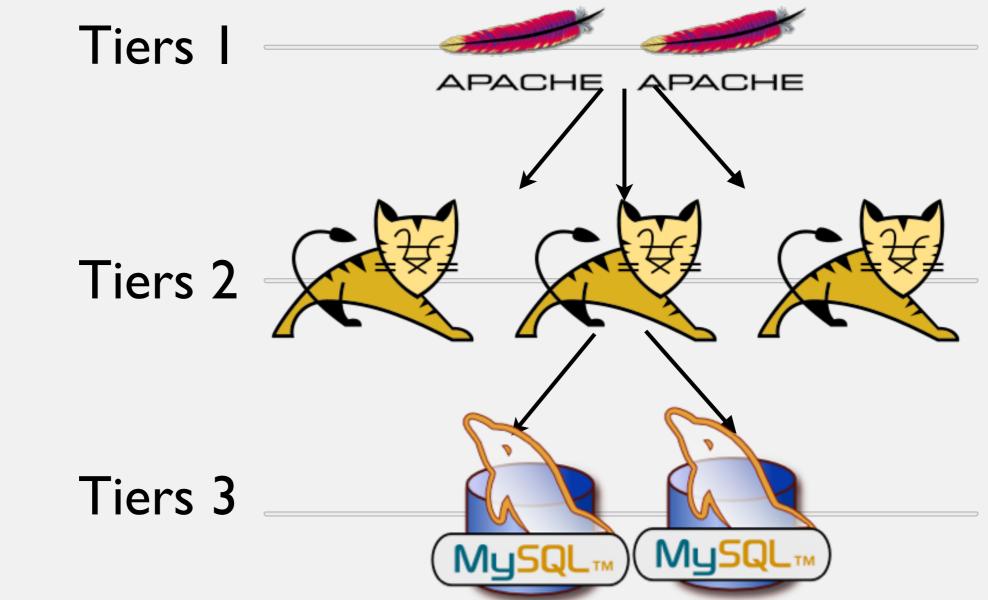
### Scenar10



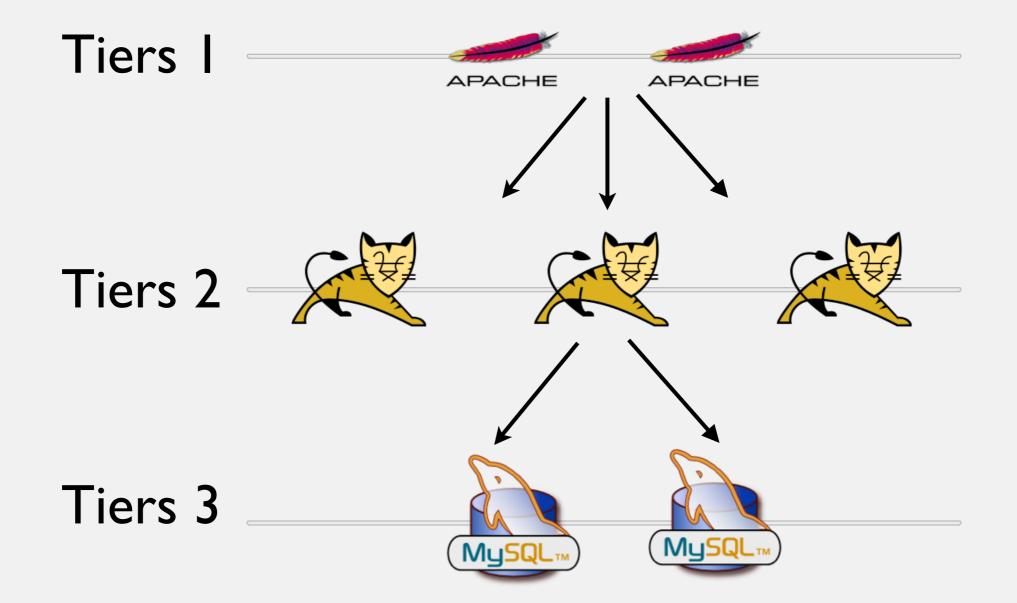


### scenar10

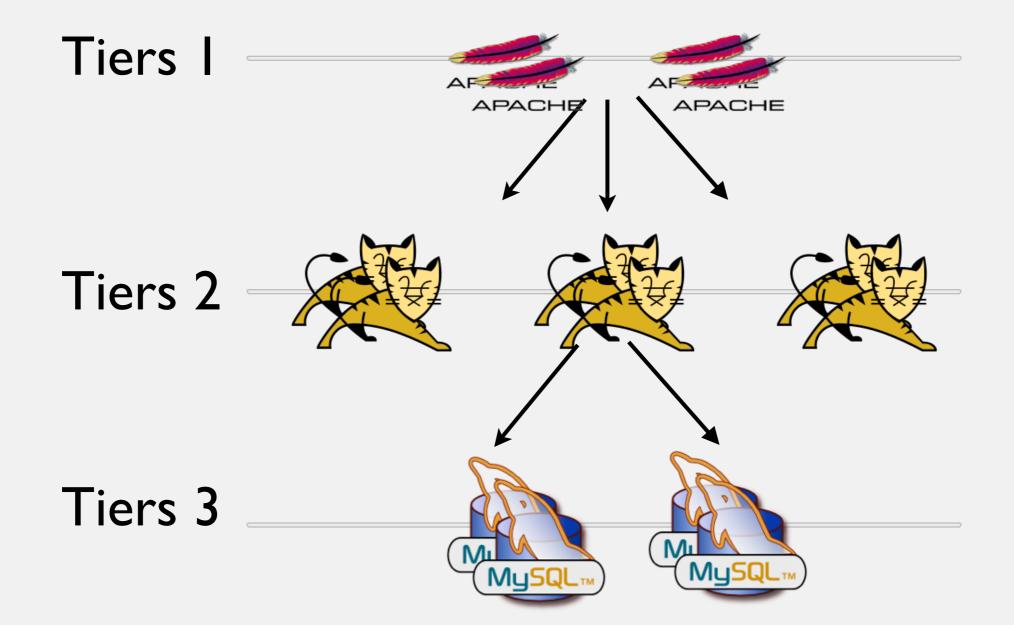
vertical elasticity



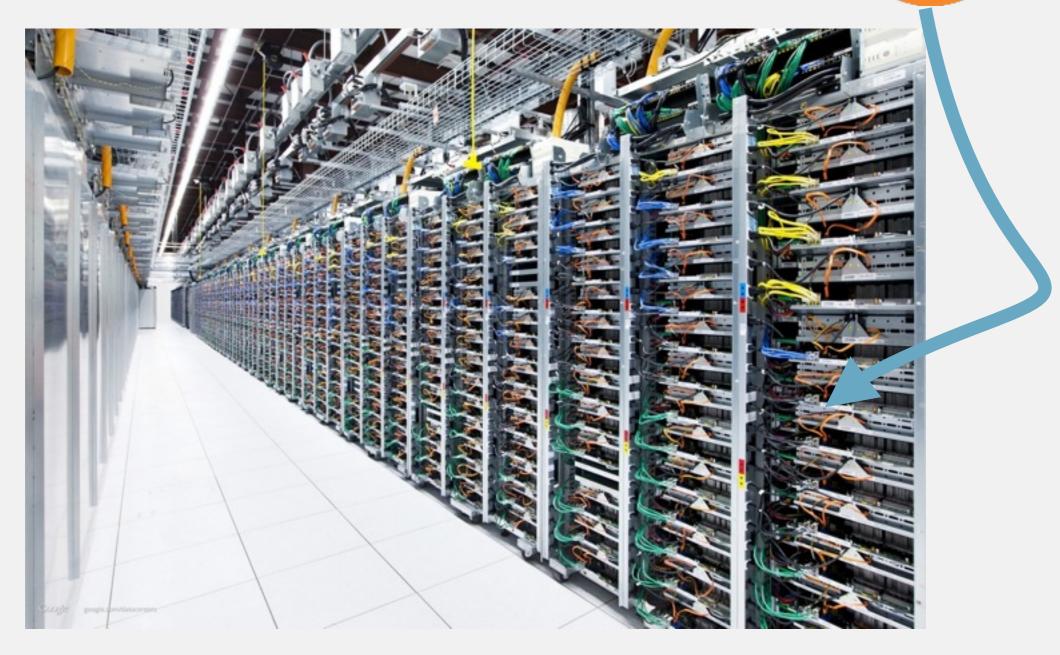
#### Scenario horizontal elasticity



#### Scenario horizontal elasticity



#### 



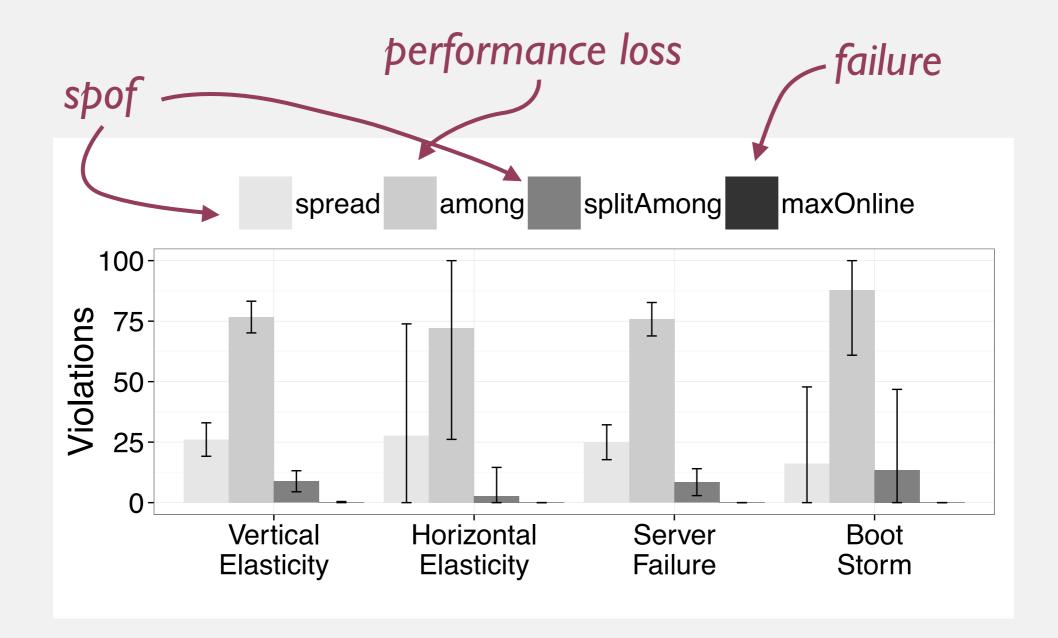
### scenario server failure



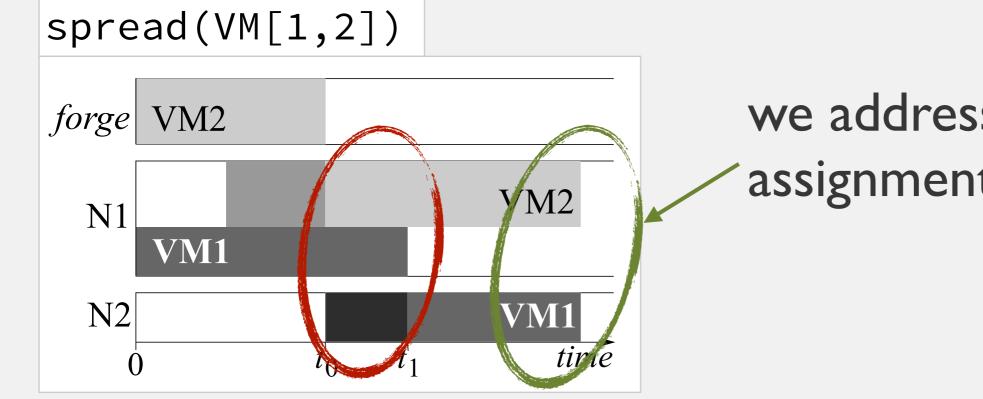
# Migrations lead to unanticipated placements

Scenario	Violated	Actions			
	SLAs	VM Boot	Migrate	Node Boot	Node Shutdown
Vertical Elasticity	40.72	08	99.99%	0.005%	0.005%
Horizontal Elasticity	0.19	99.82%	0.18%	2.82%	0%
Server Failure	29.56	61.29%	35.89%	2.82%	08
Boot Storm	0.35	98.57%	1.43%	08	08

# Migrations tend to violate relative placement constraints

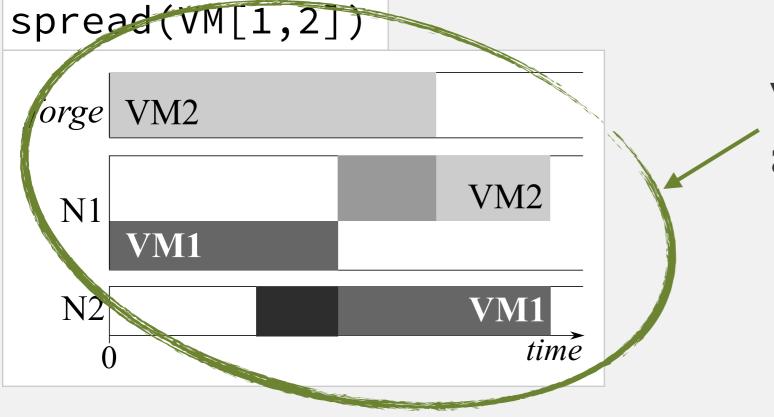


### Trading Unreliable discrete constraints ...



we addressed an assignment problem

# ... for safe **continuous** constraints



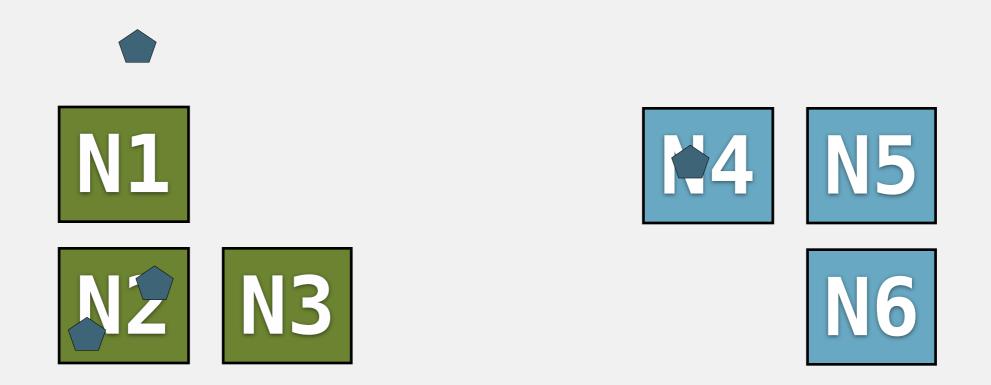
we must address a scheduling problem

# Continuous placement constraints with **BtrPlace**

	Variables related to VM Management		
chost	Current host of the VM (constant)		
$c^{men}, c^{cpu}$	Current amount of memory and uCPU resources		
	allocated to the VM (constant)		
$c^{ed}$	Time the VM may leave its current host		
d <sup>host</sup>	Next host of the VM		
d <sup>men</sup> , d <sup>cpu</sup>	Next amount of memory and uCPU resources to		
	allocate to the VM		
$d^{st}$	Time the VM arrives on its next host		
	Variables related to server management		
$n^q$	Next state of the server		
	Variables related to action management		
$(a^{st}, a^{ed})$	Times an action starts and ends, respectively		



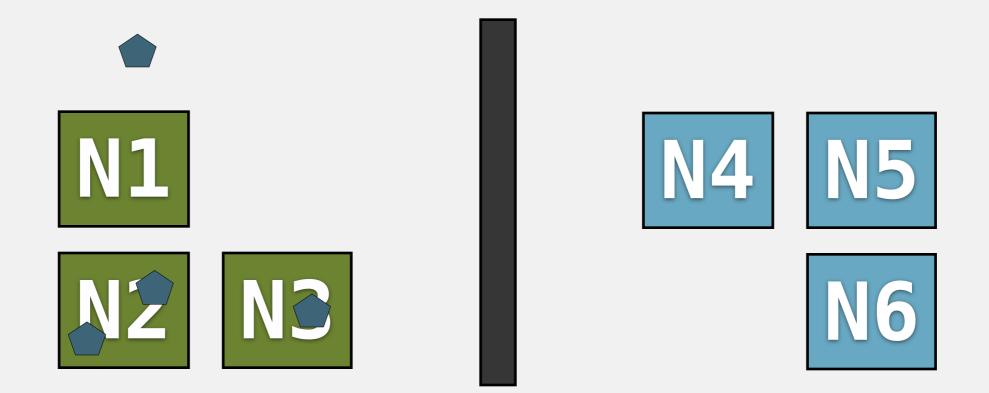
stay on a same partition by the end of the reconfiguration process



stay on a same partition by the end of the reconfiguration process

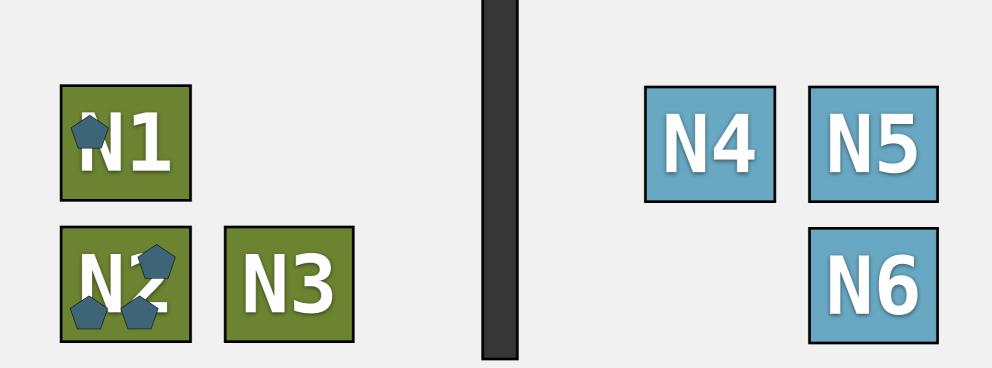


stay on a same partition by the end of the reconfiguration process



Disallow movements between partitions

- basic knowledge of a reconfiguration process
- still an assignment problem



Disallow movements between partitions

- basic knowledge of a reconfiguration process
- still an assignment problem

### continuous spread

discrete spread(VM[1,2]) ::=

 $\textit{allDifferent}(d_1^{host}, d_2^{host})$ 

**continuous** spread(VM[1,2]) ::=  $allDifferent(d_1^{host}, d_2^{host}) \land$   $d_1^{host} = c_2^{host} \implies a_1^{start} \ge a_2^{end} \land$  $d_2^{host} = c_1^{host} \implies a_2^{start} \ge a_1^{end}$ 

Disallow temporary overlapping

- require to know this may happen
- scheduling 101

#### continuous maxOnline

discrete maxOnline(N[1..10], 7)::= 
$$\sum_{i=1}^{10} n_i^q \leq 7$$

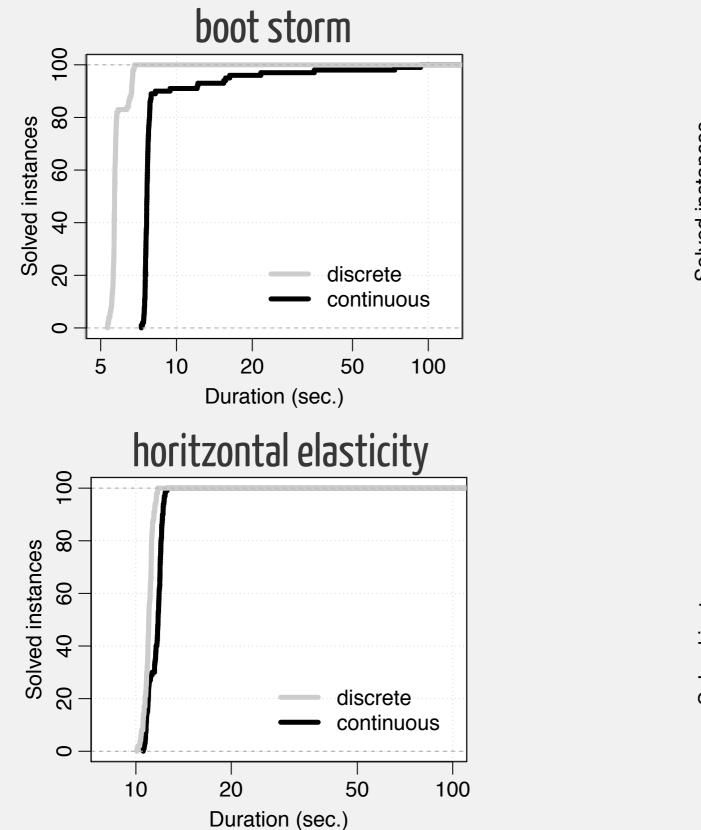
detailed knowledge of a reconfiguration process

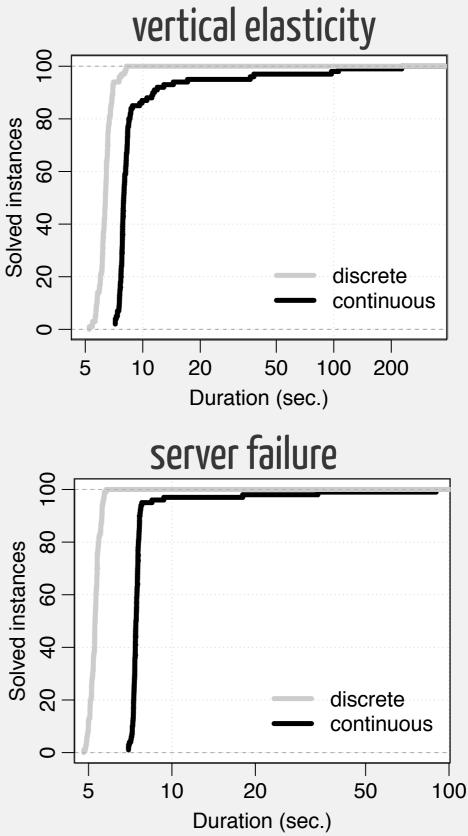
#### scheduling 201 —

harder to imagine, model & implement

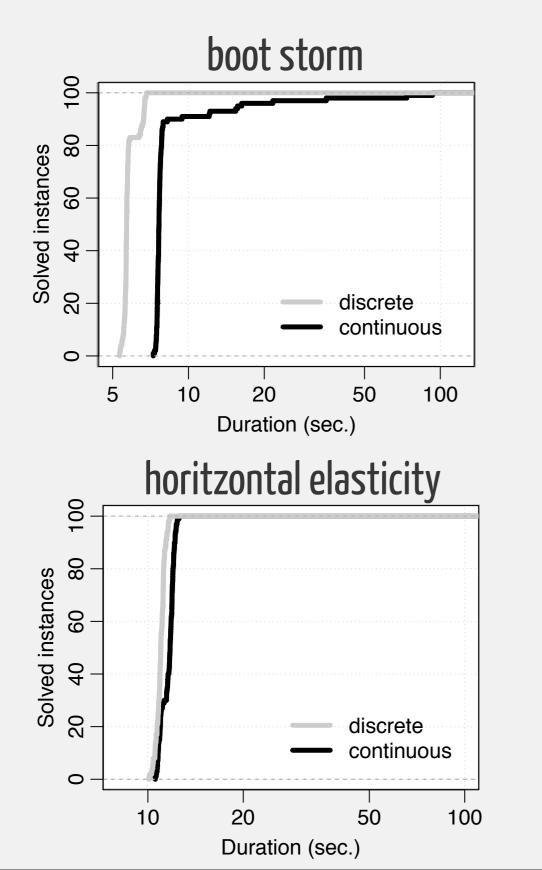
$$\begin{aligned} & \texttt{continuous maxOnline(N[1..10], 7)::=} \\ & \forall i \in [1, 10], \quad n_i^{on} = \begin{cases} 0 \text{ if } n_i^q = 1 \\ a_i^{start} \text{ otherwise} \end{cases} \\ & n_i^{off} = \begin{cases} max(T) \text{ if } n_i^q = 0 \\ a_i^{end} \text{ otherwise} \end{cases} \\ & \forall t \in T, card(\{i | n_i^{on} \ge t \land n_i^{off}\}) \le 7 \end{aligned}$$

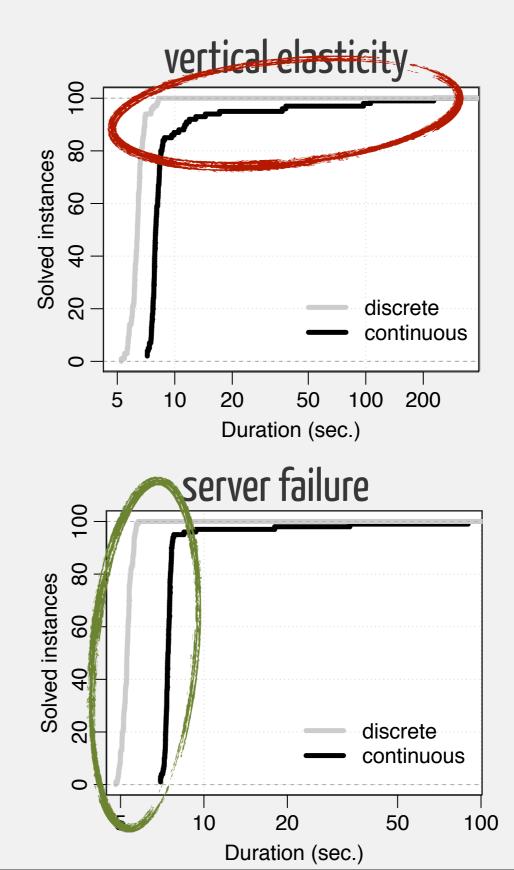
### Performance overhead





### Performance overhead





# Conclusions

- discrete restriction is not enough
- continuous restriction is a solution
- a different view on the problem
- challenging, but still possible to implement

### Ruture Nork

- a broader range of constraints and objectives
- reducing performance overhead
  - static analysis to detect un-necessary continuous constraints
  - controlled relaxation to handle hard situations



#### http://btrp.inria.fr

open source, 20+ placement constraints, demo, tutorials, everything for **reproducibility**