

Point sur FunLoft

1. Accès aux champs des structures
2. Compilation séparée
3. Integers

Structures

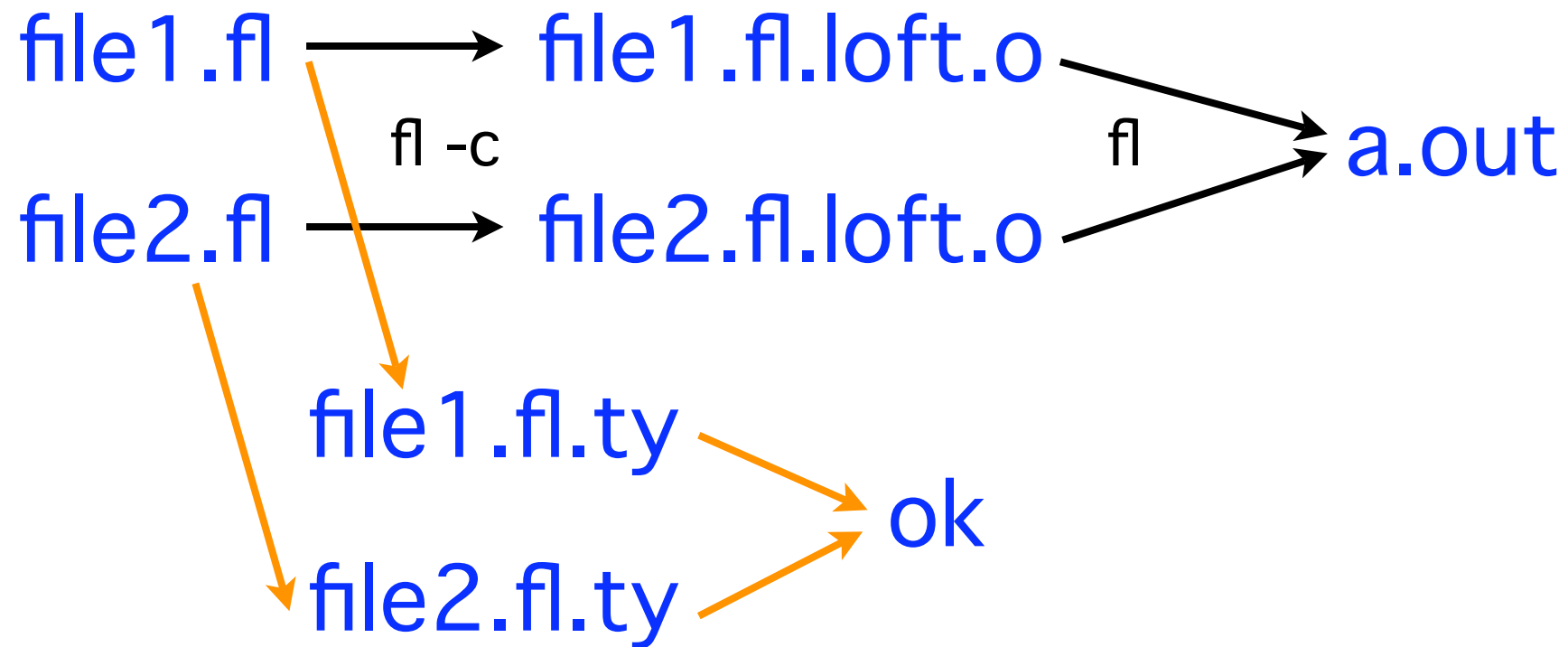
En présence d'un seul constructeur on peut nommer les champs

```
type point_t = Point of int * int  
let f (p) = match p with Point (x,y) -> x + y end
```

Alternative :

```
type point_t = Point of x: int * y: int  
let f (p) = p.x + p.y
```

Compilation séparée



```
extern g: int->int  
let r = ref 0  
let f (x) = g(x) + !r  
let module main () = f(4)  
file1.fl
```

```
extern g: int -> int  
r: int ref  
f: int -> int +access  
main: unit => thread_t  
file1.fl.ty
```

Compilation séparée

Pas complètement implémentée

file1.fl

```
extern g: int->int  
let f(x) = g(x)  
let module main () = f(0)
```

file2.fl

```
extern f: int->int  
let g(x) = f(x)
```

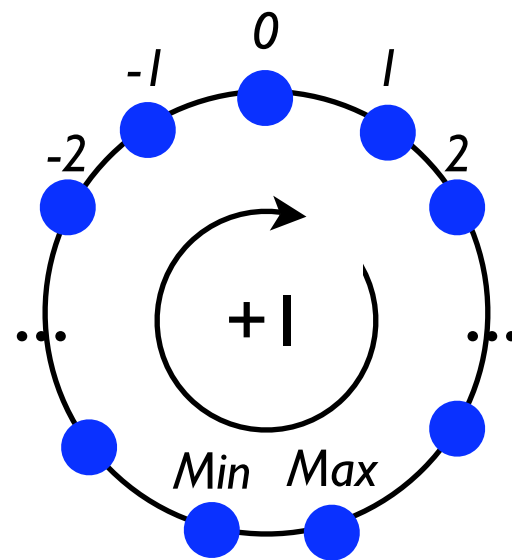
```
fl -c file1.fl  
fl -c file2.fl  
fl file1.fl.loft.o file2.fl.loft.o  
a.out
```

Bus error

Cycles de dépendance
non détectés

Standard approach to Integers

$[Min..Max]$



$Max+1 = Min$
 $1/0 = \text{Error}$

type int in C

$\lceil n \rceil \in \mathbf{Z}, \lceil < \rceil \neq <$

$\lceil Max-1 < Min-1 \rceil = true$

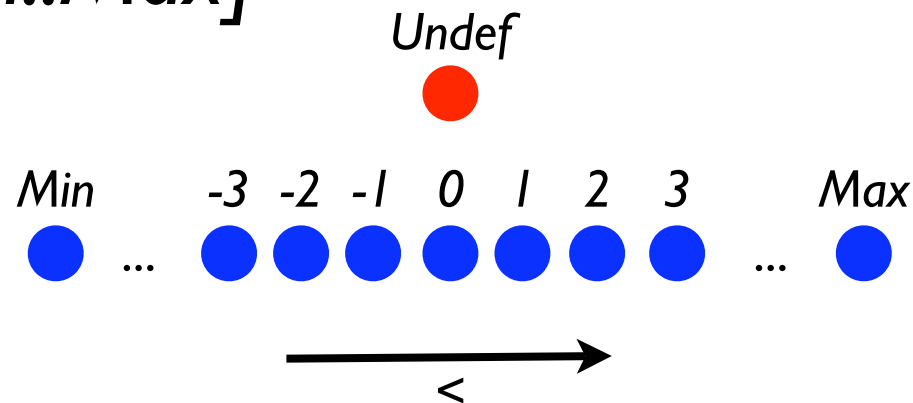
$\exists n \lceil n*n < 0 \rceil = true, \dots$

```
max == 2147483647  min == -2147483648
max+1 == -2147483648  min+1 == -2147483647
max-1 == 2147483646  min-1 == 2147483647
max-1 < min-1 == 1
```

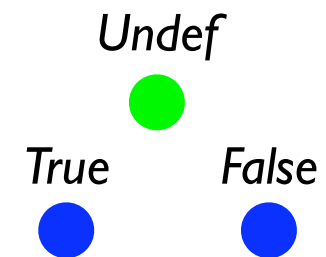
```
y == 1000000
y*y == -727379968
```

Integers & Booleans

[Min..Max]



Booleans



$$Max + 1 = Min - 1 = \text{Undef} = 1 / 0$$

$$n < \text{Undef} = \text{Undef} = \text{Undef} < n$$

Integers & Booleans - 2

n, m of type `int`

- $\lceil n+m \rceil = \text{if } \lceil n \rceil, \lceil m \rceil, \lceil n+m \rceil \in [\text{Min}..\text{Max}] \text{ then } n+m \text{ else } \text{Undef}$
- $\lceil n < m \rceil = \text{if } \lceil n \rceil, \lceil m \rceil \in [\text{Min}..\text{Max}] \text{ then } n < m \text{ else } \text{Undef}$

Soundness:

- $\lceil n < m \rceil = \text{true} \Rightarrow \lceil n \rceil < \lceil m \rceil$
- $\lceil n < m \rceil = \text{false} \Rightarrow \lceil n \rceil \geq \lceil m \rceil$
- $\lceil n < m \rceil = \text{Undef} \Rightarrow \lceil n \rceil \text{ or } \lceil m \rceil \text{ not in } [\text{Min}..\text{Max}]$